

# High-Energy Collisions with ALICE at the LHC

## 4. Hard Scattering and Jets in A+A Collisions

### Graduate Days

of the Graduate School of Fundamental Physics

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**Physikalisches Institut**  
**Universität Heidelberg**

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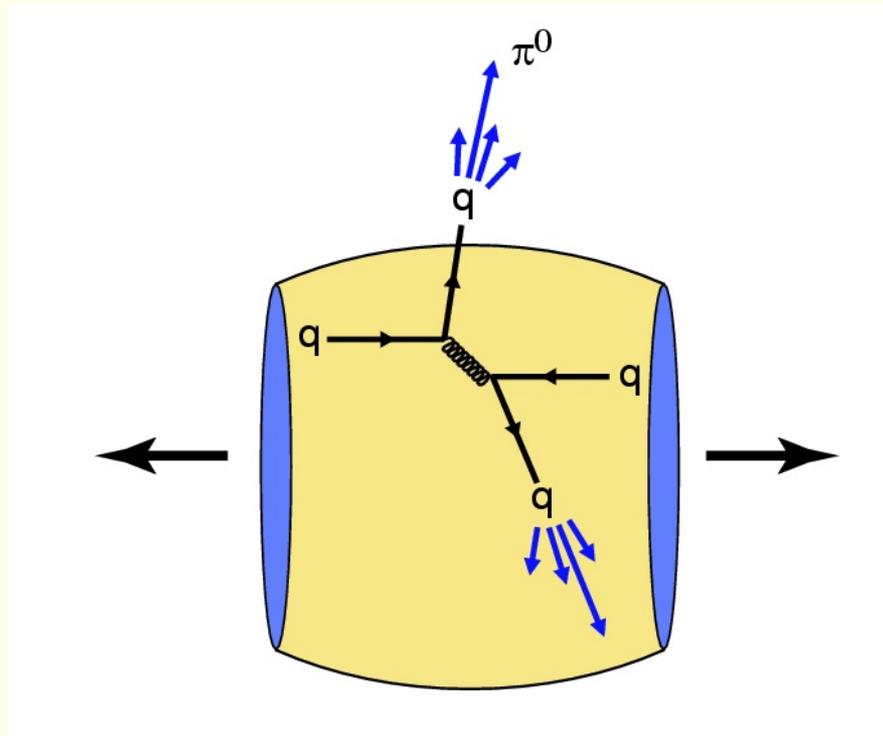
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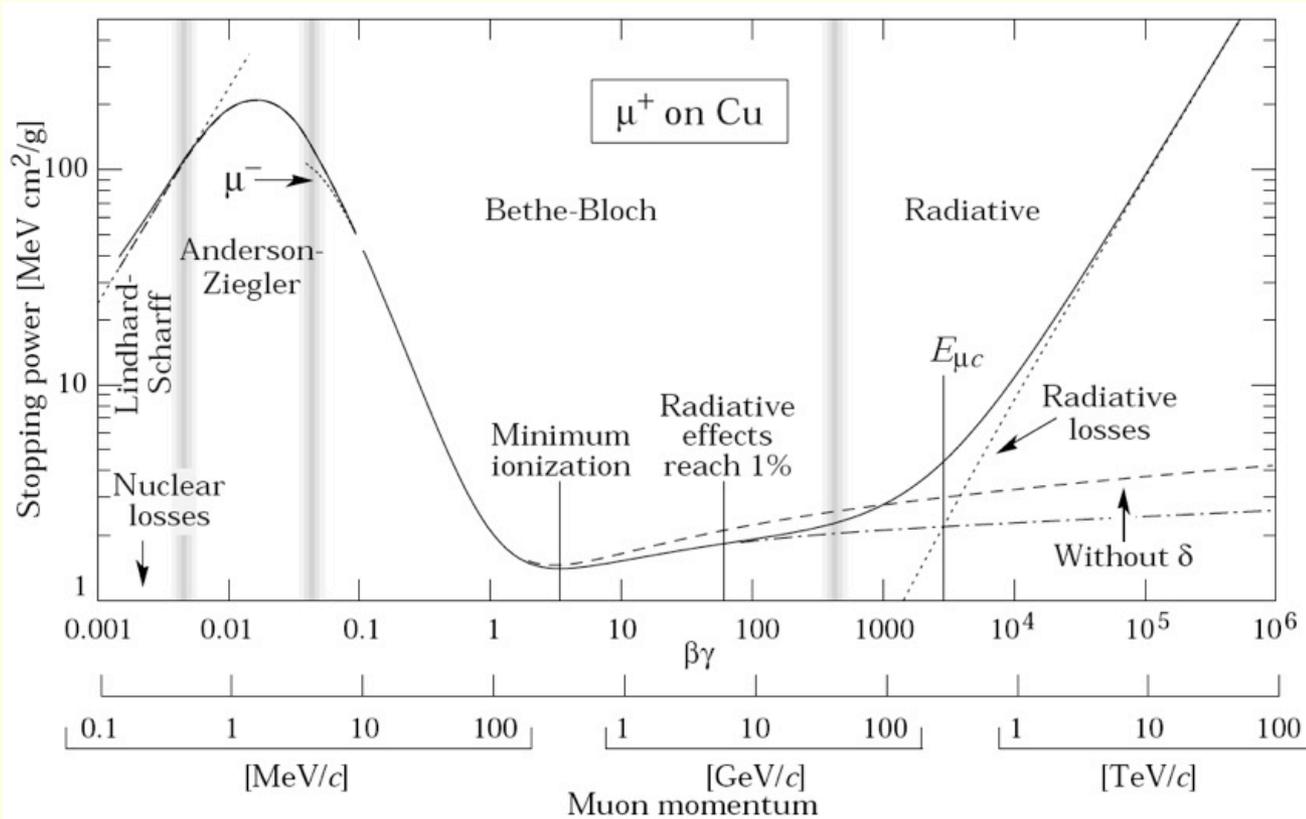
# 4.1 Parton Energy Loss

# Jet Tomography in A+A Collisions



- Hard parton-parton scatterings take place in initial phase, prior to the formation of the QGP
- Scattered quarks and gluons sensitive to medium properties: „jet tomography“

# Analogy: Energy loss of Charged Particles in Normal Matter



- $\mu^+$  on Cu: Radiational energy loss („bremsstrahlung“) starts to dominate over collisional energy loss („Bethe-Bloch formula“) for  $p \gg 100$  GeV
- For energetic quarks and gluons in QCD matter, radiative energy loss (induced gluon emission) is/was expected to be the dominant process

# The Idea of Jet Quenching due to Collisional Parton Energy Loss was Already Formulated in 1982

Energy Loss of Energetic Partons in Quark-Gluon Plasma:  
Possible Extinction of High  $p_T$  Jets in Hadron-Hadron Collisions.

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P.O. Box 500, Batavia, Illinois 60510

## Abstract

High energy quarks and gluons propagating through quark-gluon  
plasma suffer differential energy loss via elastic scattering from  
quanta in the plasma.

An interesting signature may be events in which the hard  
collision occurs near the edge of the overlap region, with one jet  
escaping without absorption and the other fully absorbed.

- Collisional energy loss was later believed to have only a minor effect on jets
- Radiative energy loss was discussed in the literature from 1992 on by Gyulassy, Pluemer, Wang, Baier, Dokshitzer, Mueller, Pagne, Schiff, Levai, Vitev, Zhakarov, Wang, Salgado, Wiedemann, ...

# Parton Energy Loss – Expected Properties

Radiative energy loss dominant (?):

$$dE_{\text{rad}} / dx \gg dE_{\text{coll}} / dx$$

Medium parameter  $\hat{q} = \frac{\mu^2}{\lambda}$

$\mu^2$ : Typical momentum transfer from the medium to the parton

$\lambda$ : Mean free path

Nucl.Phys.B483:291-320,1997

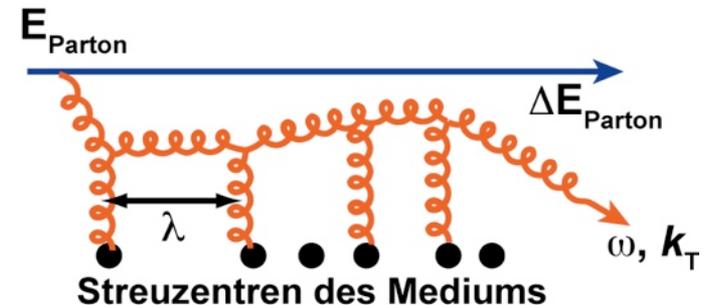
$$\Delta E \propto \alpha_s C_F \hat{q} L^2$$

Energy loss  $\Delta E$  in a static medium of length  $L$  for  $E \rightarrow \infty$  (BDMPS results)

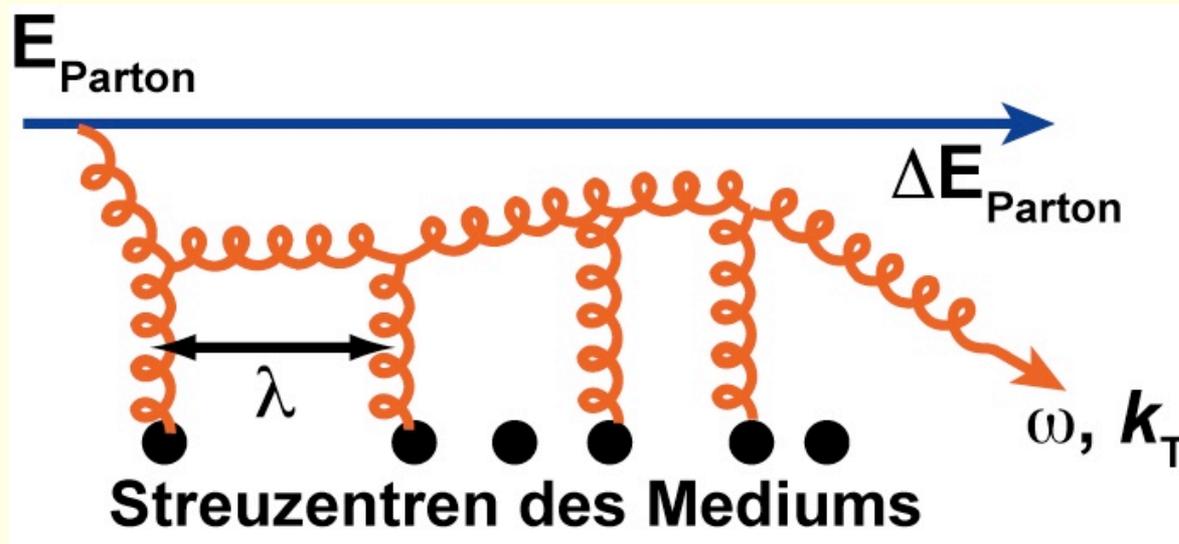
Energy loss for gluon jets larger than for quark jets

$$C_F = \begin{cases} 3 & \text{for gluon jets} \\ 4/3 & \text{for quark jets} \end{cases}$$

$L^2$  dependence:  
Non-abelian nature of QCD + quantum interference



# Parton Energy Loss: Why $\Delta E \propto L^2$ ?



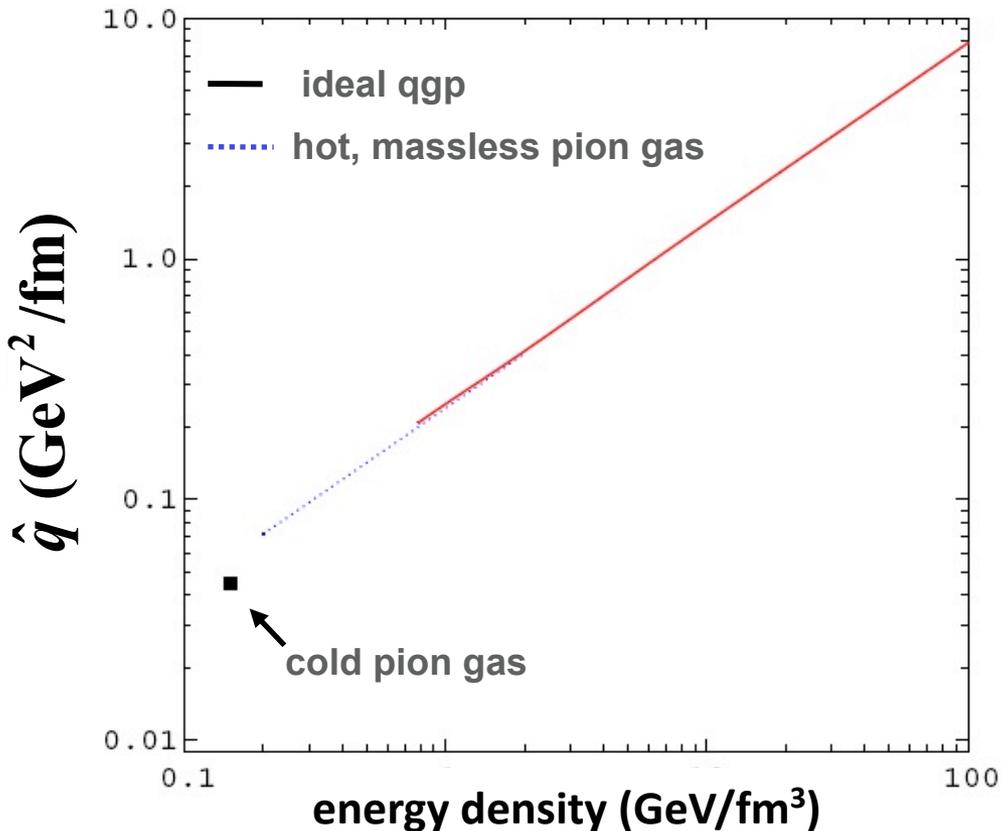
Probability for radiating a gluon:  $\propto L$

Coherent gluon wave function accumulates transverse momentum  $k_T$ .

Number of scatterings with momentum transfer  $k_T$  until it decoheres:  $\propto L$

Total energy loss:  $\Delta E \propto L^2$

# Relation between Transport Coefficient and Energy Density of the Medium



- $\hat{q}$  increases smoothly with energy density

- Nuclear matter

$$\hat{q}_{\text{nuclear matter}} < 0.5 - 1 \text{ GeV}^2 / \text{fm}$$

- QGP (and hot hadron gas):

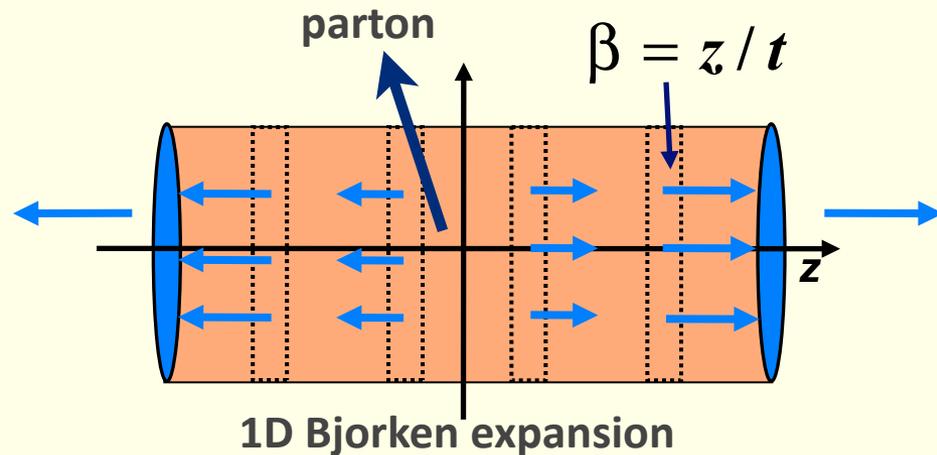
$$\hat{q}_{\text{qgp}} \gg \hat{q}_{\text{nuclear matter}}$$

Medium characterized by

$$\hat{q} = \mu^2 / \lambda \quad (\text{Momentum transfer per mean free path})$$

# Parton Energy Loss in an Expanding Medium

Taking into account the expansion of the fireball (Bjorken Model):



Medium parameterized by initial gluon density

$$\Delta E = -C \alpha_s^3 \frac{9\pi}{4} \frac{1}{A_T} \frac{dN_{\text{Gluon}}}{dy} L \ln \left( \frac{2E}{\mu^2 L} + \dots \right)$$

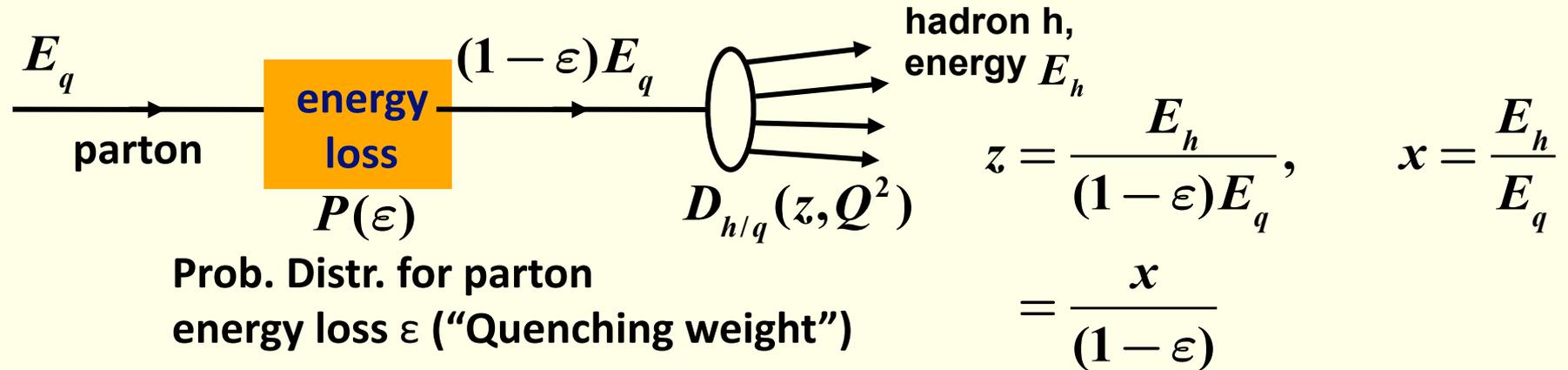
Transverse area  
( $A_T \sim R^{1/3}$  für  $b = 0$ )

Energy loss becomes linear in  $L$   
in case of Bjorken expansion

Energy loss becomes linear in  $L$  for 1D Bjorken expansion

# Medium-Modified Fragmentation Functions (I)

Parton energy loss can be conveniently included in a pQCD calculation via modified fragmentation functions



Consider fixed parton energy loss  $\epsilon$ :

$$\frac{dn}{dx} = \frac{dn}{dz} \cdot \frac{dz}{dx} = D_{h/q}(z, Q^2) \cdot \frac{1}{1-\epsilon}$$

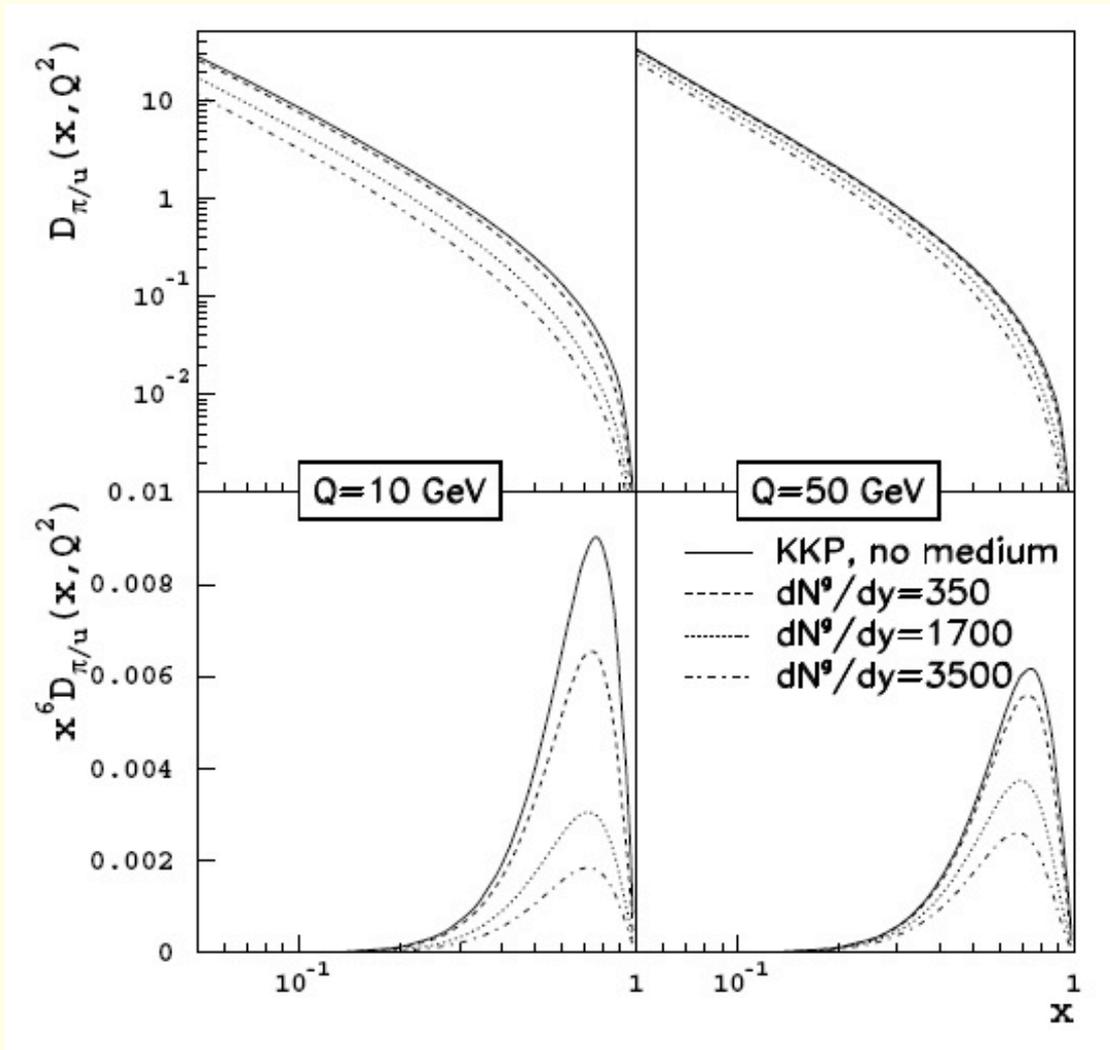
Average over energy loss probability:

$$D_{h/q}^{\text{med}}(x, Q^2) = \int_0^1 d\epsilon P(\epsilon) D_{h/q}\left(\frac{x}{1-\epsilon}, Q^2\right) \frac{1}{1-\epsilon}$$

Hadrons resulting from gluon bremsstrahlung neglected

# Medium-Modified Fragmentation Functions (II)

Fragmentation function  $u \rightarrow \pi$  for a medium with  $L = 7$  fm and various gluon densities



# Quenching Weights (I)

quenching weight

continuous quenching weight

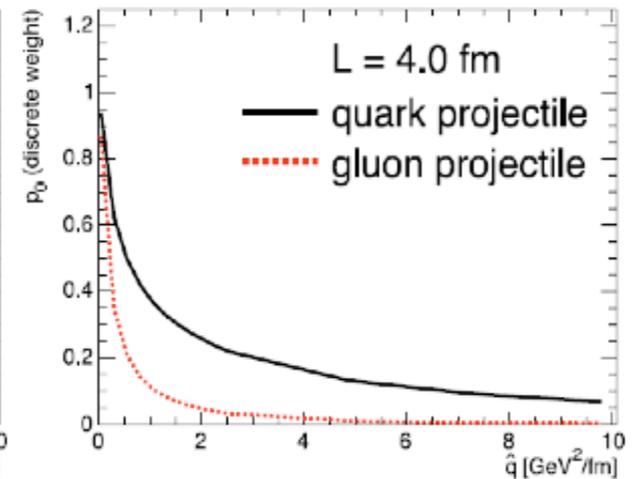
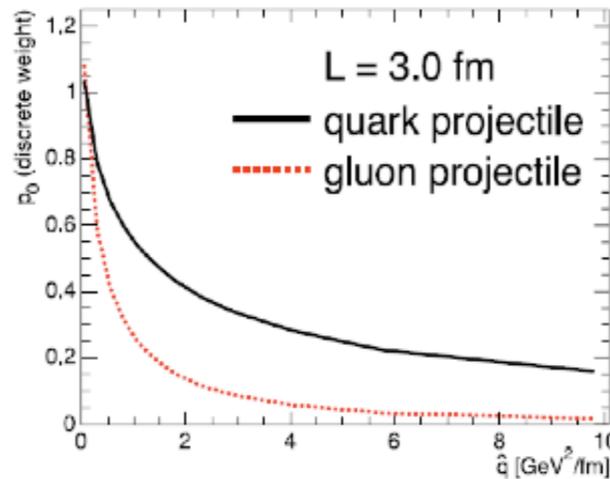
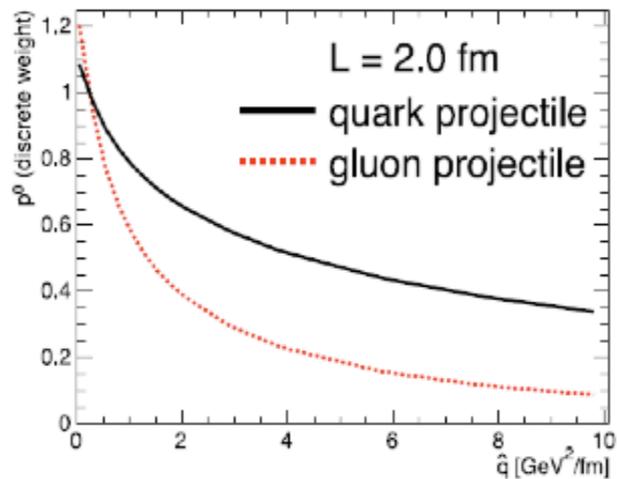
$$\int d\epsilon P(\epsilon) = p_0 + \int d\epsilon p(\epsilon) = 1$$

Note that  $P(\Delta E)$  is a generalized probability which can take negative values as long as this equation holds

probability to have no induced gluon radiation

$p_0$  as function of  $\hat{q}$  in the limit  $E \rightarrow \infty$ :

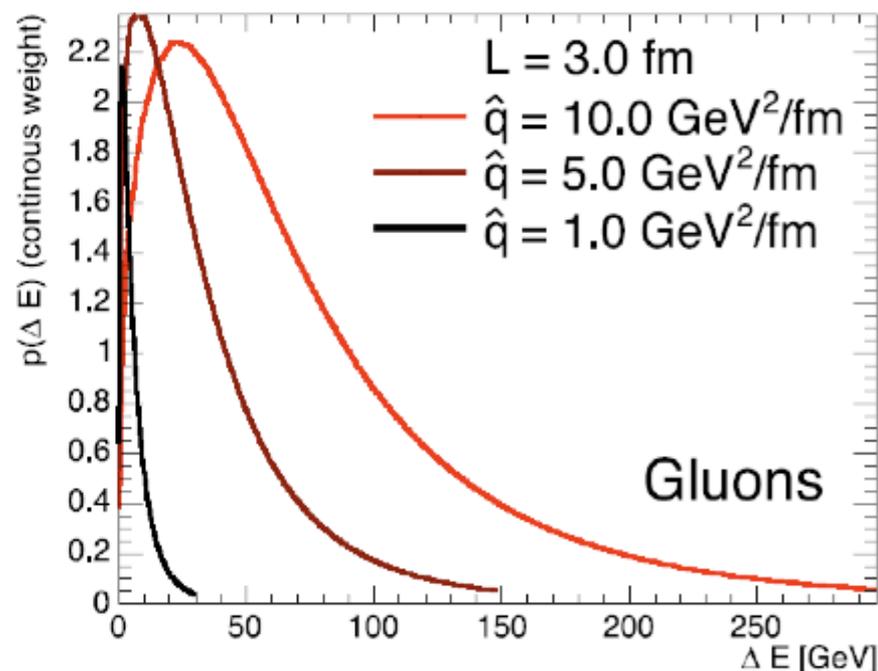
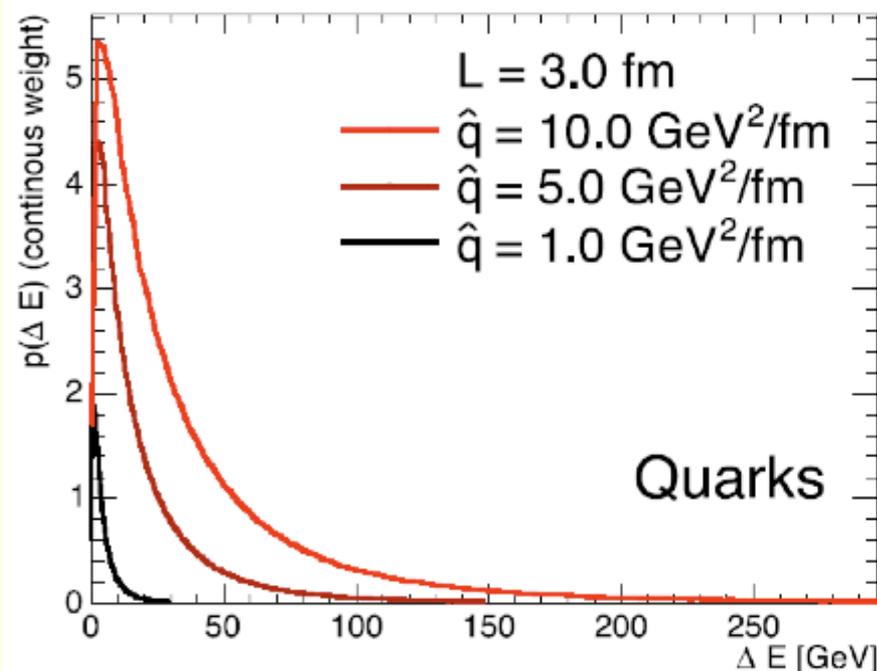
taken from PhD thesis of C. Loizides



Salgado, Wiedemann, PRD 68 (2003) 014008

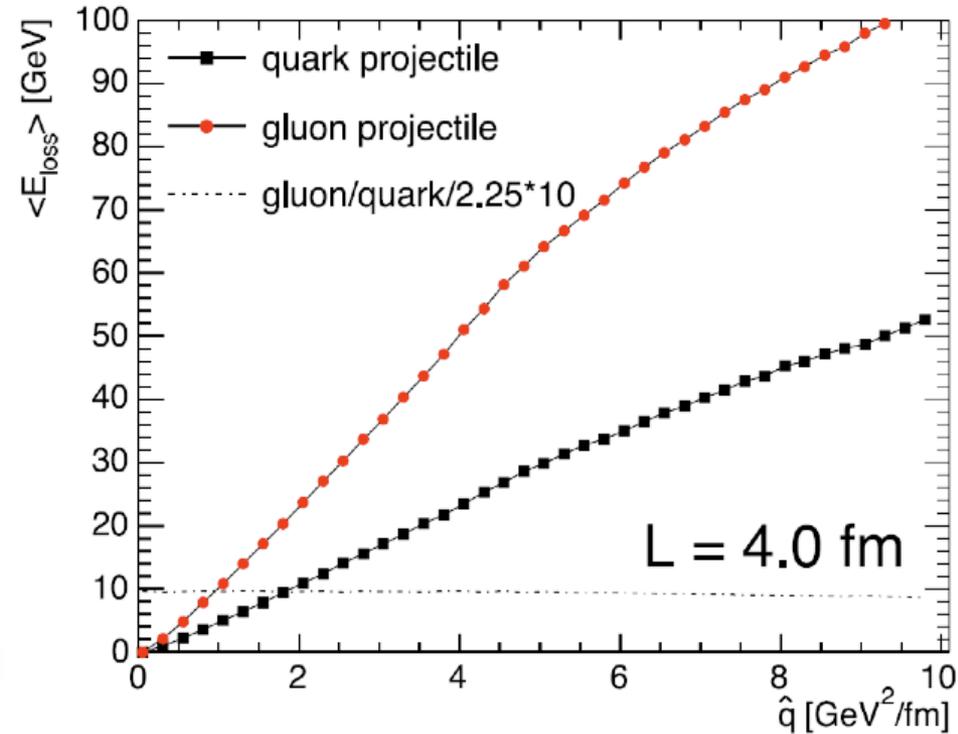
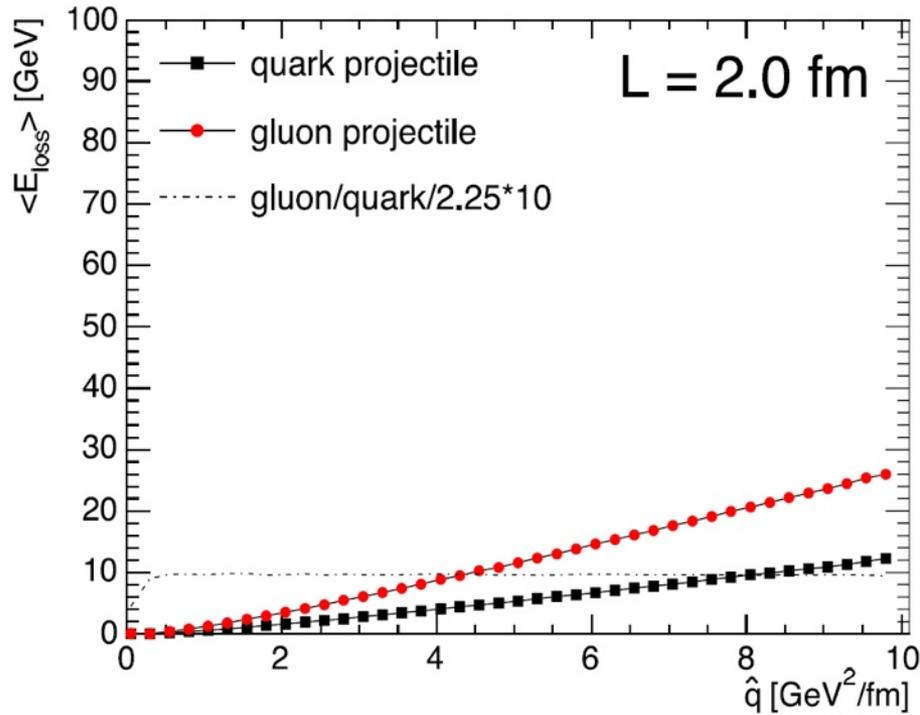
# Quenching Weights (II): Continuous Weight

taken from PhD thesis of C. Loizides



These quenching weights hold for parton energies  $E \rightarrow \infty$

# Parton Energy Loss in the Limit $E \rightarrow \infty$



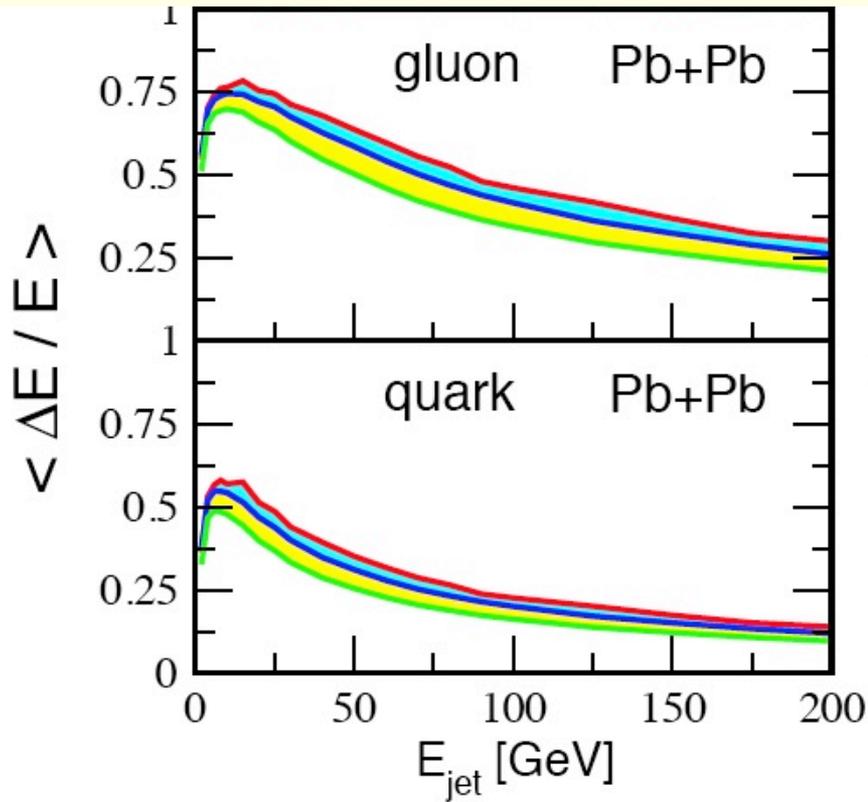
**More realistic models need to take finite parton energies into account**

# Energy loss in the GLV Formalism for Pb+Pb at the LHC

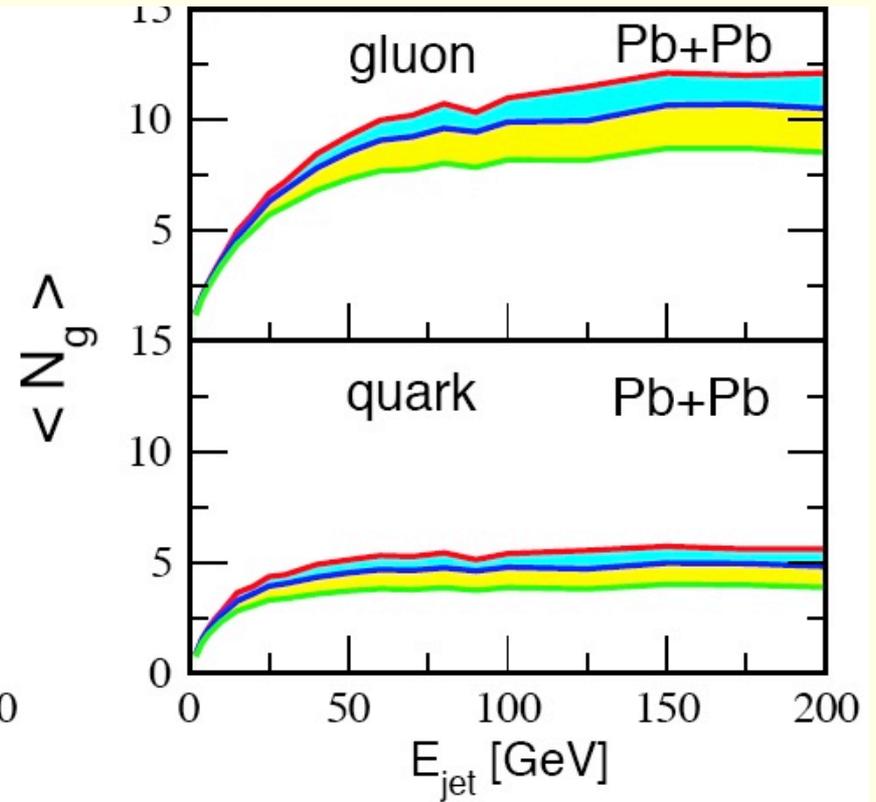
I. Vitev, Phys.Lett.B639:38-45,2006

Central Pb+Pb at  $\sqrt{s_{NN}} = 5500$  GeV:  $L \approx 6$  fm,  $dN^g/dy = 2000, 3000, 4000$

energy loss

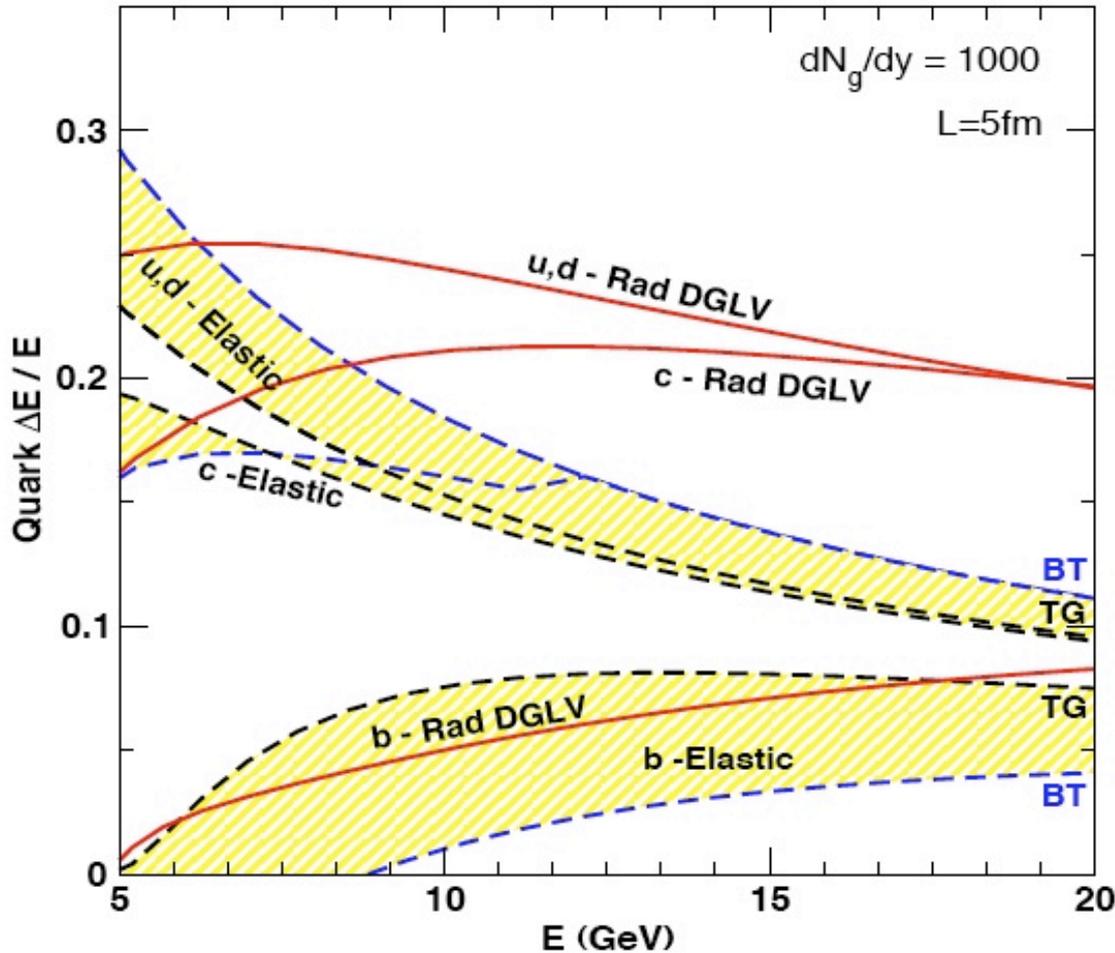


# radiated gluons



$\Delta E_{gluon} / \Delta E_{quark} = 9/4$  only in the limit  $E \rightarrow \infty$

# Radiative vs. Collisional (i.e., Elastic) Energy Loss



- $\Delta E_{\text{radiative}} > \Delta E_{\text{collisional}}$  for u, d as well as c quarks with  $E > 10 \text{ GeV}$
- $\Delta E_{\text{radiative}} \approx \Delta E_{\text{collisional}}$  for b quarks

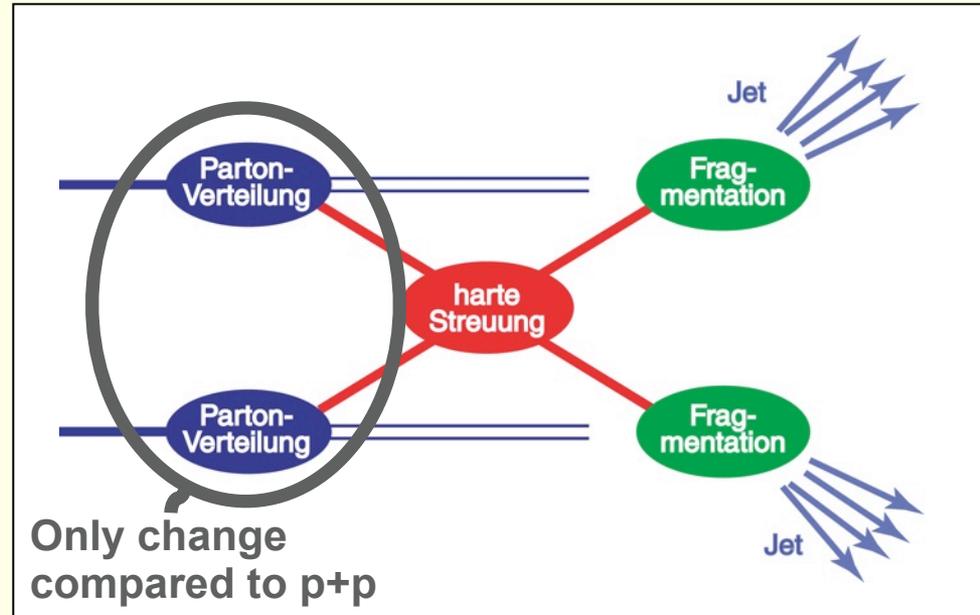
Wicks, Horowitz, Djordjevic Gyulassy,  
Nucl. Phys. A784, 426-442

## 4.2 Point-like Scaling

# Expectation for Particle Yields from Hard Scattering Processes in A+A collisions

$$\frac{dN_{\text{hart}}^{A+B}}{dp_T} = T_{AB} \cdot \frac{d\sigma_{\text{hart}}^{p+p}}{dp_T}$$

$$T_{AB} = N_{\text{coll}} / \sigma_{\text{NN}}^{\text{inel.}}$$



- Calculate increase of the effective luminosity of nucleons (and partons, respectively) based on known nuclear geometry
- **Result:**  
Particle yields scale with the average number  $\langle N_{\text{coll}} \rangle$  of inelastic nucleon-nucleon collisions in the absence of nuclear effects

# Digression: Luminosity of a Collider

Rate of events for a given physics process:

$$N = L \cdot \sigma$$

Event rate [s<sup>-1</sup>] →  $N$  ← Cross section [cm<sup>2</sup>]  
Luminosity [(s·cm<sup>2</sup>)<sup>-1</sup>] ←  $L$

If two bunches of particles collide with frequency  $f$  then :

$n_i$ : number of particles in bunch  $i$

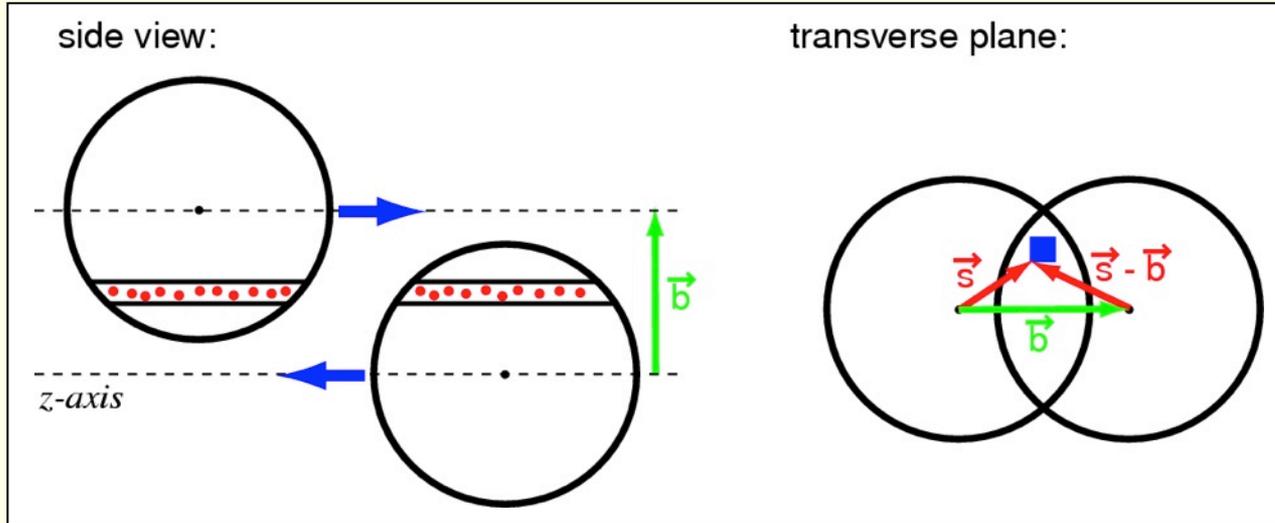
$$L = f \frac{n_1 n_2}{A_{\text{beam}}} = f \frac{n_1 n_2}{4\pi\sigma_x \sigma_y}$$

Transverse area of the beam

Example:

Au+Au at RHIC:  $L = 2 \times 10^{26} \text{ cm}^{-2} \text{ s}^{-1}$

# Effective Nucleon Luminosity: The Nuclear Overlap Function



**Nuclear thickness:**

$$T_A(\vec{s}) := \int \rho_A(\vec{s}, z) dz$$

**Normalization:**

$$\int T_A(\vec{s}) d^2s = A$$

“nucleon luminosity” in area  $d^2s$  at  $\vec{s}$  :  $dT_{AB}(\vec{s}) = T_A(\vec{s}) \cdot T_B(\vec{s} - \vec{b}) d^2s$

“Total nucleon luminosity” for collisions at impact parameter  $b$   
(nuclear overlap function):

$$T_{AB}(b) = \int T_A(\vec{s}) \cdot T_B(\vec{s} - \vec{b}) d^2s$$

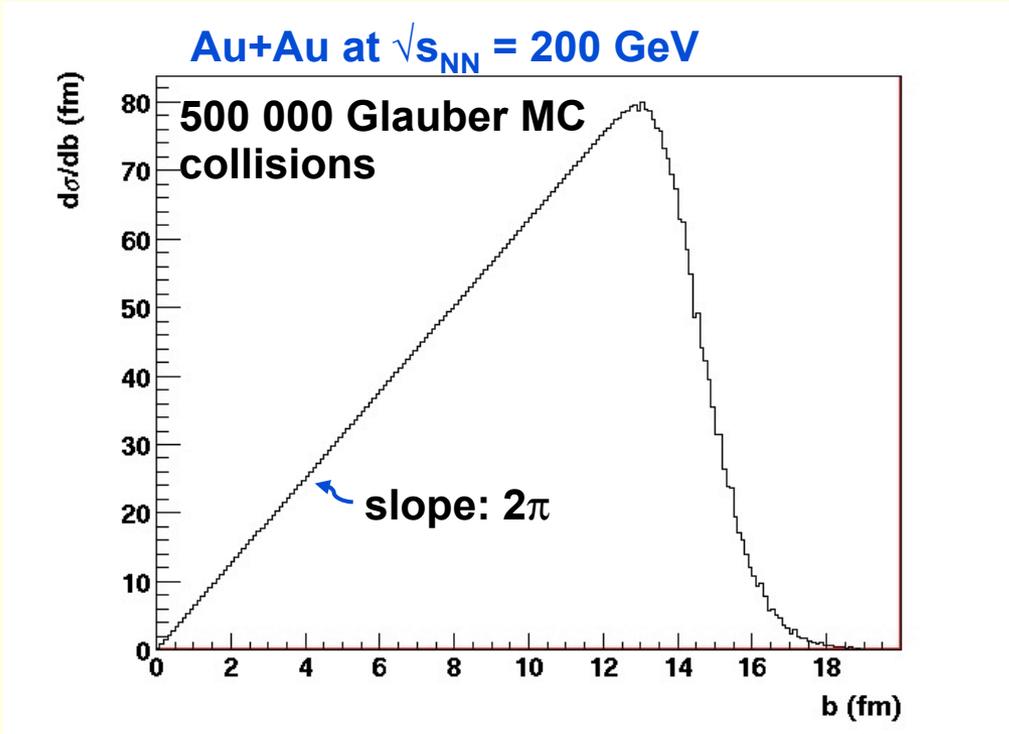
← unit: 1/area

Thus, number of interactions for a process with cross section  $\sigma_{\text{int}}$  :

$$\langle N_{\text{int}}(b) \rangle = T_{AB}(b) \cdot \sigma_{\text{int}} \quad \text{In particular:} \quad \langle N_{\text{coll}}(b) \rangle = T_{AB}(b) \cdot \sigma_{\text{inel}}^{\text{p+p}}$$

# Impact Parameter Distribution of a A+A collisions

## Glauber MC:



## Analytic approximation:

$$p_{\text{inel}}^{\text{A+B}}(b) = 1 - \exp(-T_{AB}(b) \cdot \sigma_{\text{inel}}^{\text{NN}})$$



probability for an inelastic A+B collision at impact parameter  $b$

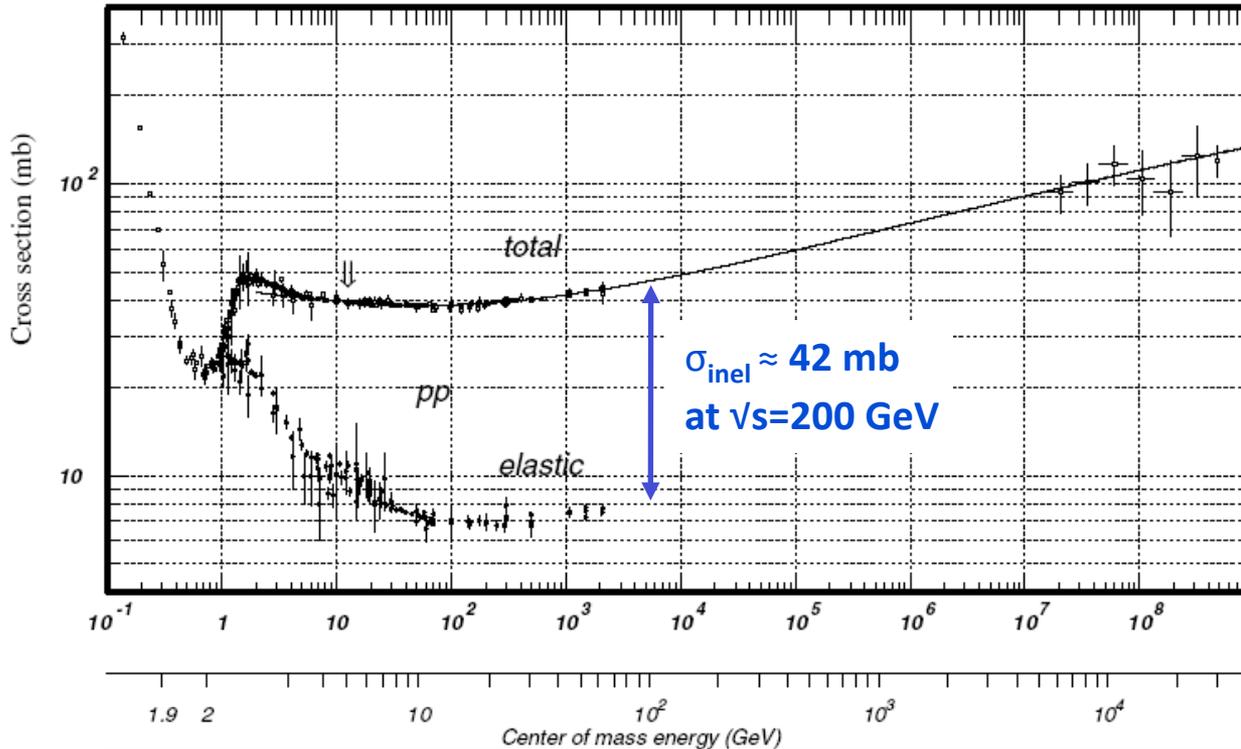
$$\frac{d\sigma}{db} = 2\pi b p_{\text{inel}}^{\text{A+B}}(b)$$

$$\sigma_{\text{inel}}^{\text{A+B}} = \int_0^{\infty} \frac{d\sigma}{db} db$$

Total cross section:

$$\sigma_{\text{inel}}^{\text{Au+Au@200GeV}} \approx 6.9 \text{ b}$$

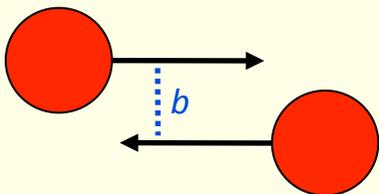
# Inelastic p+p Cross Section p+p



$\sqrt{s}$ (GeV)	$\sigma_{\text{inel}}(\text{p+p})$
17.2	32 mb
200	42 mb
5500	72 mb

$$\sigma_{\text{inel}} = \sigma_{\text{total}} - \sigma_{\text{elastic}}$$

Naive expectation for the order of magnitude of the p+p cross section:



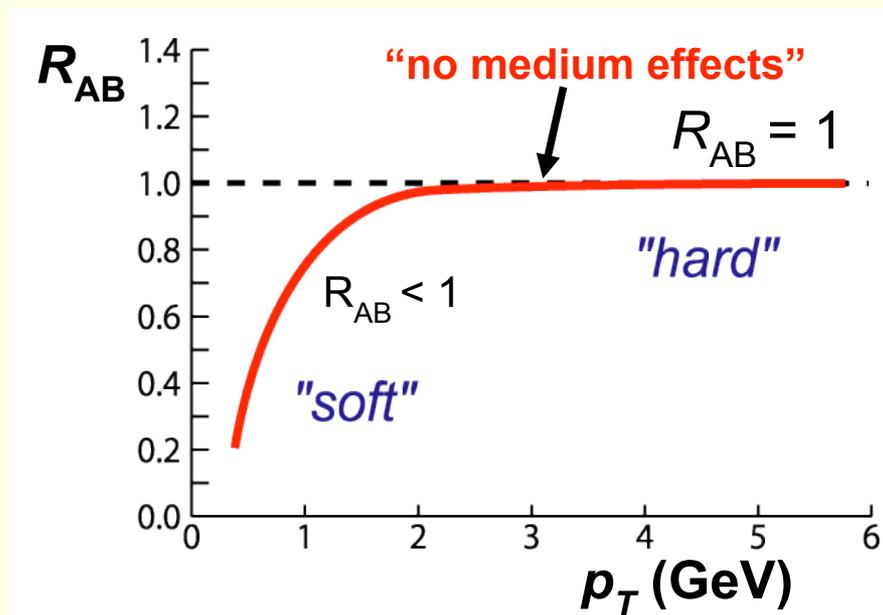
$$\sigma_{\text{geo}} = \pi \cdot b_{\text{max}}^2 = \pi \cdot (2r_{\text{Proton}})^2 = \pi \cdot (1,6 \text{ fm}^2) = 80 \text{ mb}$$

$$1 \text{ b} = 10^{-28} \text{ m}^2, 1 \text{ fm}^2 = 10^{-30} \text{ m}^2 = 10 \text{ mb}$$

# Nuclear Modification Factor

$$R_{AB}(p_T) = \frac{d^2 N / dp_T dy|_{A+B}}{\langle N_{\text{coll}} \rangle \times d^2 N / dp_T dy|_{p+p}}$$

- $\langle N_{\text{coll}} \rangle$  from Glauber Monte-Carlo calculation
- In the absence of nuclear effects:  
 $R_{AB} = 1$  at high  $p_T$  ( $p_T > 2 \text{ GeV}/c$ )

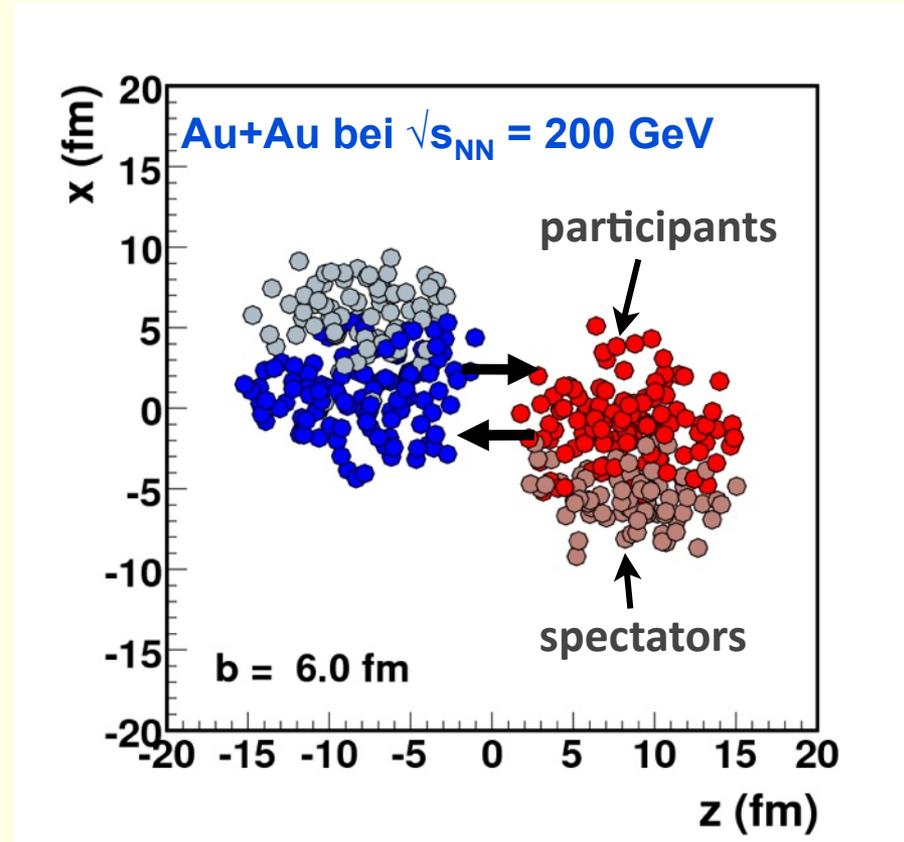


# Glauber Monte-Carlo Approach

- Nucleons of both nuclei randomly distributed in space according to Woods-Saxon distribution
- Impact parameter  $b$  drawn from distribution  $d\sigma/db = 2\pi b$
- Collision between two nucleons take place if their distance  $d$  in the transverse plane satisfies

$$d \leq \sqrt{\sigma_{\text{inel}}^{\text{NN}} / \pi}$$

- $\langle N_{\text{part}} \rangle$  and  $\langle N_{\text{coll}} \rangle$  through simulation of many A+B collisions (typically  $\sim 10^6$ )

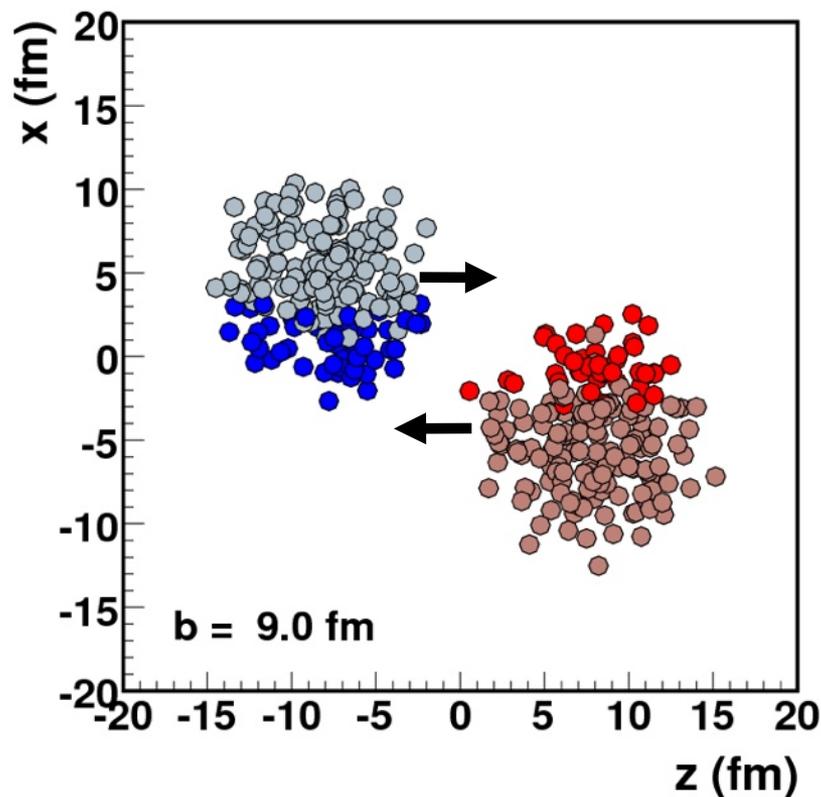


$$\sigma_{\text{inel}}^{\text{NN}} \approx 42 \text{ mb at } \sqrt{s_{\text{NN}}} = 200 \text{ GeV}$$

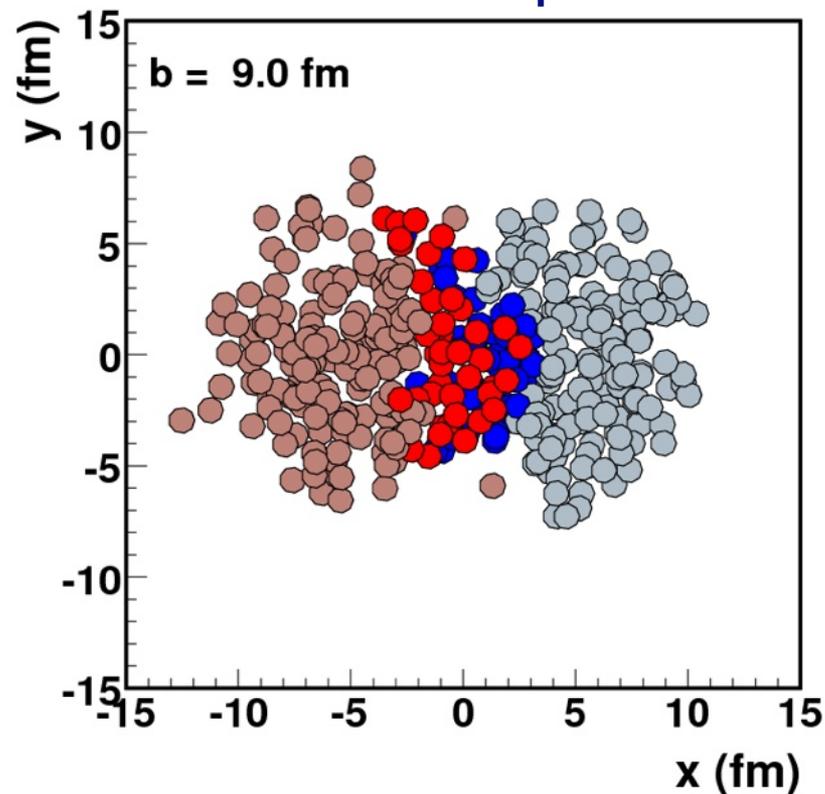
# Examples of Glauber-MC Events (I)

Au+Au bei  $\sqrt{s_{NN}} = 200$  GeV

Side view:



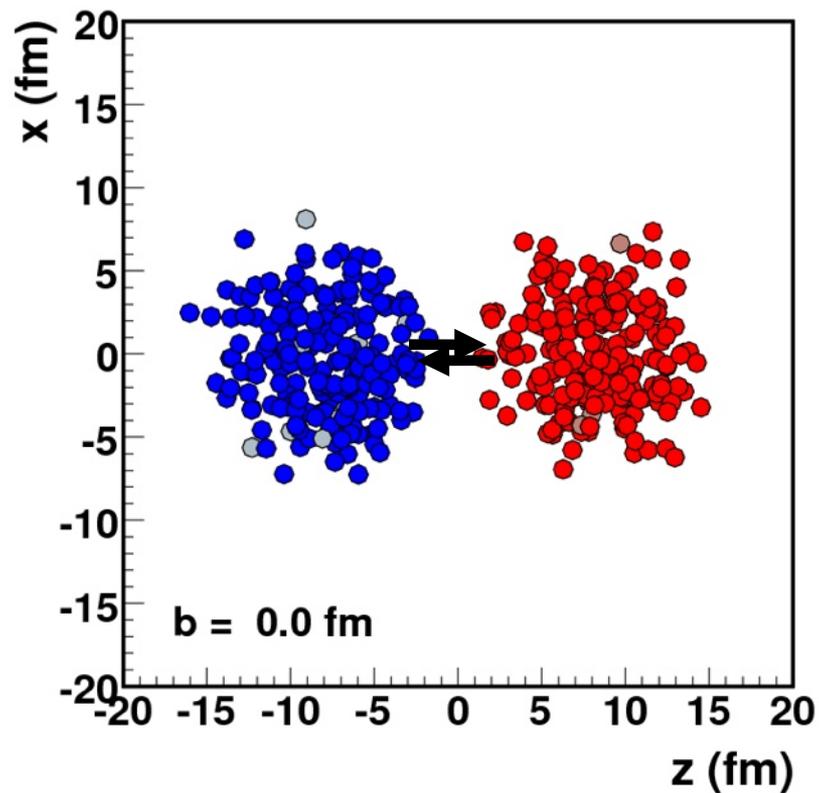
Transverse plane:



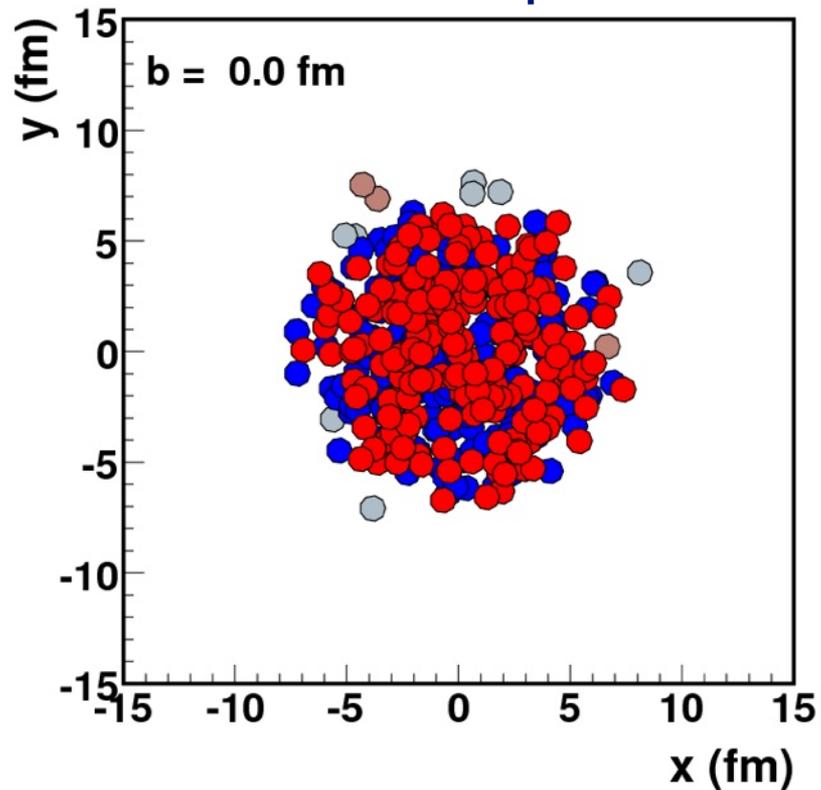
# Examples of Glauber-MC Events (II)

Au+Au at  $\sqrt{s_{NN}} = 200$  GeV

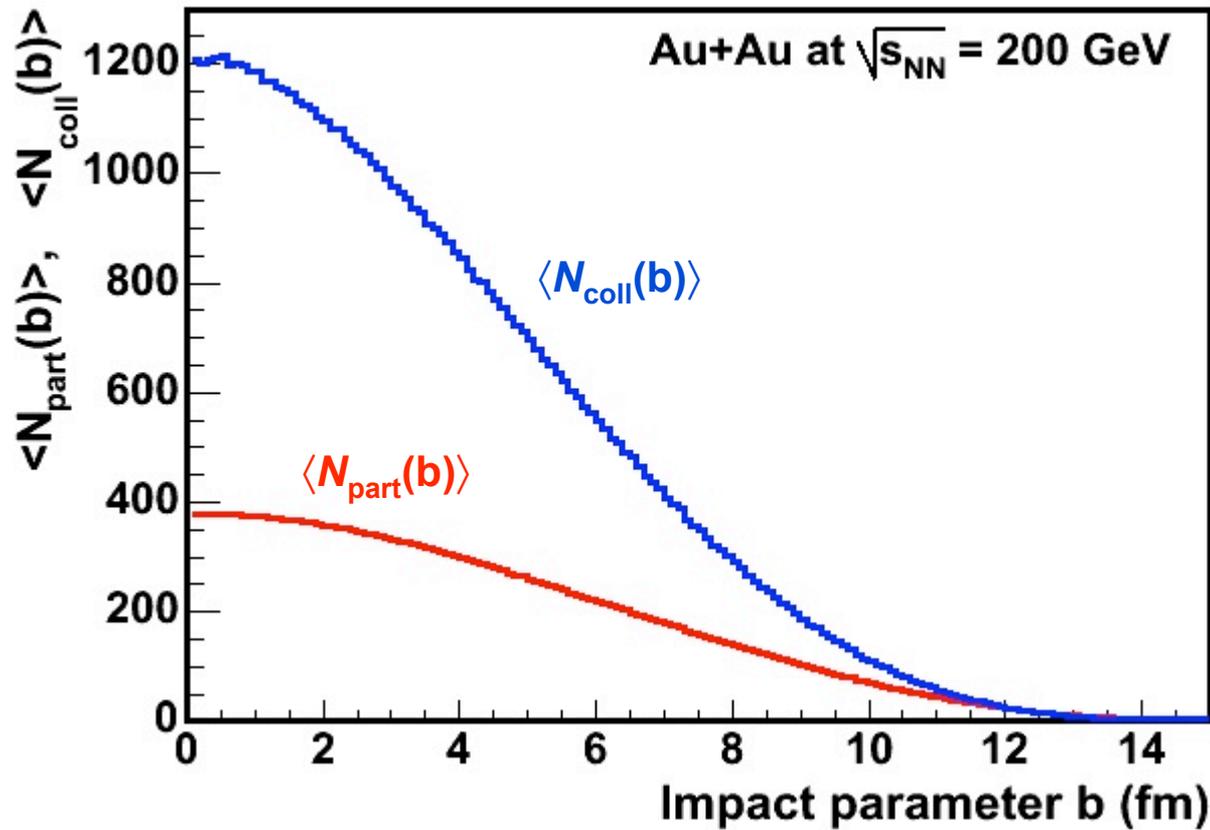
Side view:



Transverse plane:



# $N_{\text{part}}$ und $N_{\text{coll}}$ vs. Impact Parameter



Approximate relation between  $N_{\text{part}}$  and  $N_{\text{coll}}$ :  $N_{\text{coll}} \propto N_{\text{part}}^{4/3}$

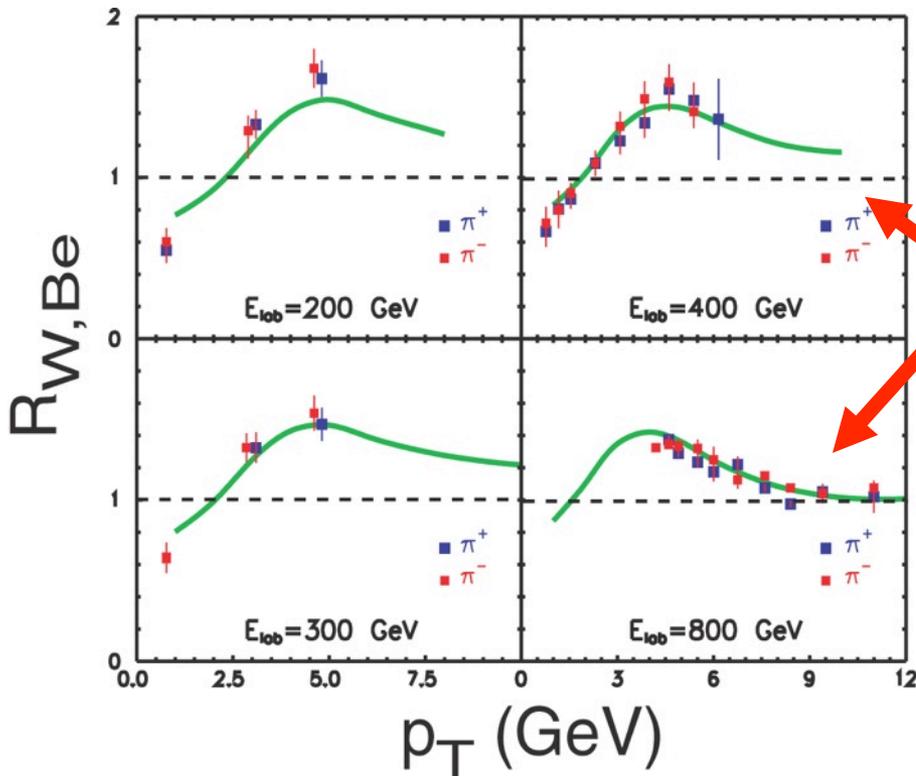
## 4.3 Particle Yields and Direct Photons at High- $p_T$

# How Can One Study Jet Production?

- **Measurement of particle multiplicities at high  $p_T$**
- **Measurement of two-particle angular correlations**
- **Jet reconstruction on single event basis**
  - ▶ **Possible in  $p + \bar{p}$  collisions at the Tevatron**
  - ▶ **Very difficult in central nucleus-nucleus collisions at RHIC due to large particle multiplicity from underlying event**
  - ▶ **Situation improves significantly in central Pb+Pb at the LHC due to the increased cross section for jet production**

# Cronin Effect in p+A Collisions

Proton-Nucleus Collisions:



**p+A Collisions:**

**Nuclear modification factor**

$R_{pA} > 1$ , at intermediate  $p_T$ ,

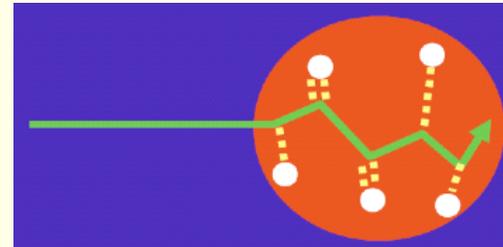
before  $R_{pA} = 1$  is reached in the limit

of very high  $p_T$

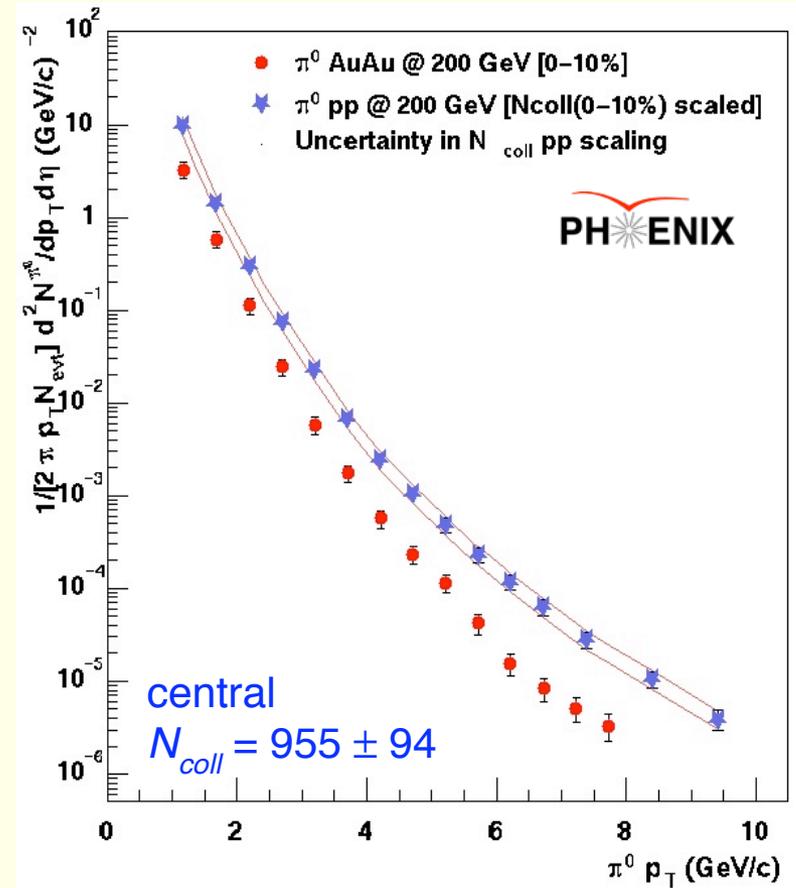
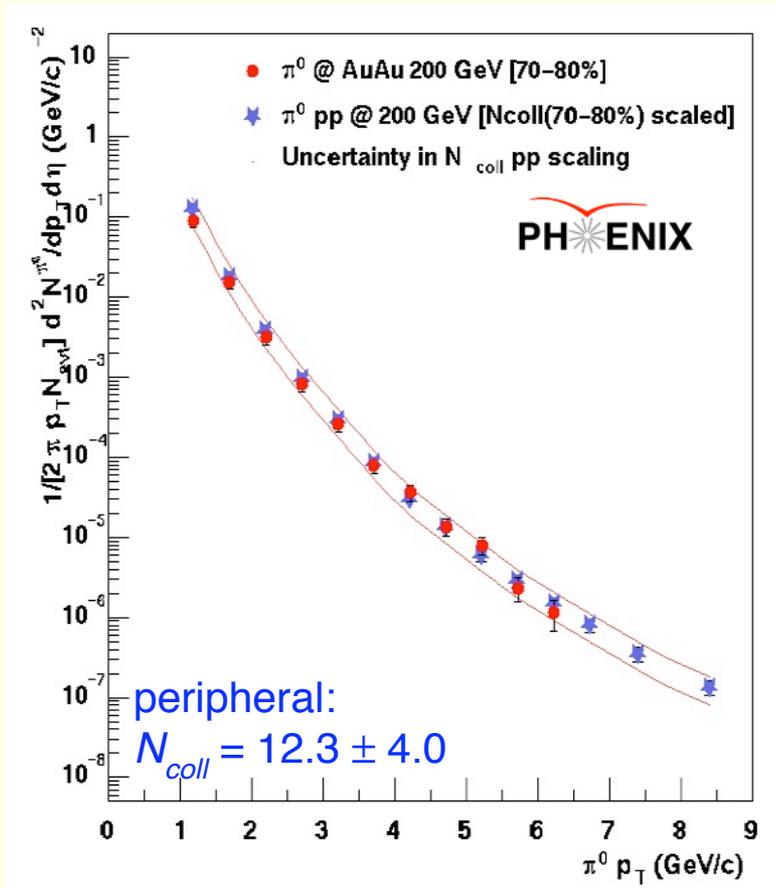
**Common explanation of the**

**Cronin effect:**

**Multiple soft scattering in p+A leads to additional transverse momentum  $k_T$**

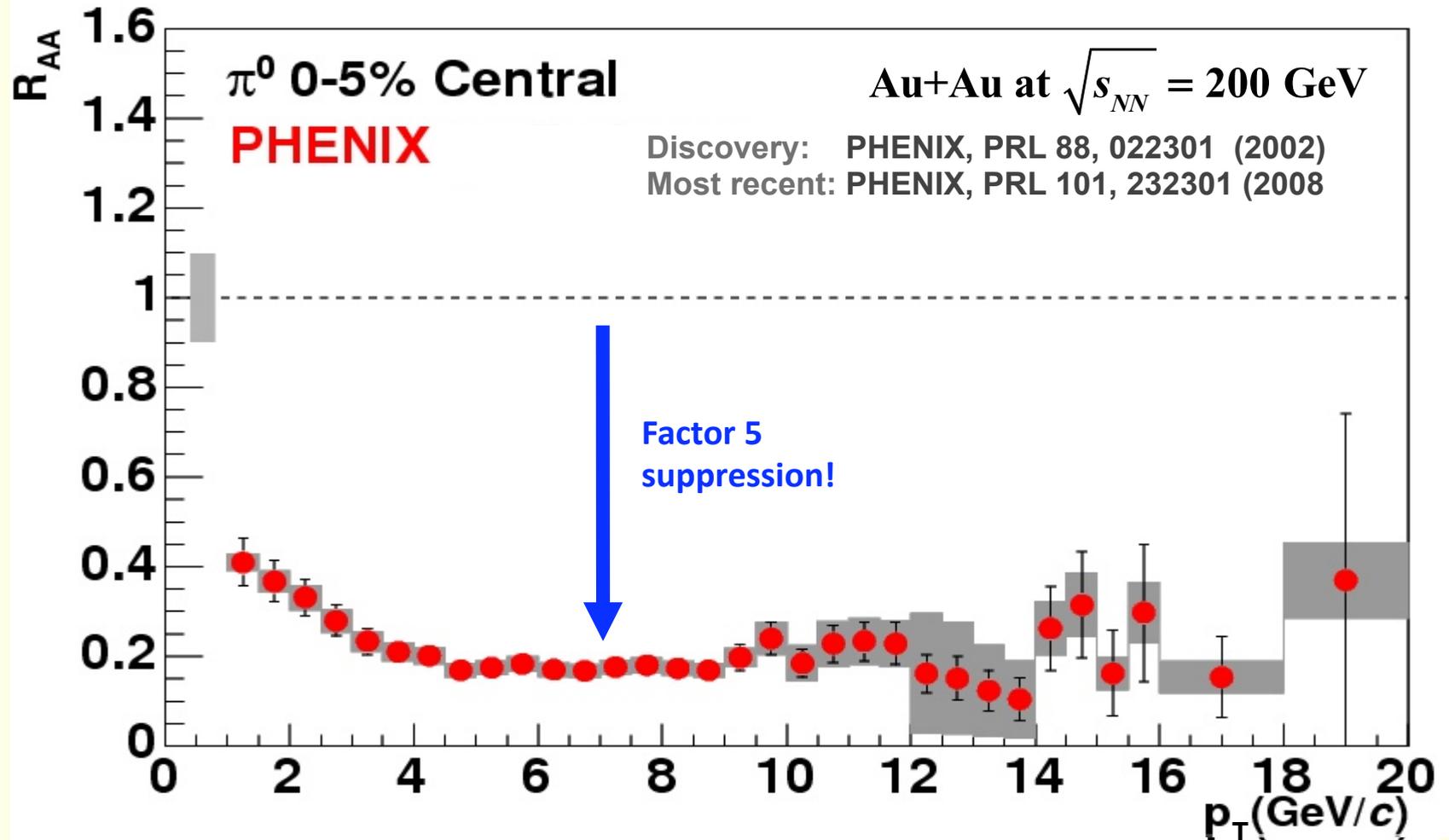
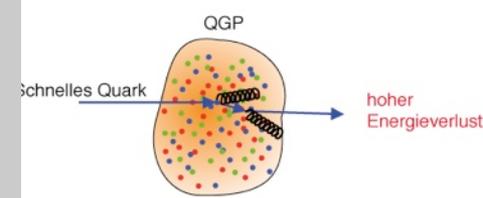


# $\pi^0$ spectra in p+p- and Au+Au Collisionen



**Strong suppression of the  $\pi^0$  spectrum in central Au+Au collisions relative to  $N_{\text{coll}}$ -scaled p+p spectrum**

# $\pi^0$ Production in Au+Au Collisions at $\sqrt{s_{NN}} = 200$ GeV



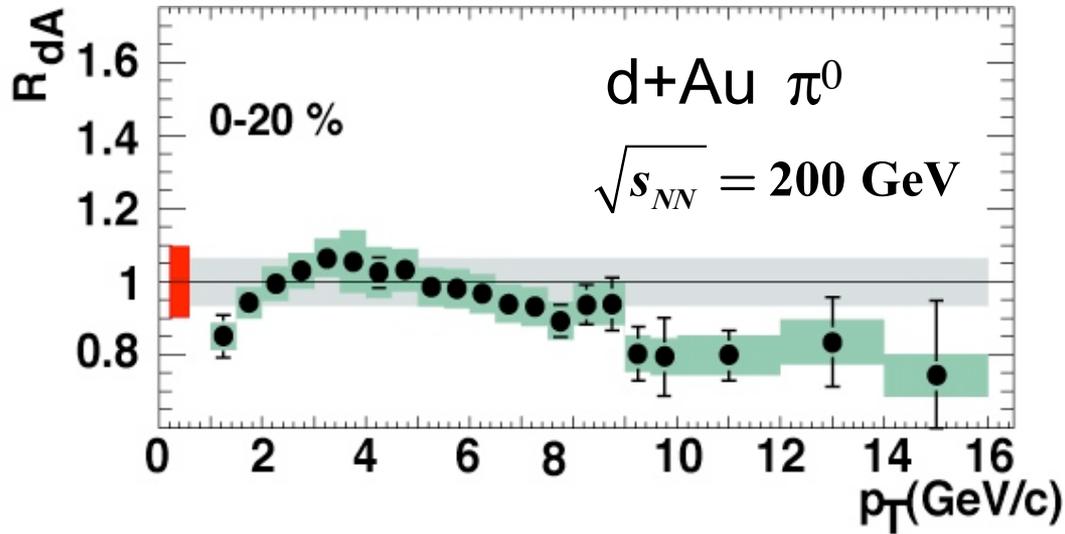
**Strong suppression in central collisions**

# Alternative Explanation: Effects of Cold Nuclear Matter ?

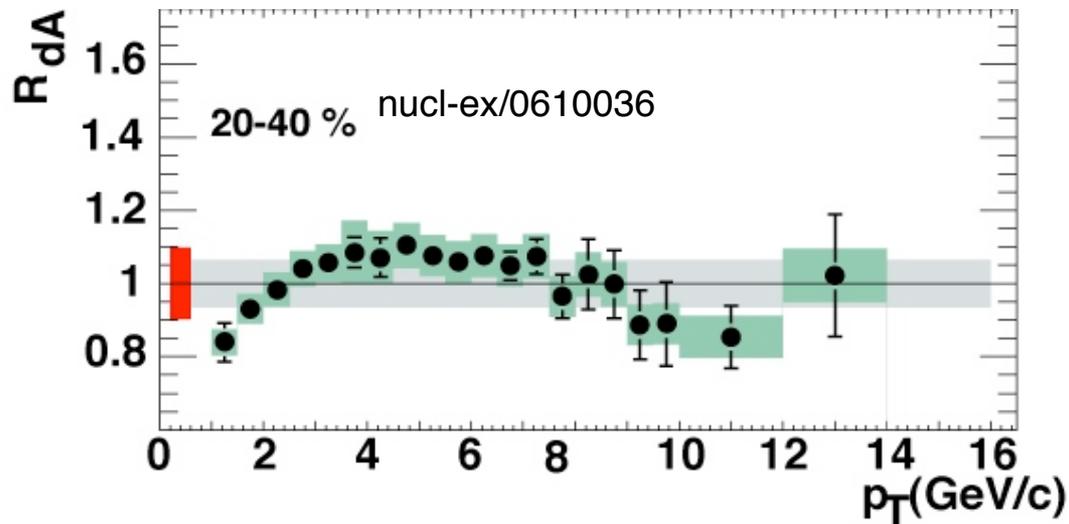
- Hadron suppression e.g. due to strong modification of parton distributions in heavy nuclei (**initial state effects**)?
- **Example: Color Glass Condensate Model**
  - ▶ Fewer gluons in wavefunction of incoming Au nuclei
  - ▶ Result: Fewer hard parton-parton scatterings and therefore fewer particles at high  $p_T$
  - ▶ Hadron suppression in Au+Au can be described!

Kharzeev, Levin, McLerran,  
Phys.Lett. B 561, 93 (2003)
- **Control Measurements**
  - ▶ Hadron production in d+Au
  - ▶ High- $p_T$  direct photons in Au+Au

# Cold Nuclear Matter Effects studied at RHIC with d+Au

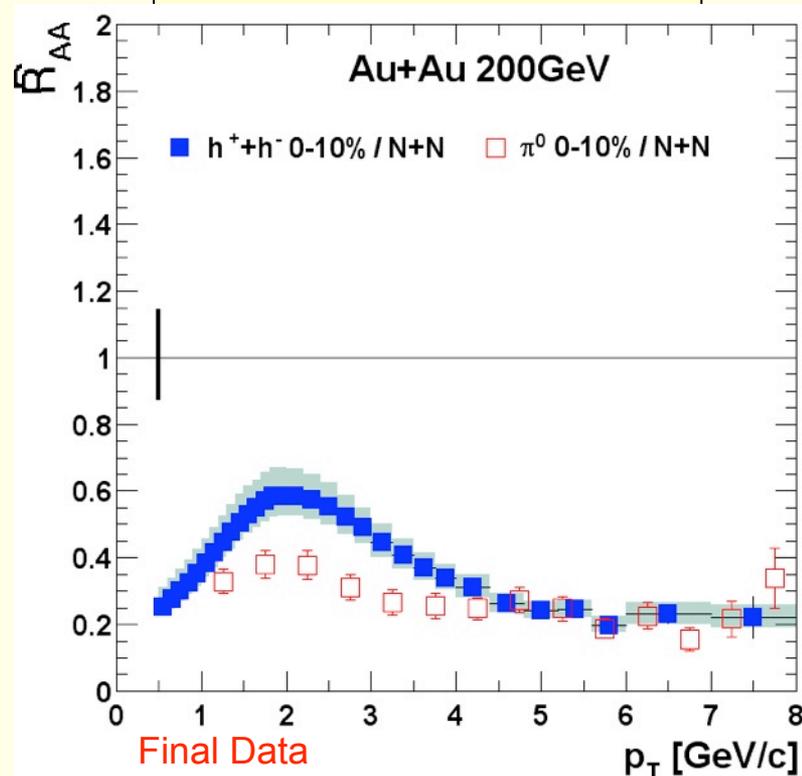


$R_{dA} \approx 1$ :  
Cold nuclear matter effects  
are small at  $\sqrt{s_{NN}} = 200$  GeV

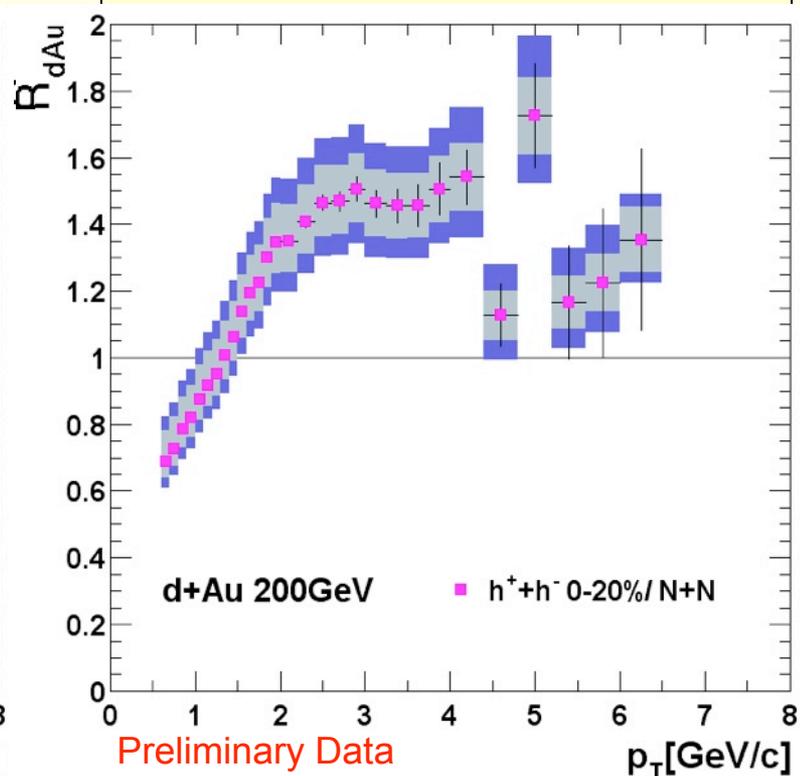


# Centrality Dependence of $R_{AA}$ in d+Au and Au+Au

## Au + Au Experiment



## d + Au Control Experiment

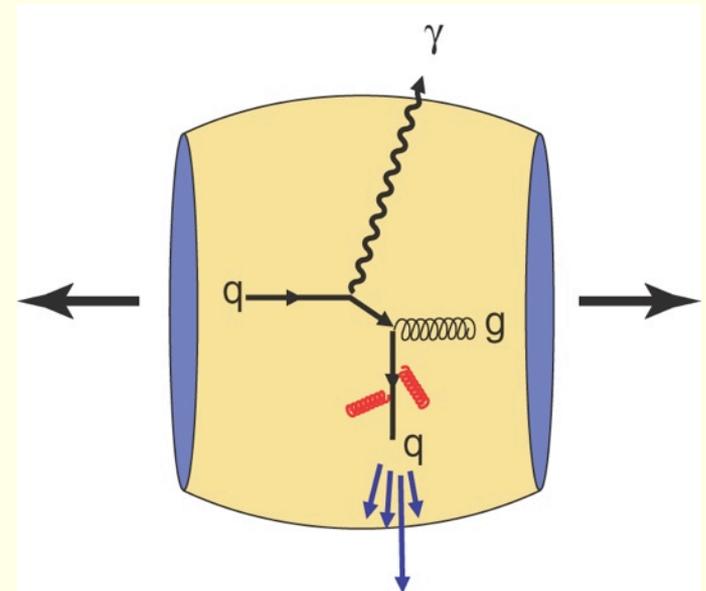
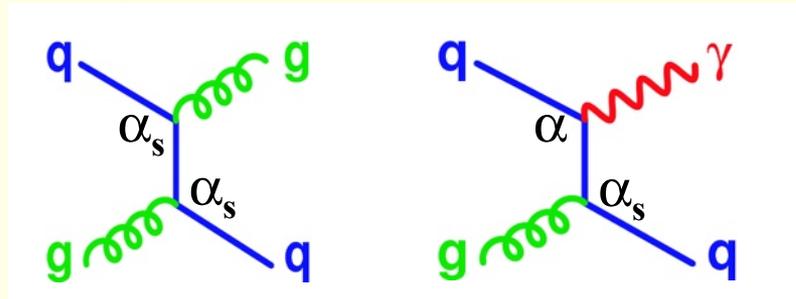


Upshot: Effects of cold nuclear matter cannot explain the suppression in central A+A

# Direct Photons at high $p_T$

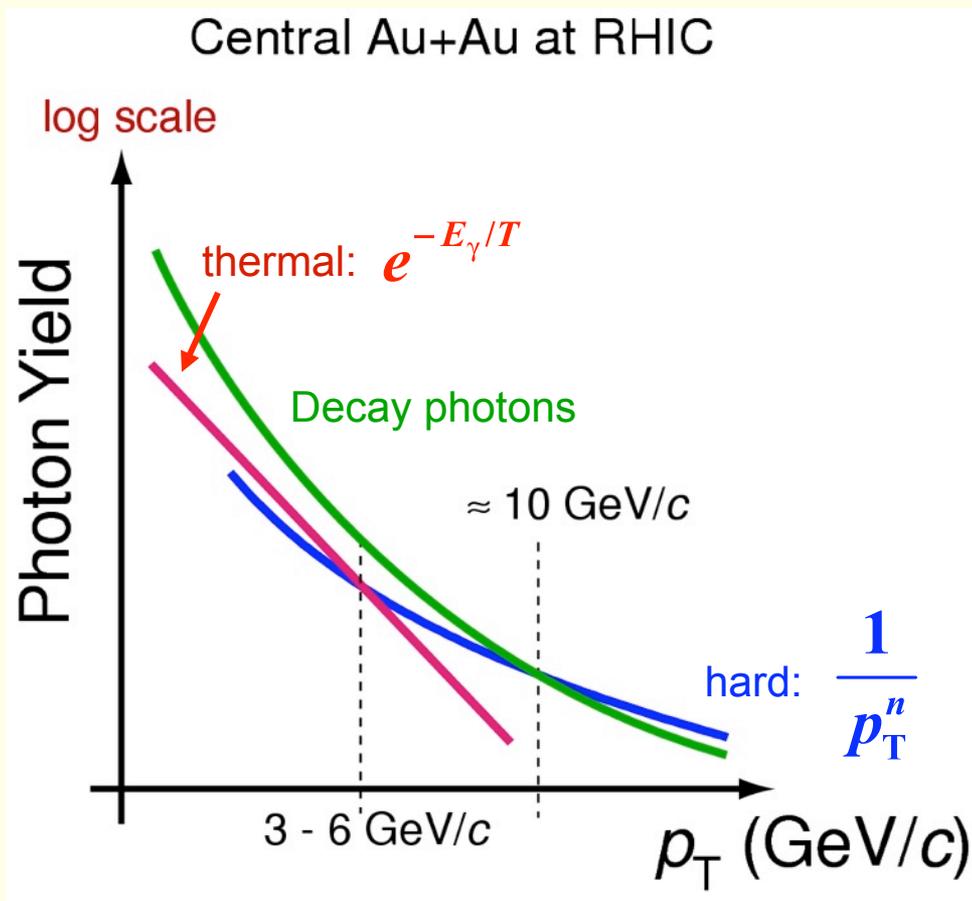
- Production of direct photons and hadrons at high  $p_T$  sensitive to the same parton luminosity

Example:



- Direct photons escape the medium unscathed

# Photon Sources in A+A Collisions



- **Direct photons from hard scattering dominate at high  $p_T$**

- **Experimental challenge: Background from hadron decays, e.g.**

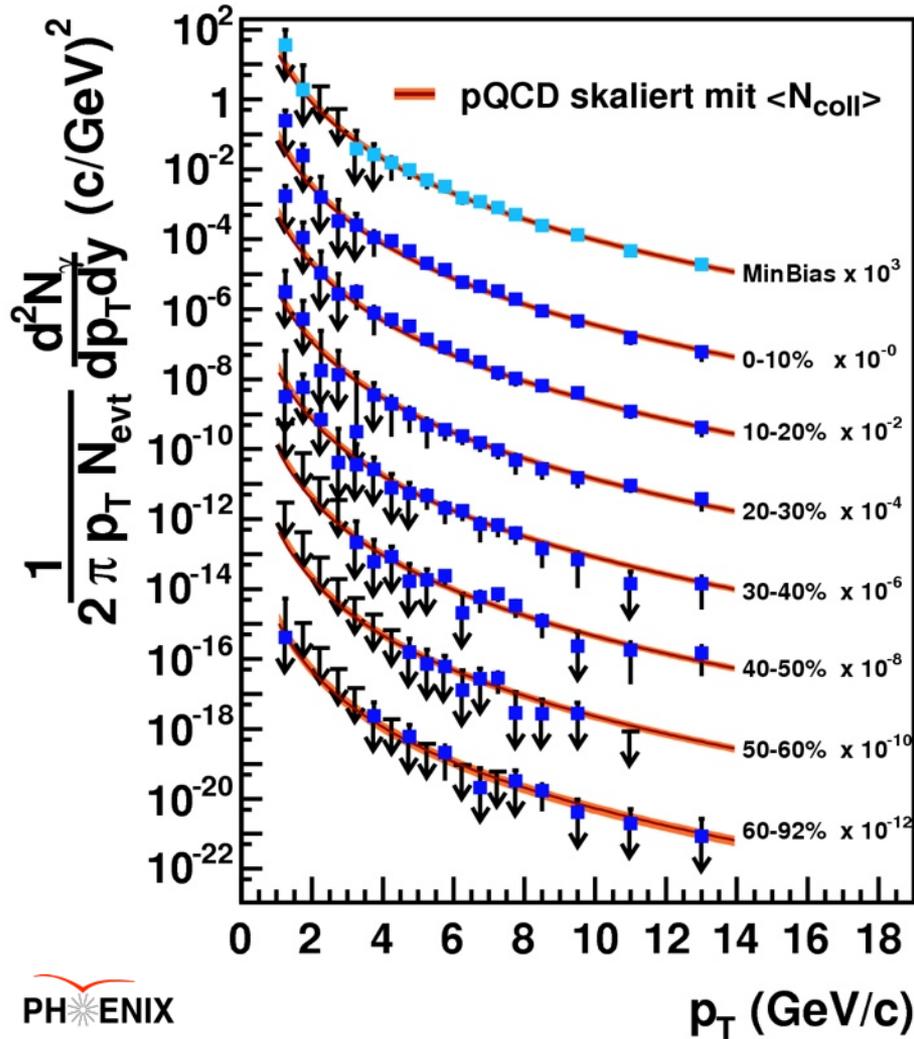


- **Method:**

$$\gamma_{\text{direct}} = \gamma_{\text{total}} - \gamma_{\text{decay}}$$

# Direct Photons in Au+Au

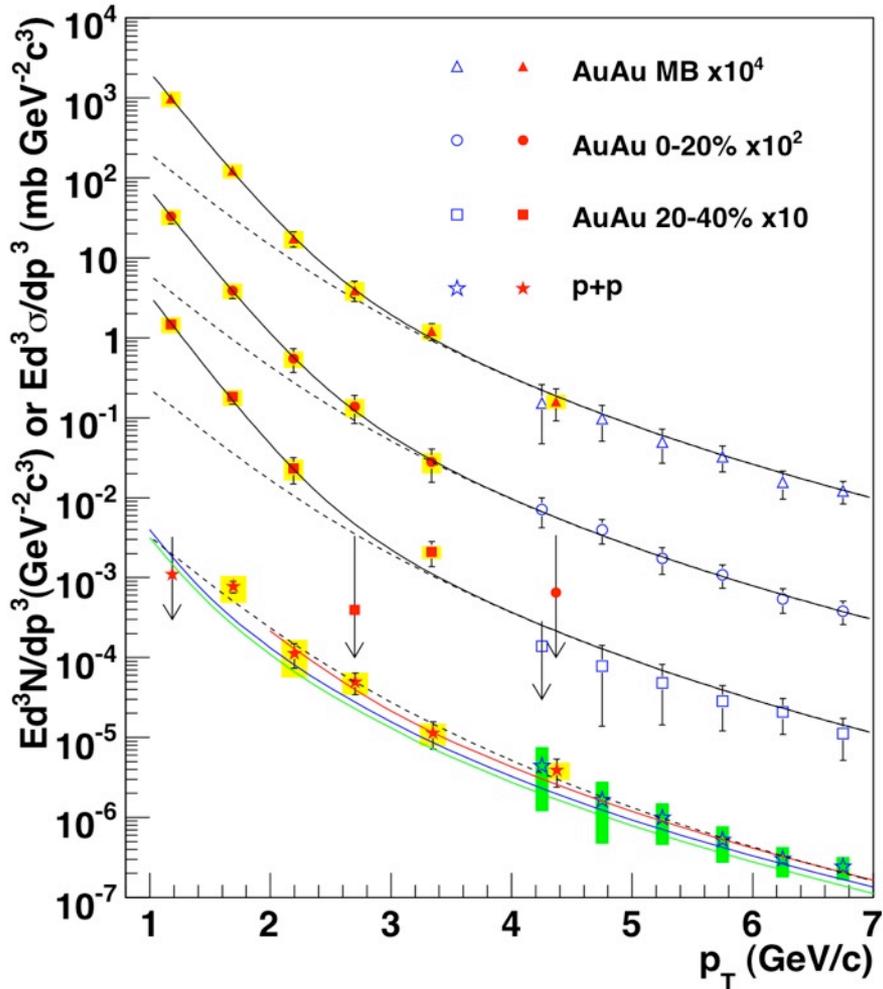
Au+Au bei  $\sqrt{s_{NN}} = 200$  GeV



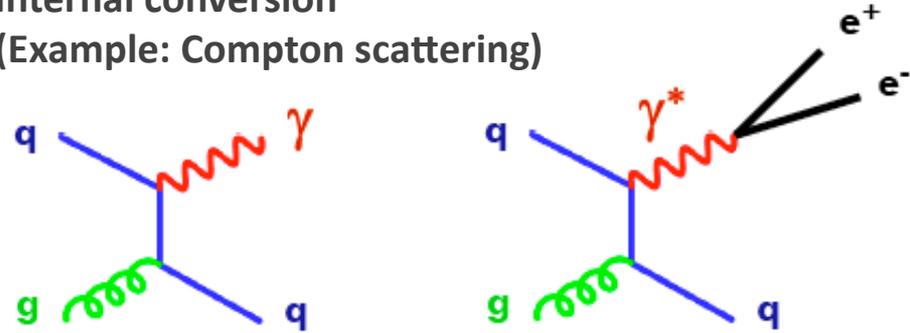
QCD +  $N_{\text{coll}}$  scaling describes direct photon spectra in Au+Au

Phys.Rev.Lett.94:232301,2005

# A Further Important Result: Evidence for Thermal Photons in Au+Au



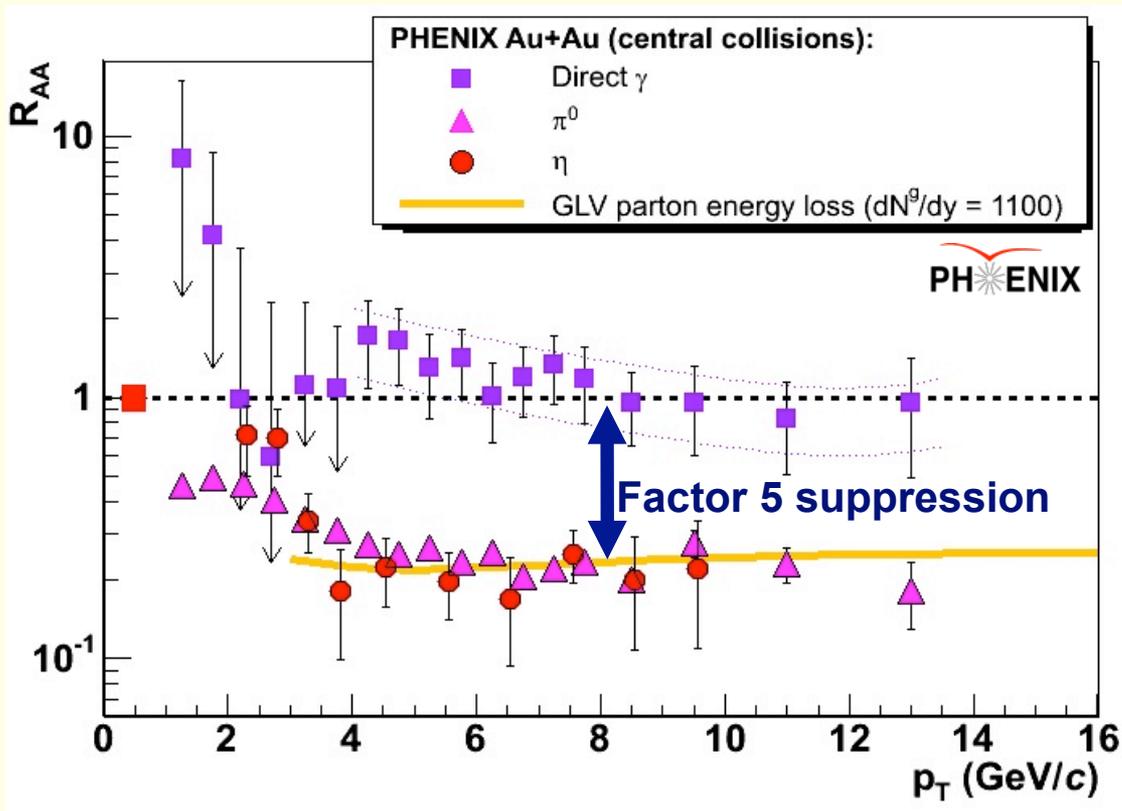
Internal conversion  
(Example: Compton scattering)



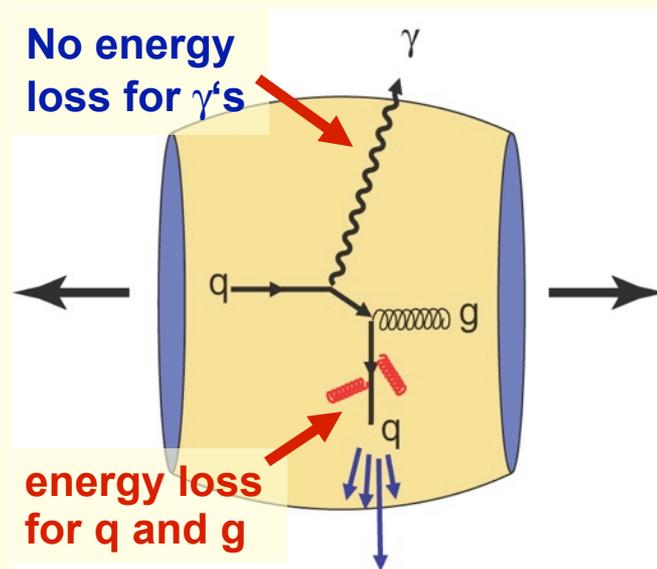
- Direct  $\gamma$ 's via internal conversion
- p+p:  
Direct  $\gamma$ 's consistent with pQCD
- Au+Au:
  - ▶ Excess above scaled p+p for  $p_T < 3 \text{ GeV}/c$
  - ▶ Shape:  $\exp(-p_T/T)$  with  $T = (221 \pm 23 \pm 18) \text{ MeV}$
- A real breakthrough!

PHENIX, arXiv:0804.4168v1

# Nuclear Modification factor for direct Photons

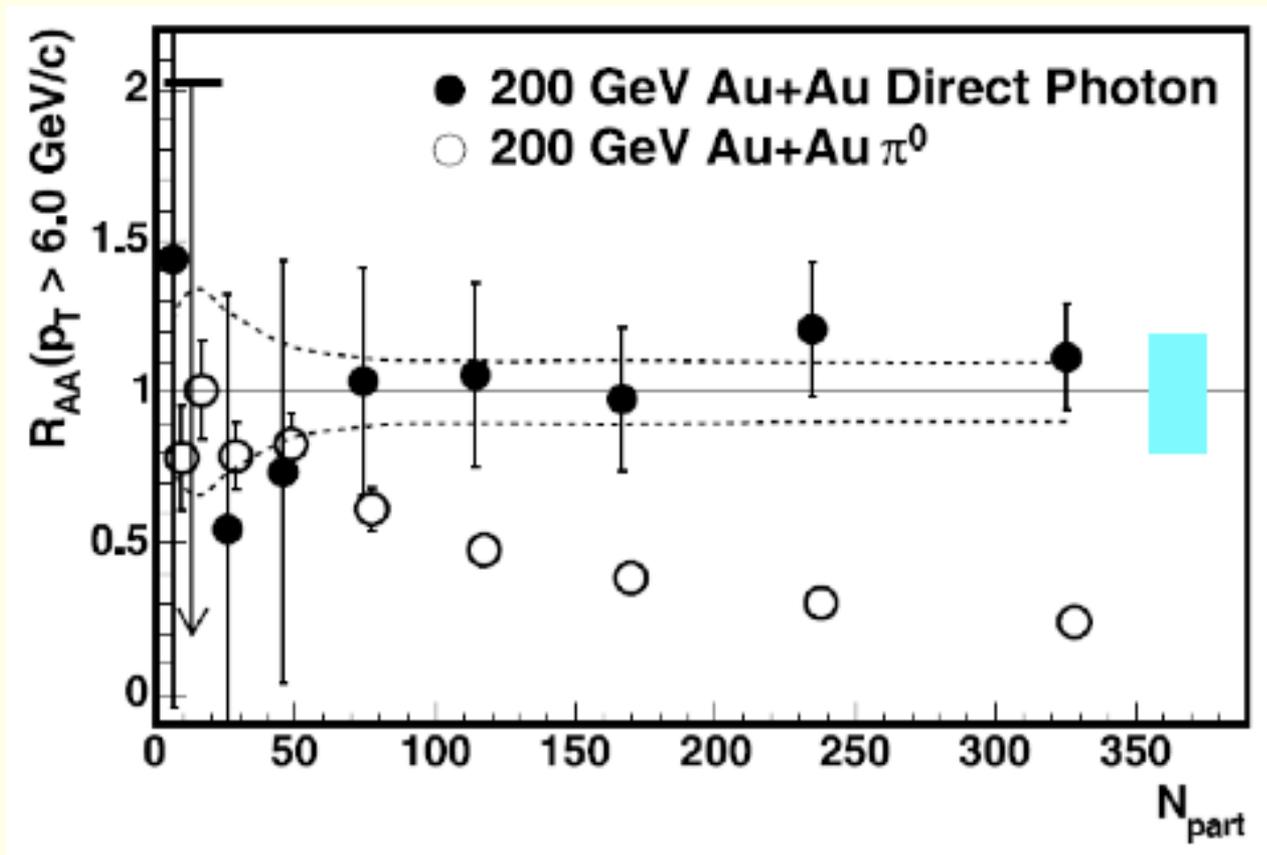


$$R_{AB} = \frac{dN / dp_T |_{A+B}}{\langle N_{coll} \rangle \times dN / dp_T |_{p+p}}$$



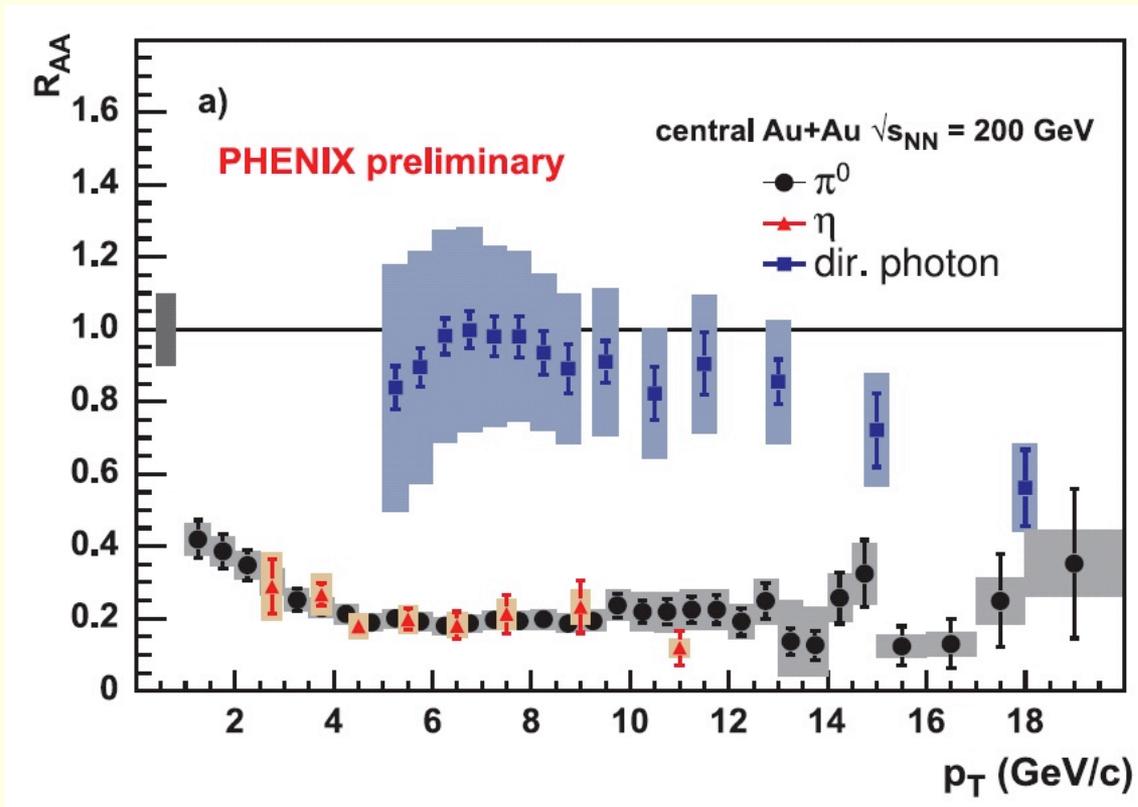
**Hadrons are suppressed whereas direct photons are not:  
Evidence for parton energy loss (as expected in the QGP)**

# Centrality Dependence of $\pi^0$ and Direct Photon Production in Au+Au at $\sqrt{s_{NN}} = 200$ GeV



Direct photons follow  $N_{coll}$  scaling expected for hard processes

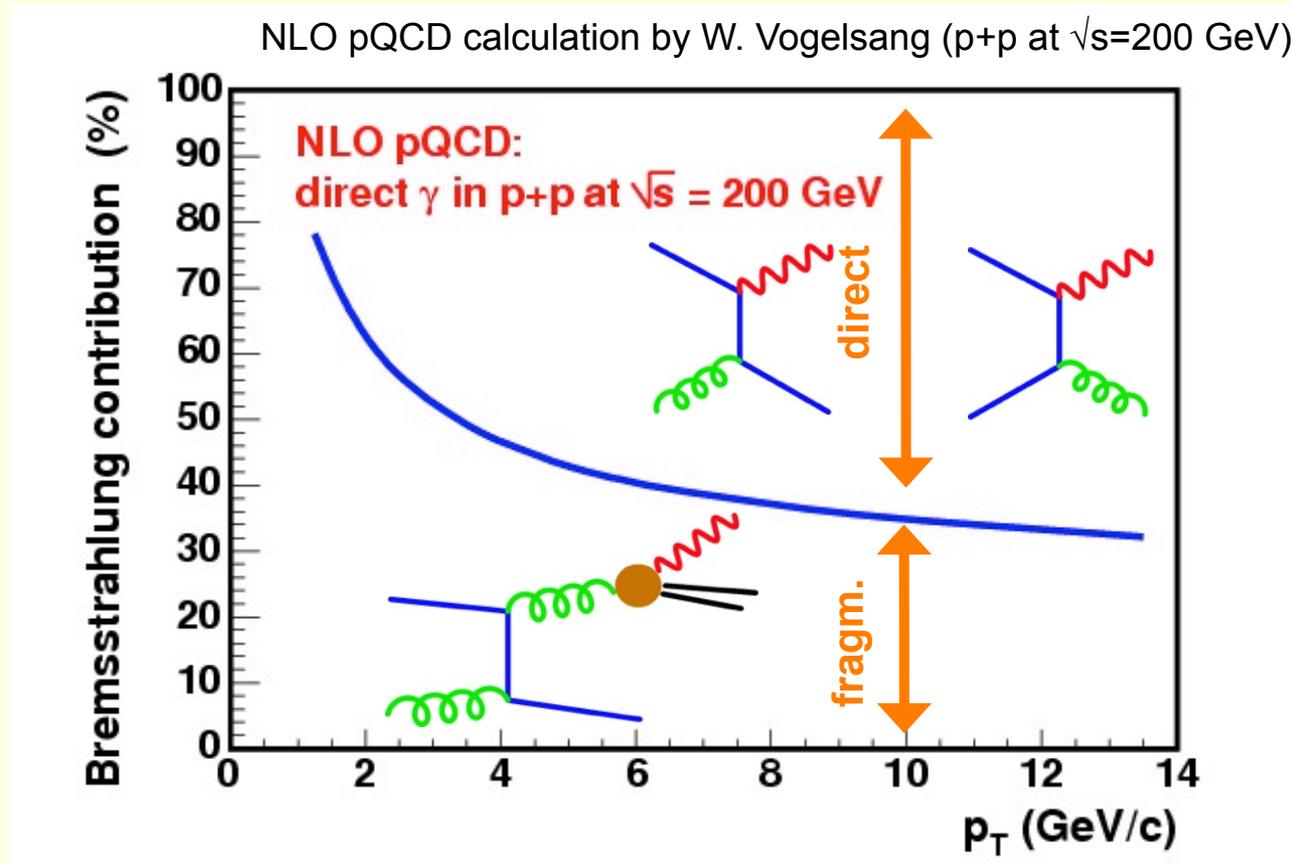
# More Recent Data with Higher Statistics



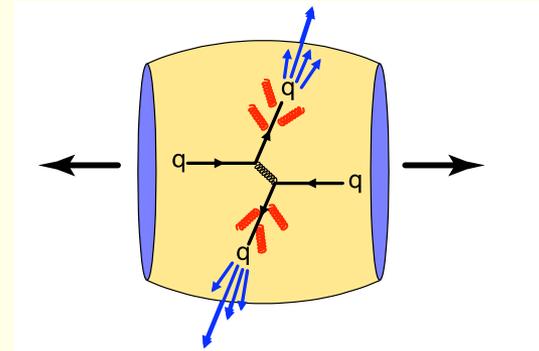
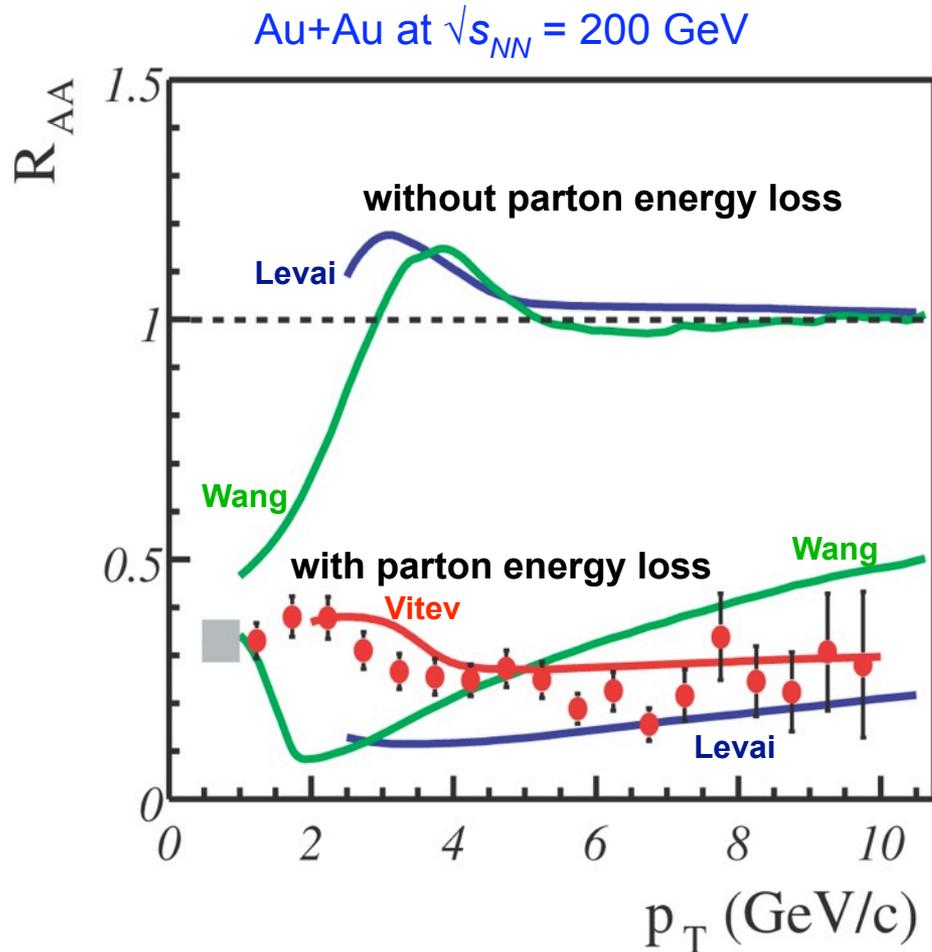
Possible Explanations for direct photon suppression at  $p_T \approx 18$  GeV/c:

- Proton/neutron difference
- Modification of parton distribution (EMC effect?)
- Quenching of fragmentation photons

# Direct and Fragmentation Component

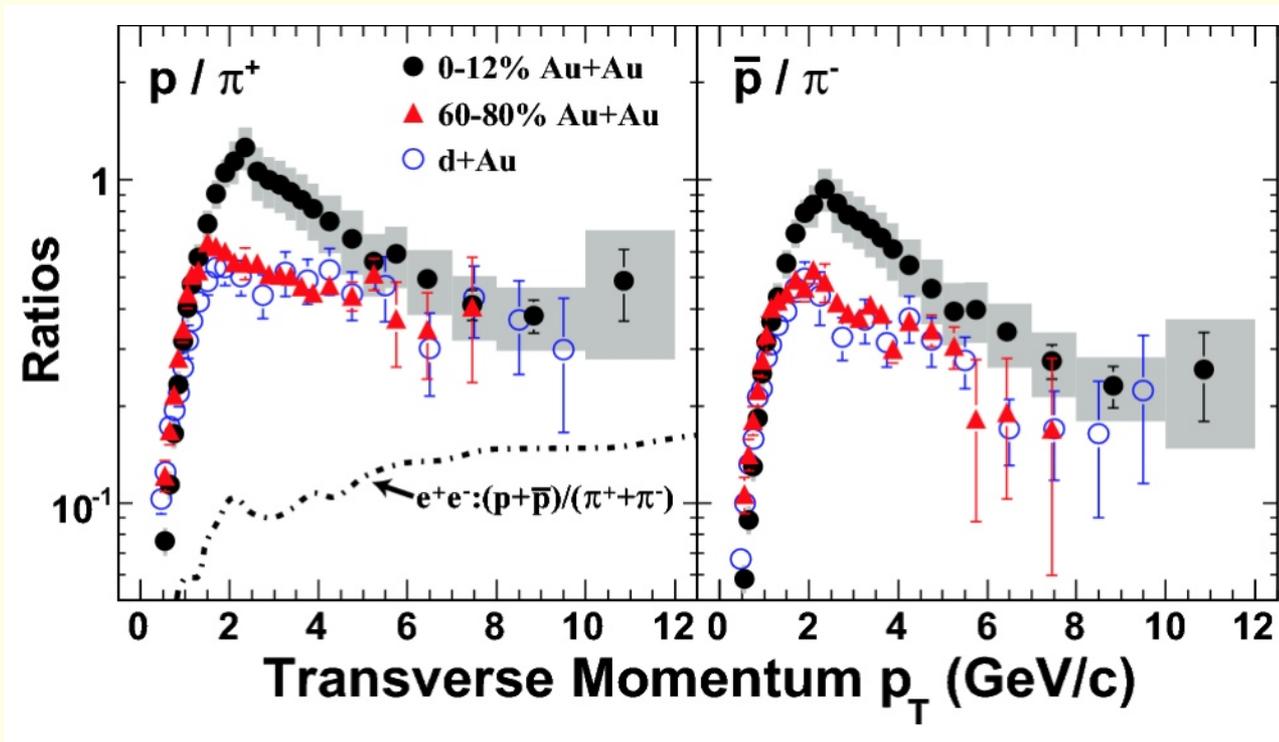


# Jet Quenching: Quantifying the Stopping Power of the Medium



- Data imply
  - ▶ high initial gluon density  
 $dN_{\text{Gluonen}} / dy \approx 1000 \pm 200$
  - ▶ high energy density  
 $\epsilon > 10 \text{ GeV}/\text{fm}^3 \gg \epsilon_c$
- Energy loss for a 10 GeV quark:  
 $\Delta E = 1,5 - 2 \text{ GeV}$

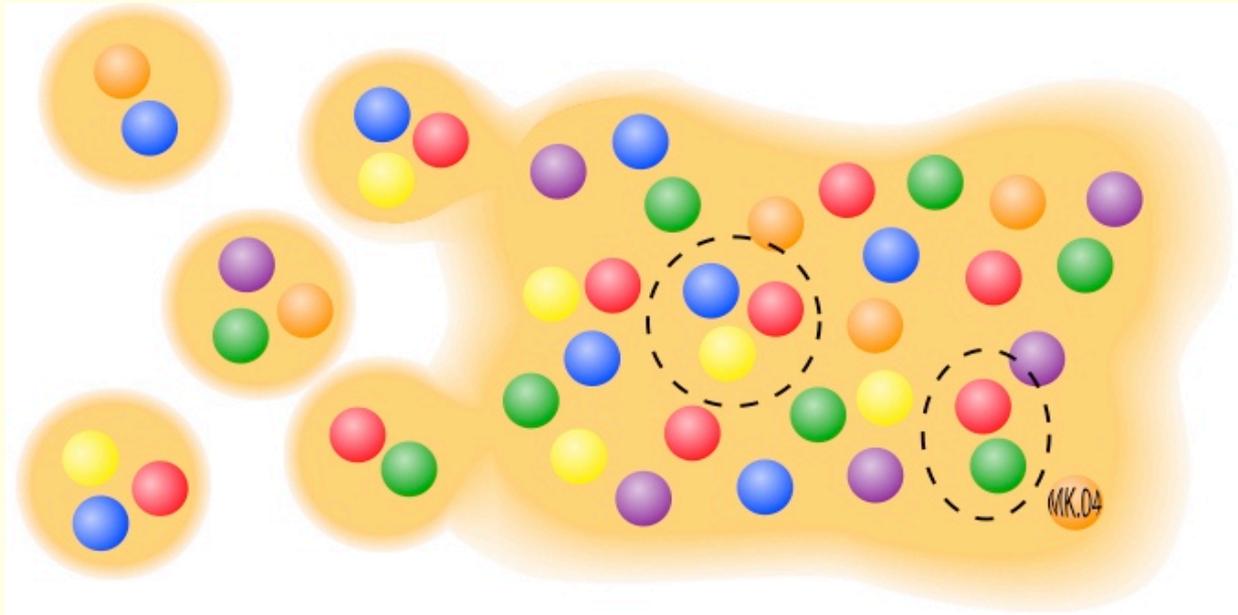
# Particle Composition at Intermediate $p_T$ : Unusually Large $p/\pi$ Ratio for $2 < p_T < 6$ GeV/c



- For a parton that hadronizes in the vacuum after traversing the medium (A+A collision), particle ratios should be similar to those in d+Au or  $e^+e^-$
- This is indeed approximately true for  $p_T > 6$  GeV/c
- $2 < p_T < 6$  GeV/c: quark coalescence ?

# What's going on at Intermediate $p_T$ ( $\sim 2 < p_T < \sim 6$ GeV/c) ?

**Coalescence of quarks from the QGP is a conceivable model for hadronization at intermediate  $p_T$ :**

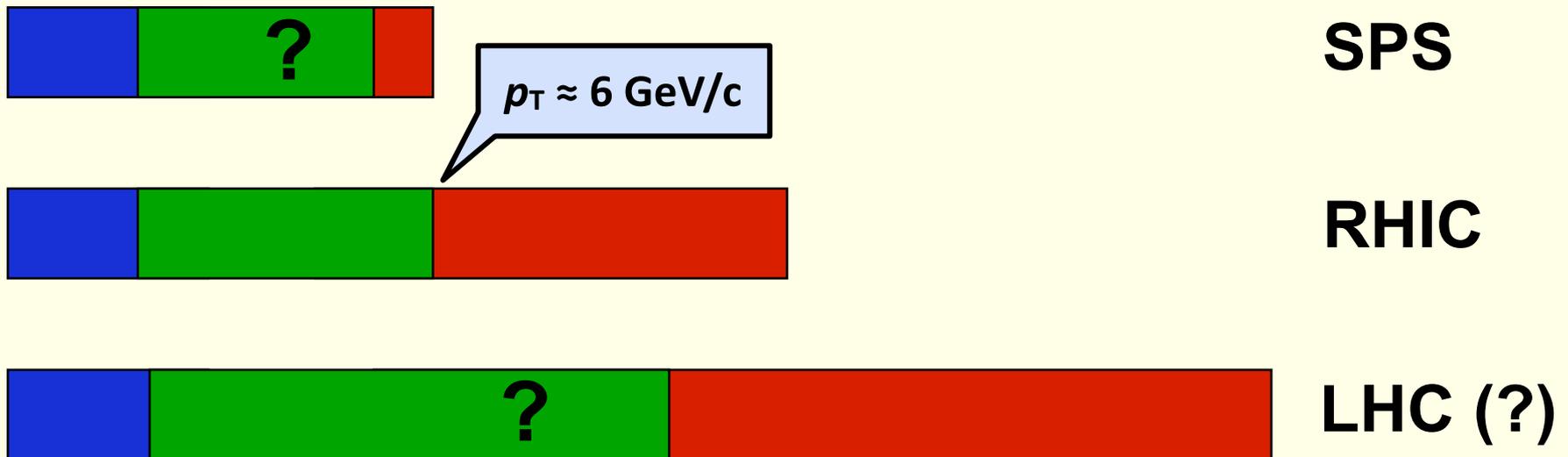


# Different Physical Pictures at Different $p_T$ Ranges in Heavy-ion Collisions

**Statistical  
hadronization**

**Recombi-  
nation**

**Jet  
physics**



Berndt Mueller,  
Quark Matter 2008

## 4.4 Further Tests of Parton Energy Loss

# Is Parton Energy Loss Really the Correct Explanation?

Dependence on parton species:

$$\Delta E_{\text{Gluon}} > \Delta E_{\text{Quark}, m=0} > \Delta E_{\text{Quark}, m \neq 0}$$

Dependence of hadron suppression on centrality and mass number  $A$

$p_T$  dependence of hadron suppression

Dependence on CMS energy  $\sqrt{s_{\text{NN}}}$

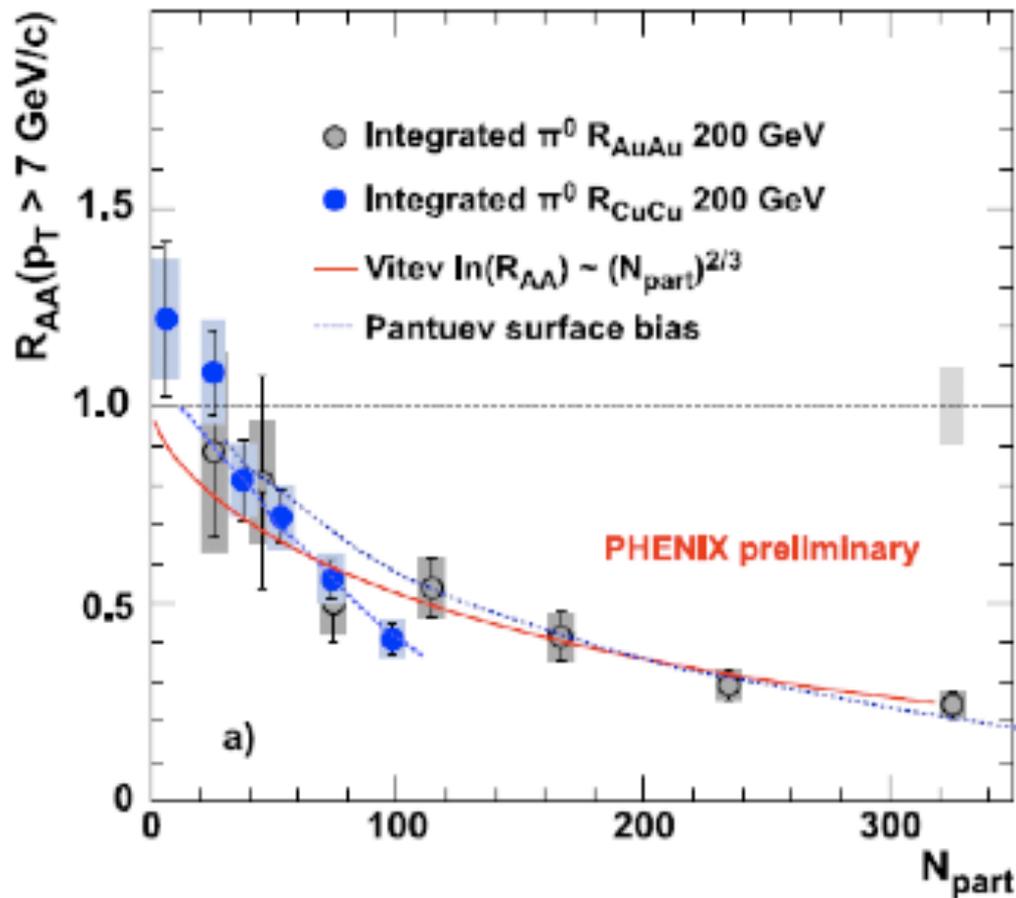
Dependence on path length  $L$

parton energy loss

Dependence on particle species (direct photons, different hadron species)

# Dependence of the Suppression on the Size of the Nuclei:

$\pi^0 R_{AA}$  in Au+Au and Cu+Cu at  $\sqrt{s_{NN}} = 200$  GeV



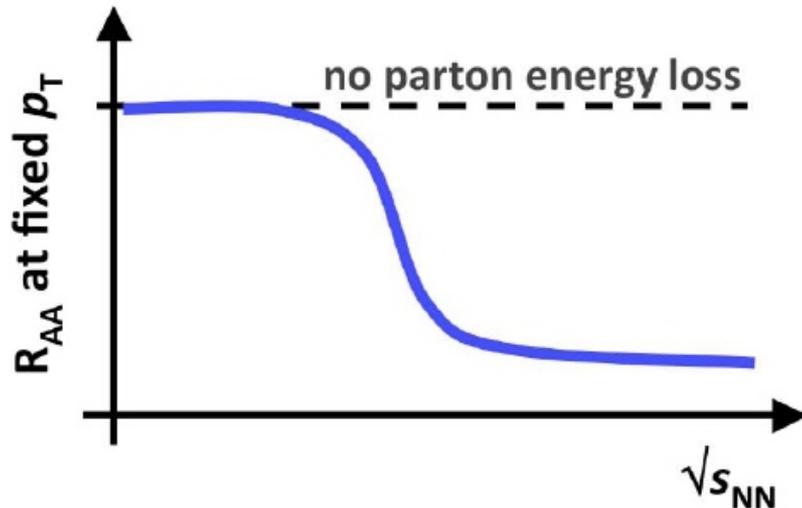
Approximately same  $R_{AA}$  in Au+Au and Cu+Cu for similar  $N_{part}$  values in accordance with jet quenching models

# $\sqrt{s_{NN}}$ Dependence of Parton Energy Loss

QGP



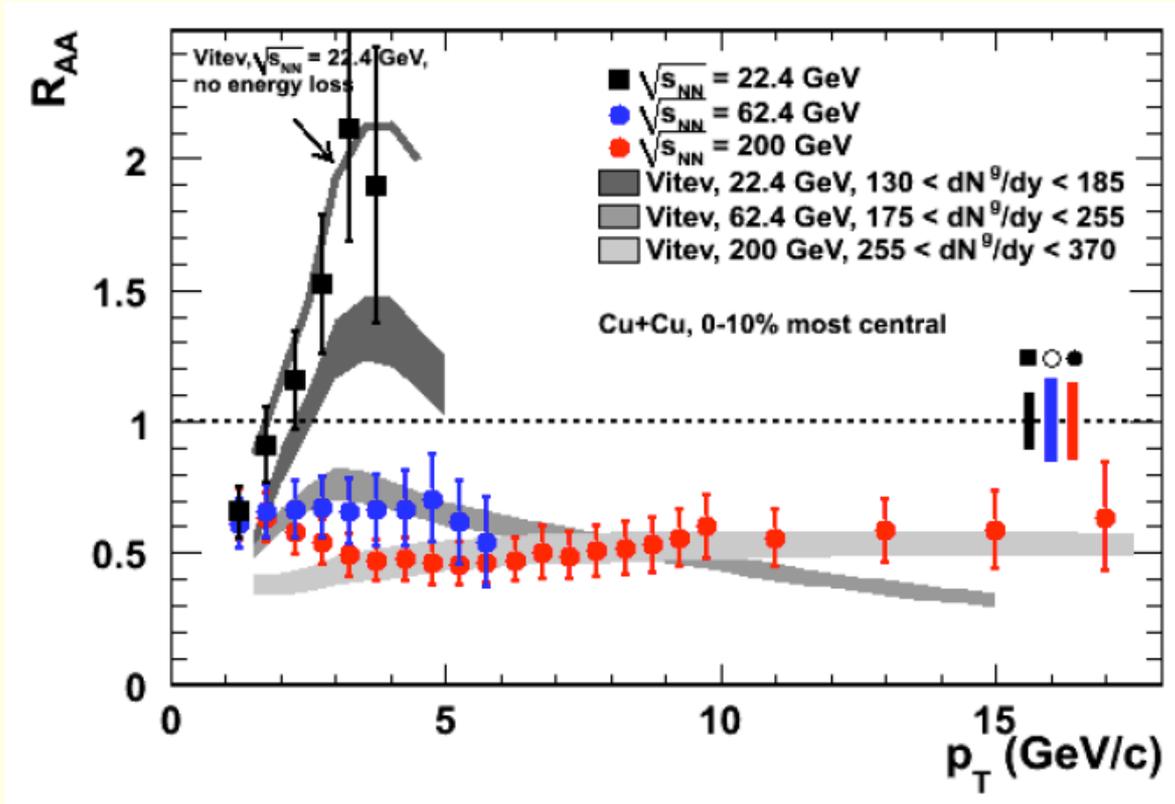
Suppression of hadrons at high  $p_T$



Onset of hadron suppression at a certain  $\sqrt{s_{NN,min}}$ ?

How do properties of the created QGP depend on  $\sqrt{s_{NN}}$ ?

# Cu+Cu at $\sqrt{s_{NN}} = 22.4, 62.4$ and $200$ GeV



Phenix, Physical Review Letters 101,162301 (2008)

In Cu+Cu parton energy loss starts to prevail over Cronin enhancement between  $\sqrt{s_{NN}} = 22.4$  GeV und  $62.4$  GeV

## 62.4 and 200 GeV

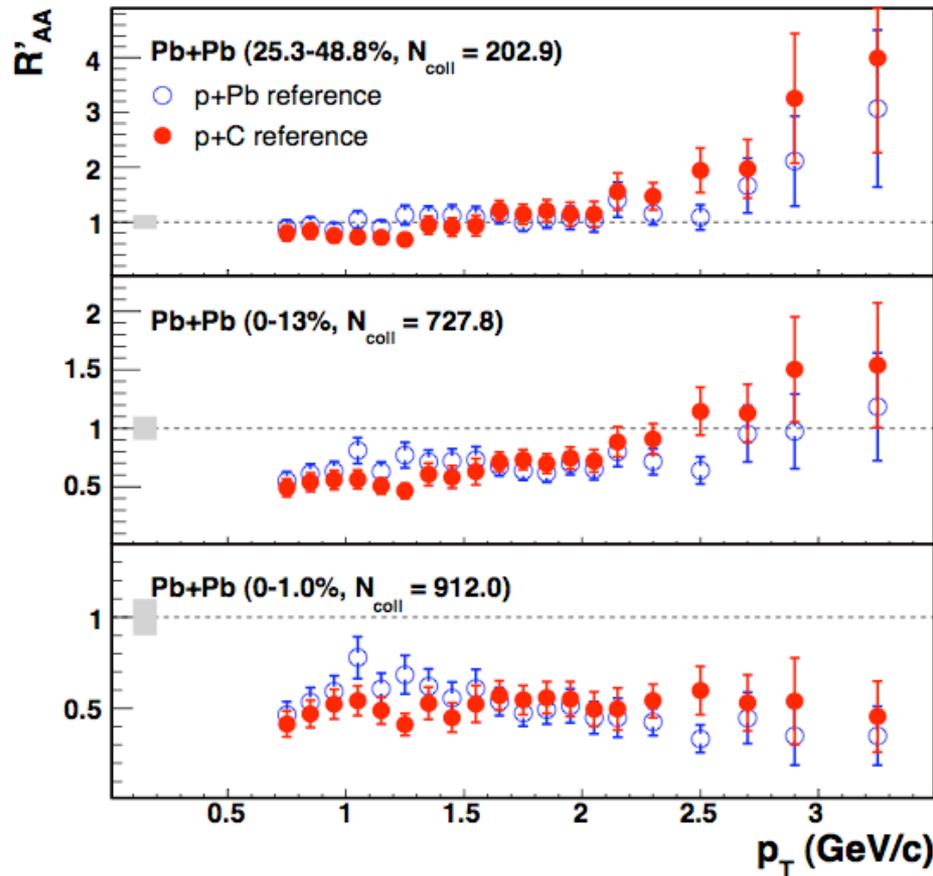
Consistent with parton energy loss model for  $p_T > 3$  GeV/c

## 22.4 GeV

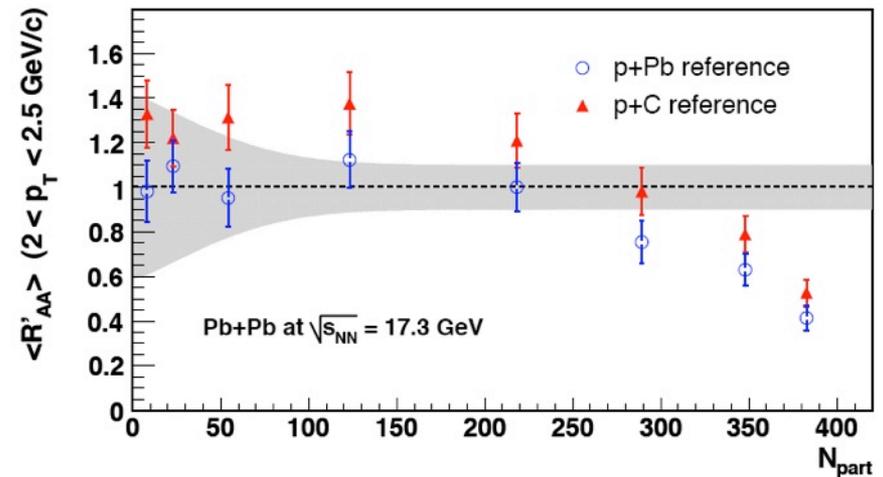
- No suppression
- Enhancement consistent with a calculation that describes Cronin effect in p+A

# $\sqrt{s}_{NN}$ Dependence of $R_{AA}$ :

## $R_{AA}$ in Pb+Pb Collisions at the CERN SPS ( $\sqrt{s}_{NN} = 17.3$ GeV)



$$R'_{AA} = \frac{\langle N_{coll}^{P+B} \rangle}{\langle N_{coll}^{A+A} \rangle} \frac{dN_{\pi^0}/dp_T|_{A+A}}{dN_{\pi^0}/dp_T|_{p+B}}$$

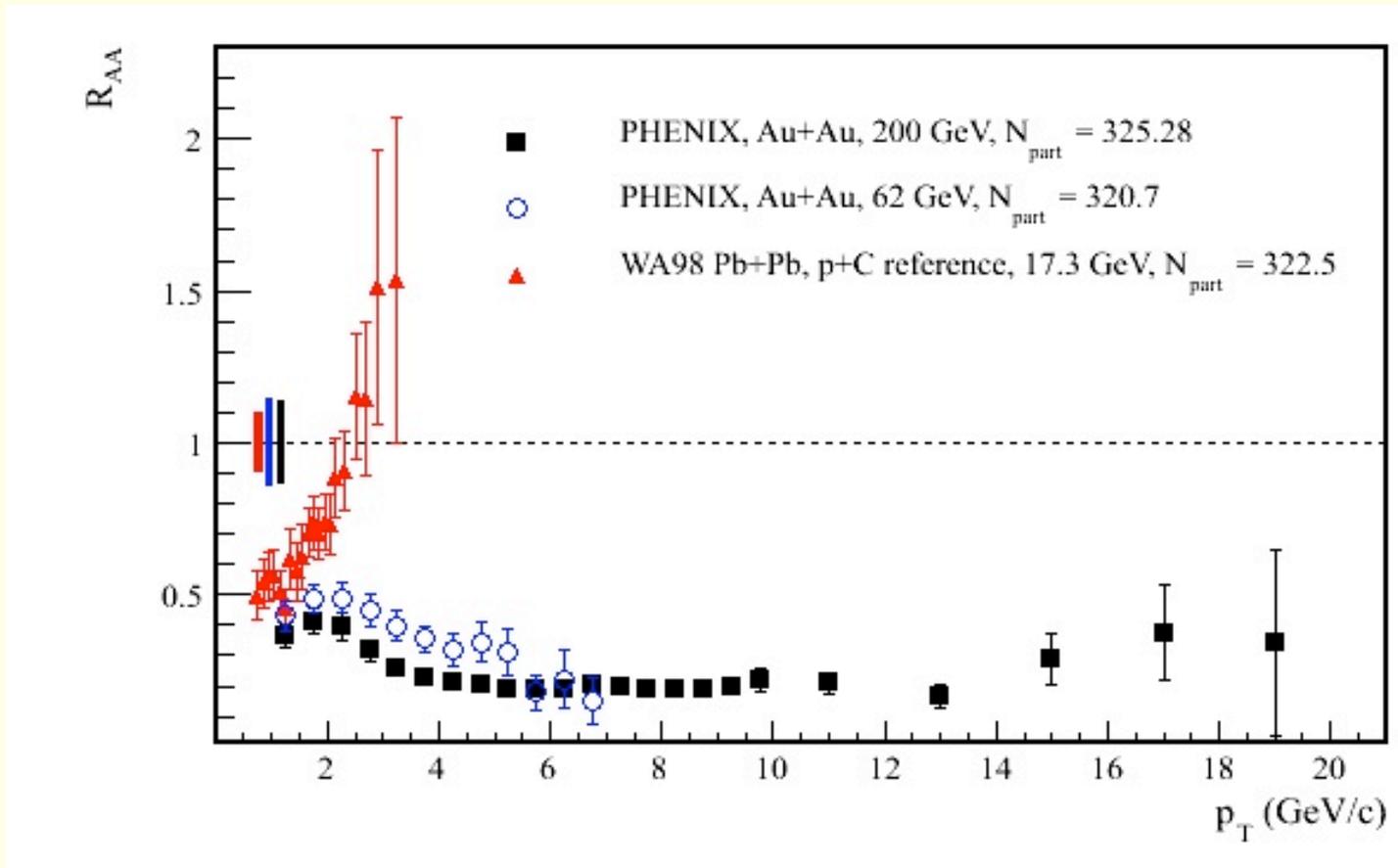


WA98, Physical Review Letters 100, 242301 (2008)

**High  $p_T$  pion suppression even at SPS, but only in very central Pb+Pb collisions ( $N_{part} > 300$ )**

# Energy Dependence of $R_{AA}$ in central Pb+Pb (Au+Au):

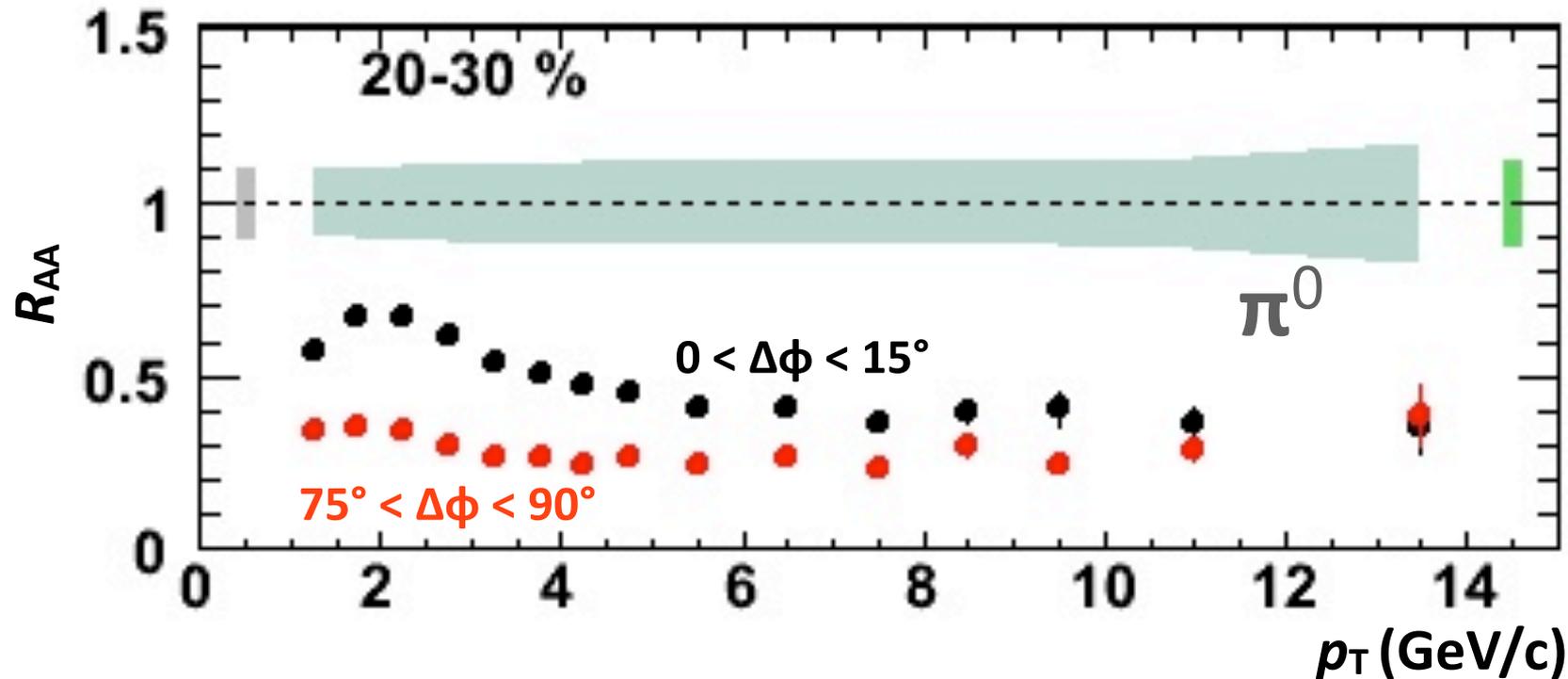
$\sqrt{s_{NN}} = 17.3, 62.4$  and  $200$  GeV



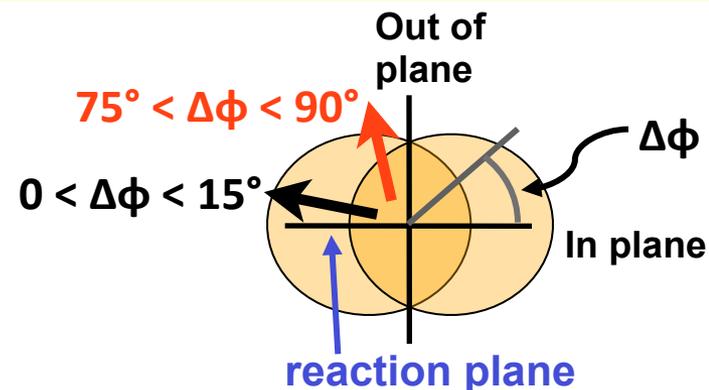
Same observation as in lighter system (Cu+Cu):

Suppression sets in between  $\sqrt{s_{NN}} = \sim 20$  GeV und  $62.4$  GeV

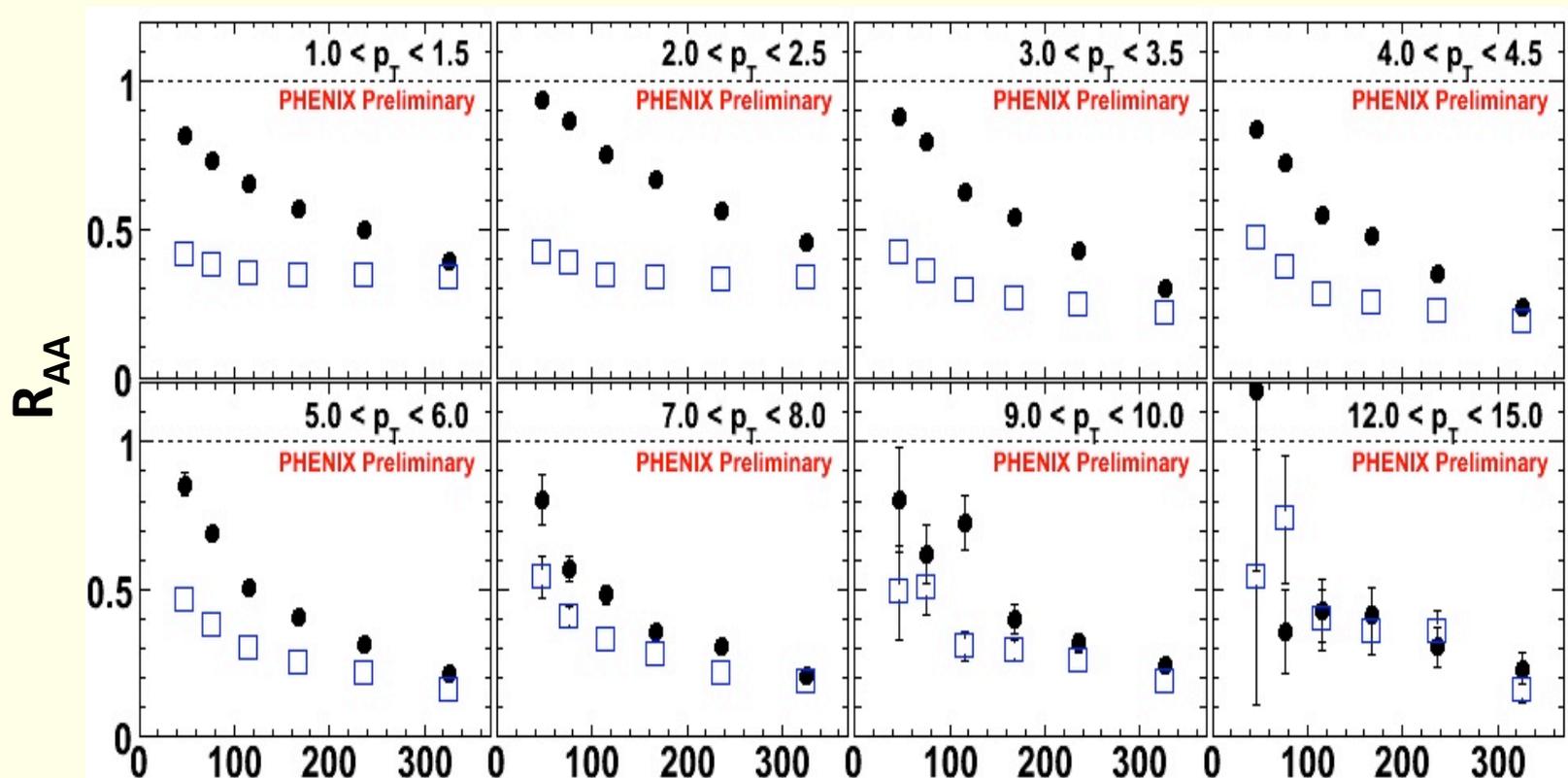
# Pathlength Dependence: Studying the Reaction Plane Dependence of $R_{AA}$



- Pathlength in the medium is longer in the out of plane direction
- $R_{AA}$  expected to smaller ou of plane, indeed observed

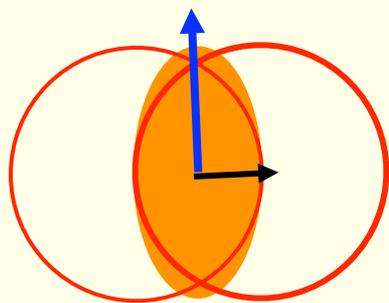


# $\pi^0 R_{AA}$ as a Function of the Angle w.r.t. the Reaction Plane: Centrality Dependence



● in-plane

□ out-of-plane



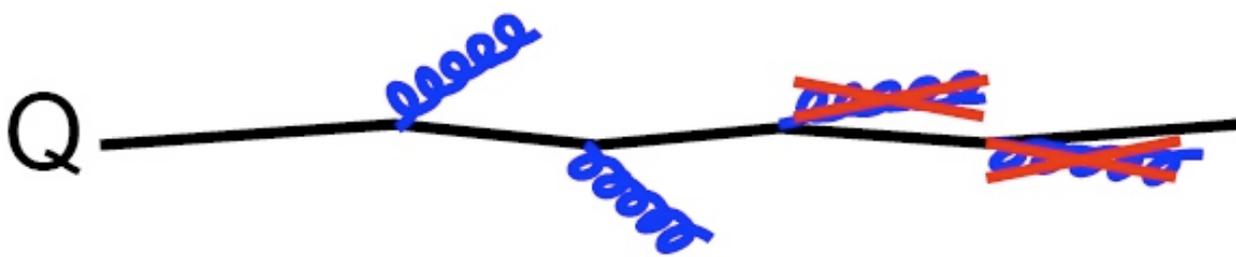
$N_{Part}$

- Constrain dependence of parton energy loss on geometry/path length
- Unfortunately, this doesn't distinguish between different theoretical approaches so far (talk Majumder)

# Heavy Quark Energy Loss

## Dead Cone Effect:

- Gluon emission at small angles suppressed for heavy quarks
- Consequence: Energy loss for heavy quarks expected to be smaller



The diagram shows a heavy quark  $Q$  moving from left to right. It emits several gluons, represented by curly lines. Two gluons are shown in blue, and two are shown in red and crossed out with blue lines. The red gluons are emitted at very small angles relative to the quark's path, illustrating the dead cone effect where such emissions are suppressed for heavy quarks.

$$\omega \left. \frac{dI}{dw} \right|_{\text{HEAVY}} = \frac{\omega \left. \frac{dI}{dw} \right|_{\text{LIGHT}}}{\left( 1 + \left( \frac{m_Q}{E_Q} \right)^2 \frac{1}{\theta^2} \right)^2}$$

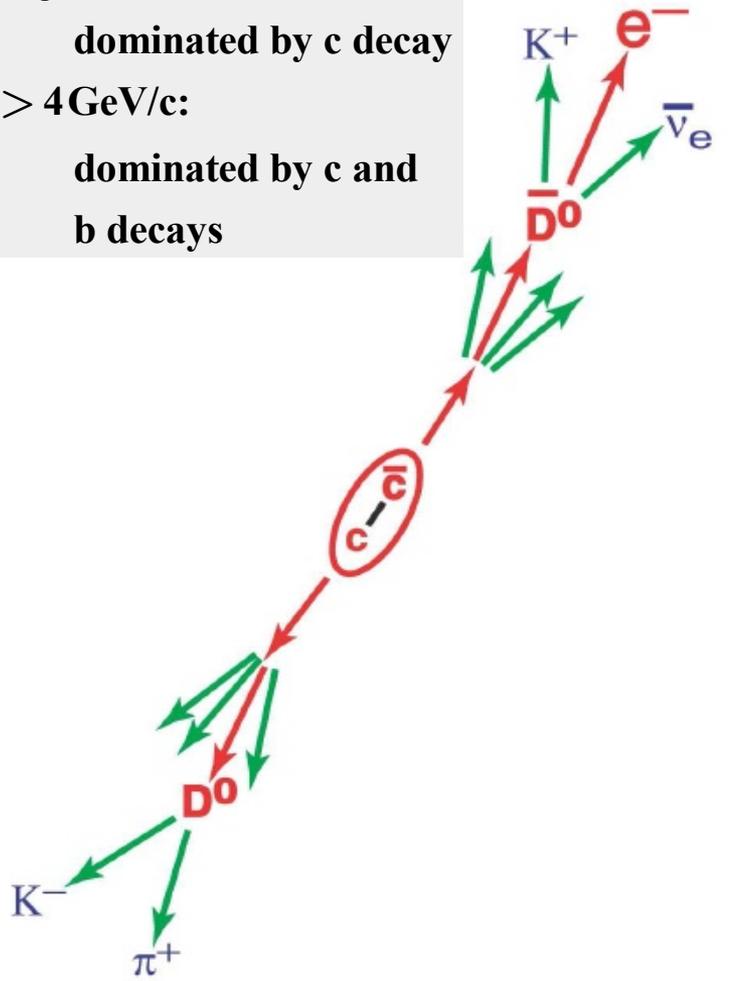
# Heavy Quark Energy Loss: Measurement of Charm Production via Electrons

$1 < p_T < 3 \text{ GeV}/c$ :

dominated by c decay

$p_T > 4 \text{ GeV}/c$ :

dominated by c and  
b decays



- **Observable:**  
Excess electrons after subtraction of trivial sources ( $\gamma$  conversion,  $\pi^0$  Dalitz decay [ $\pi^0 \rightarrow e^+e^-$ ], ...)
- Electrons from decay of charm and bottom quarks dominant source of excess electrons



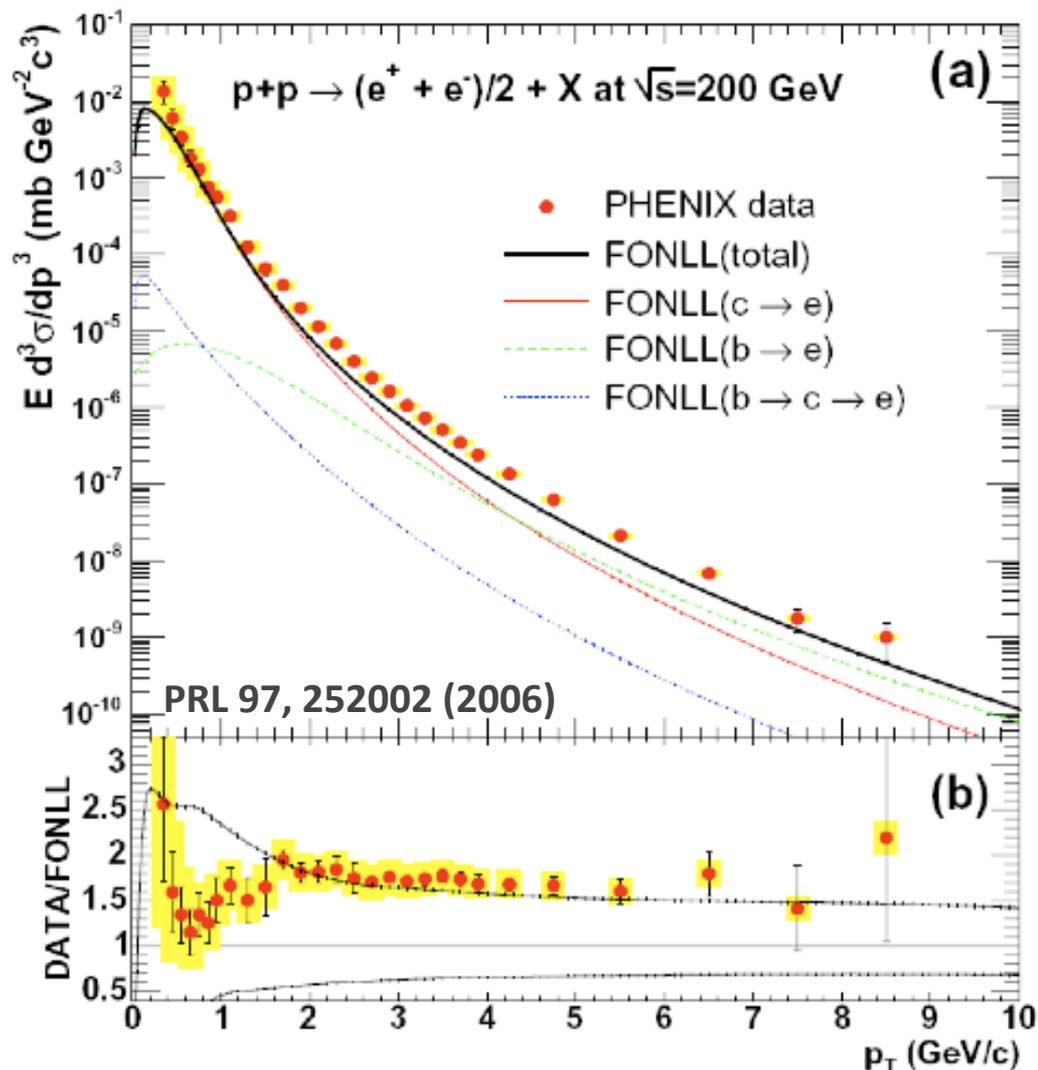
- D meson reconstruction via  $K\pi$  channel requires good secondary vertex reconstruction:

$$D^{+/-} : c\tau = 312 \mu\text{m}$$

$$D^0 : c\tau = 123 \mu\text{m}$$

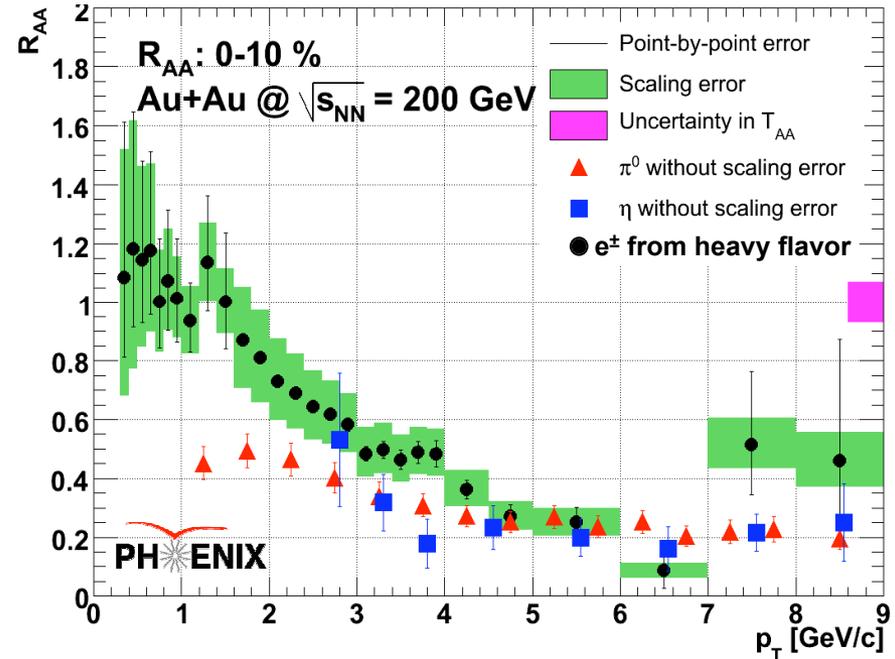
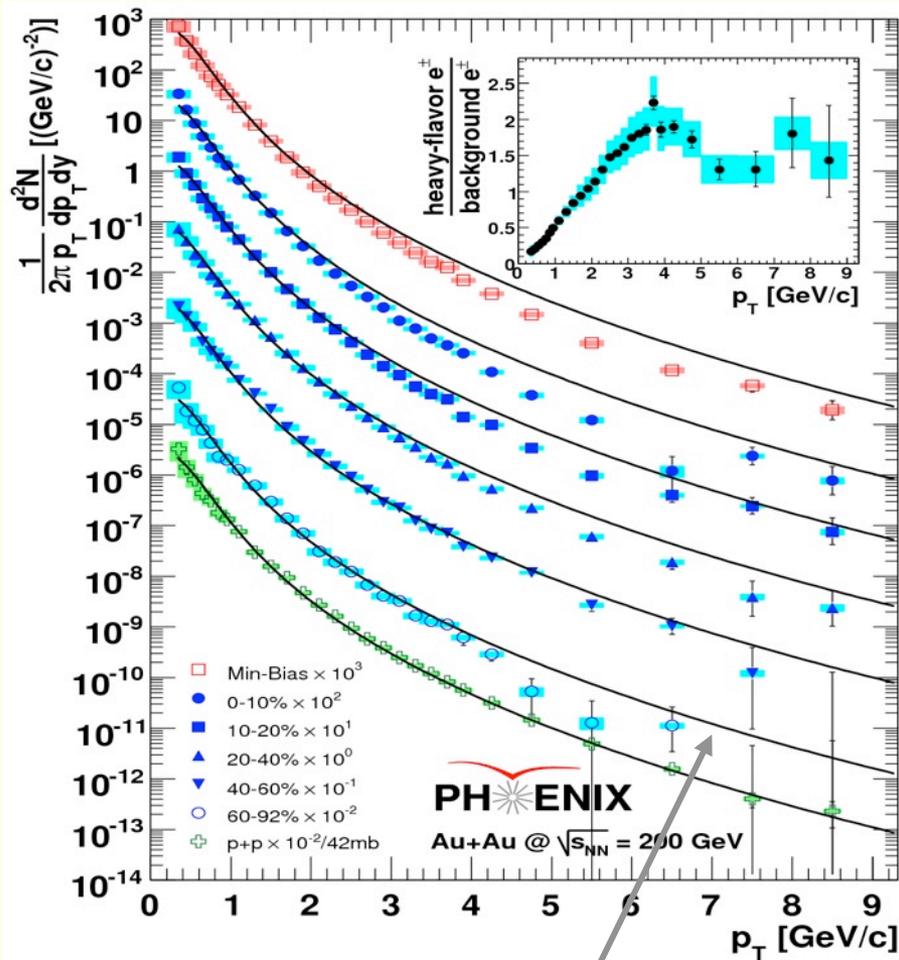
$$L_{\text{lab}} = v \cdot \gamma \cdot \tau = \beta \cdot \gamma \cdot c\tau = \frac{p}{mc} \cdot c\tau$$

# Excess Electrons in p+p at $\sqrt{s} = 200$ GeV



Perturbative QCD calculation  
(FONLL = Fix-order-next-to-leading-log) in agreement with measurement within systematic uncertainties

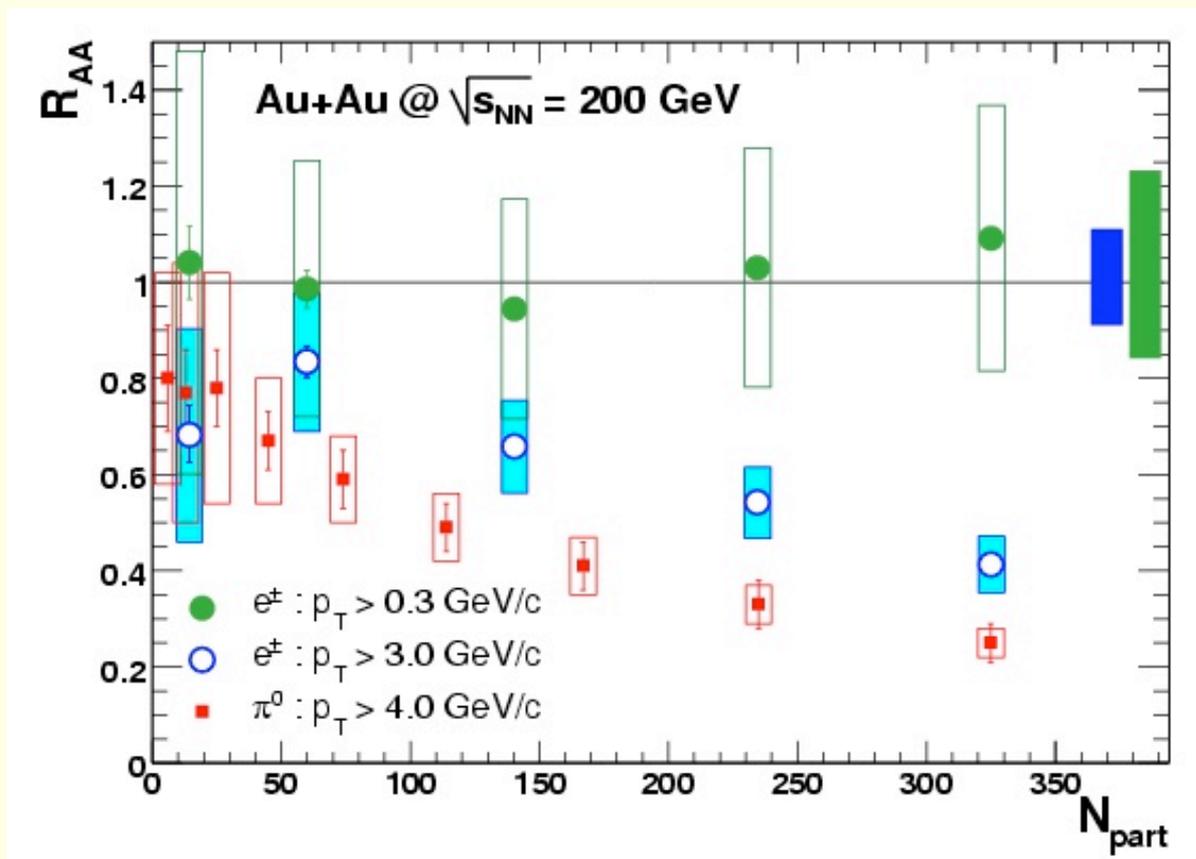
# Excess Electrons in Au+Au at $\sqrt{s_{NN}} = 200$ GeV: As Strongly Suppressed as Pions



Electrons from heavy quarks as strongly suppressed in central Au+Au as pions

FONLL calculation scaled by  $T_{AB}$

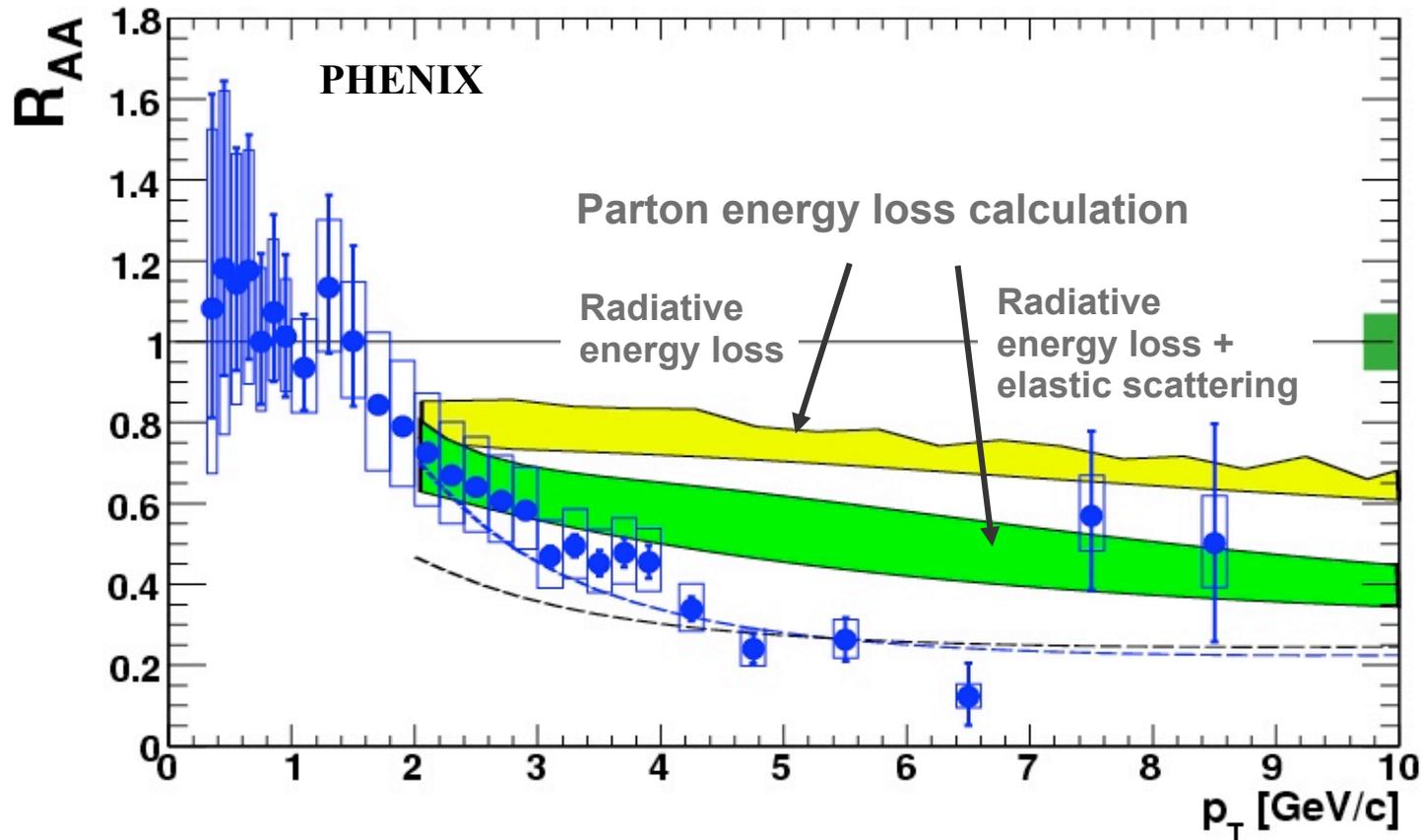
# Centrality Dependence of the Electron Suppression



- Total charm yield (i.e.  $p_T > 0.3$  GeV/c) scales with TAB as expected for charm production in hard processes
- High  $p_T > 4$  GeV/c charm yields appear to be suppressed in central Au+Au collisions

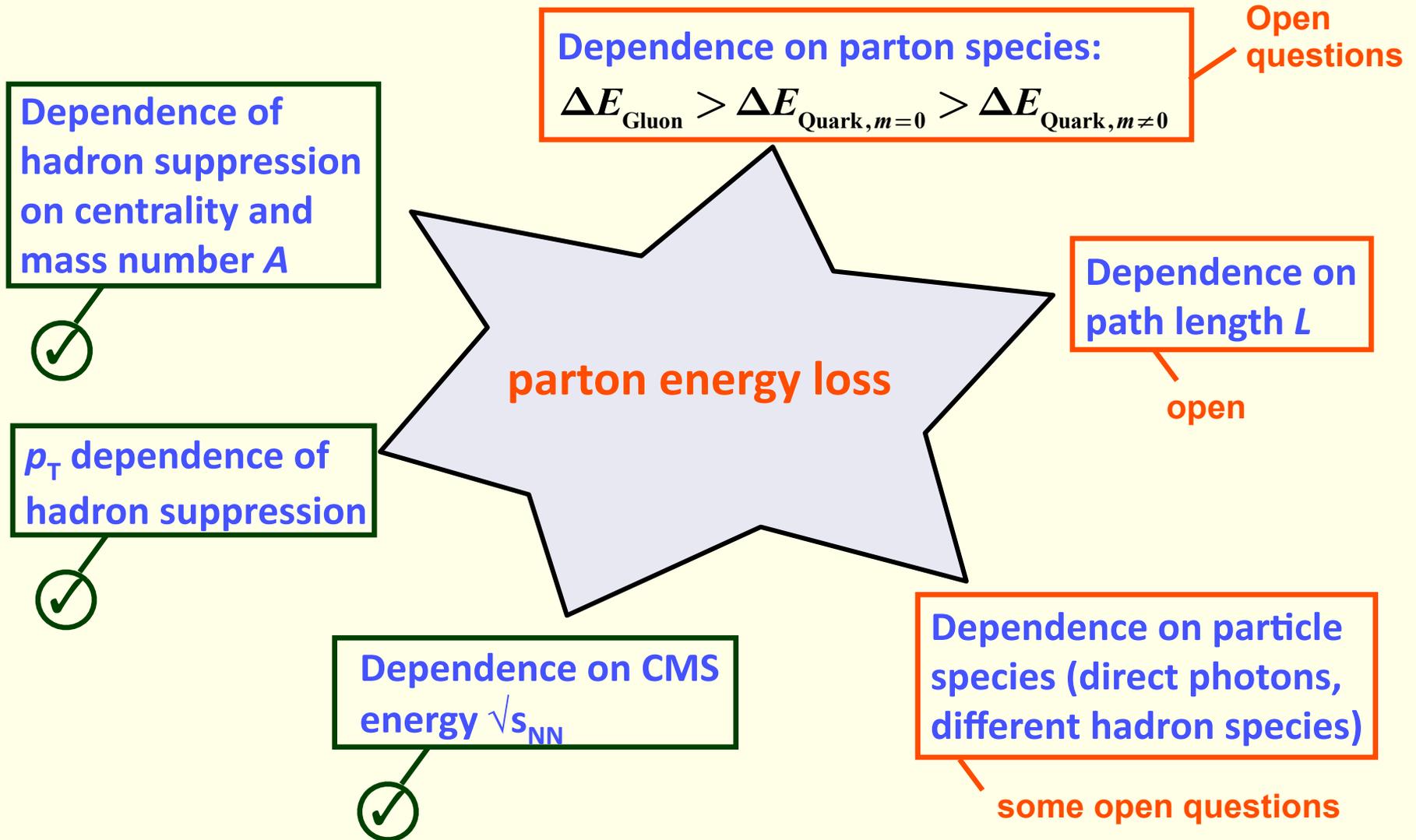
# Excess Electrons in Au+Au at $\sqrt{s_{NN}} = 200$ GeV:

## Not Really Understood with Current Energy Loss Models



- Radiative energy loss not sufficient to describe excess electron  $R_{AA}$
- Inclusion of elastic scattering improves the situation only slightly

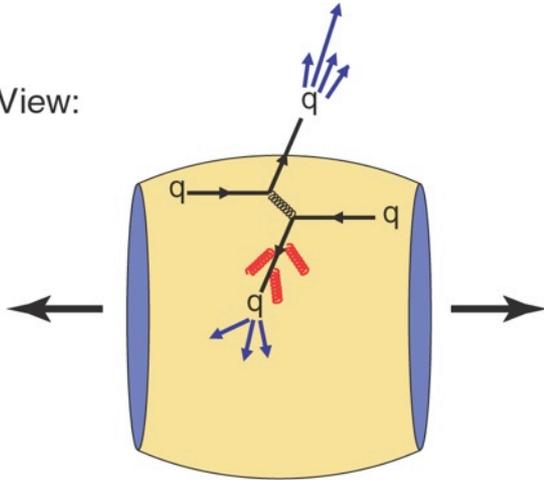
# Is Parton Energy Loss Really the Correct Explanation?



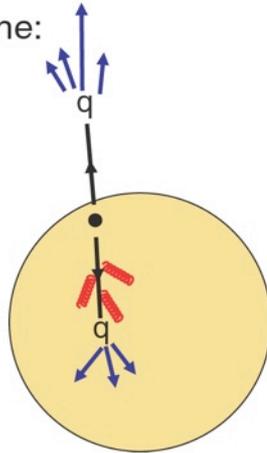
# 4.5 Two-Particle Azimuthal Correlations

# Two-Particle Correlations

Side View:



Transverse Plane:

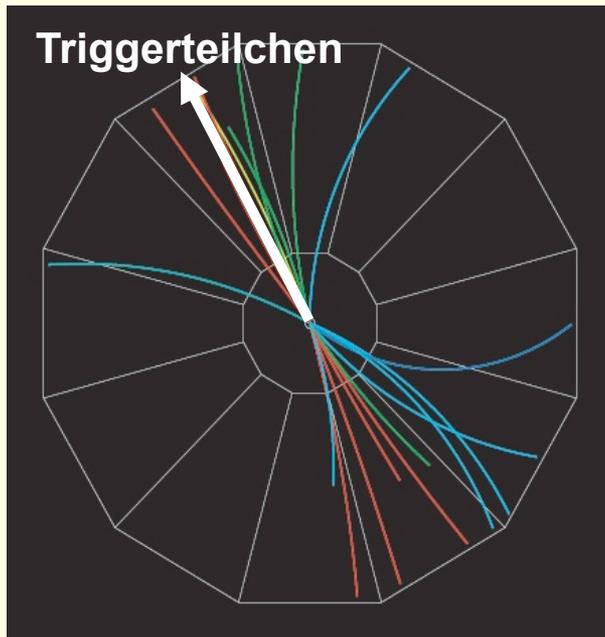


**Expectation in jet quenching scenario:**

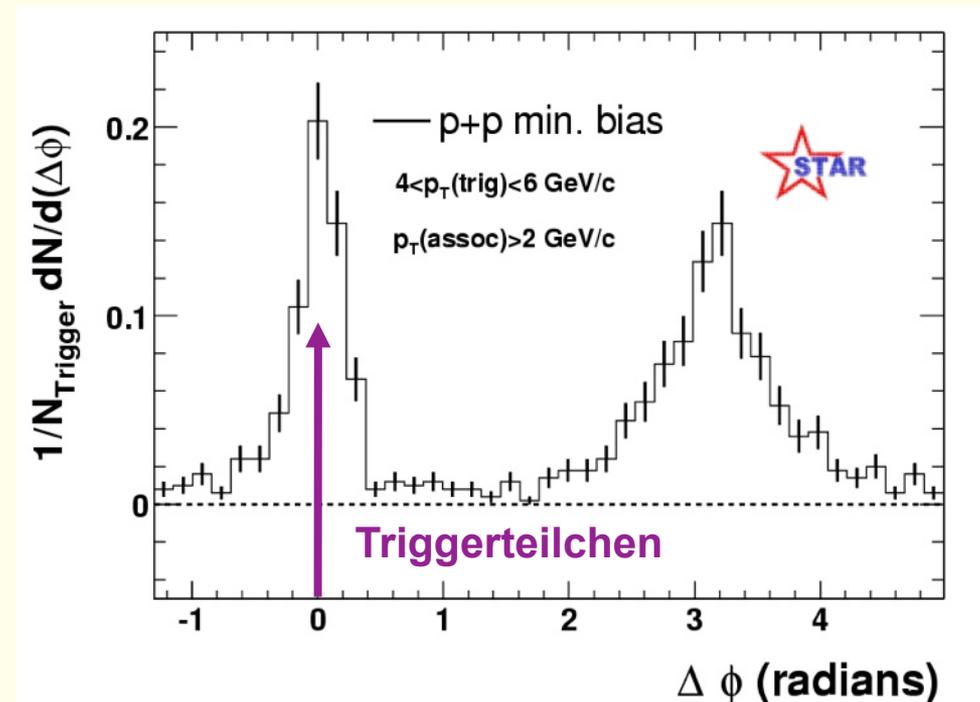
- Angular correlations around  $0^\circ$  as in p+p
- Suppression of angular correlations around  $180^\circ$

# Two-Particle Correlations in p+p

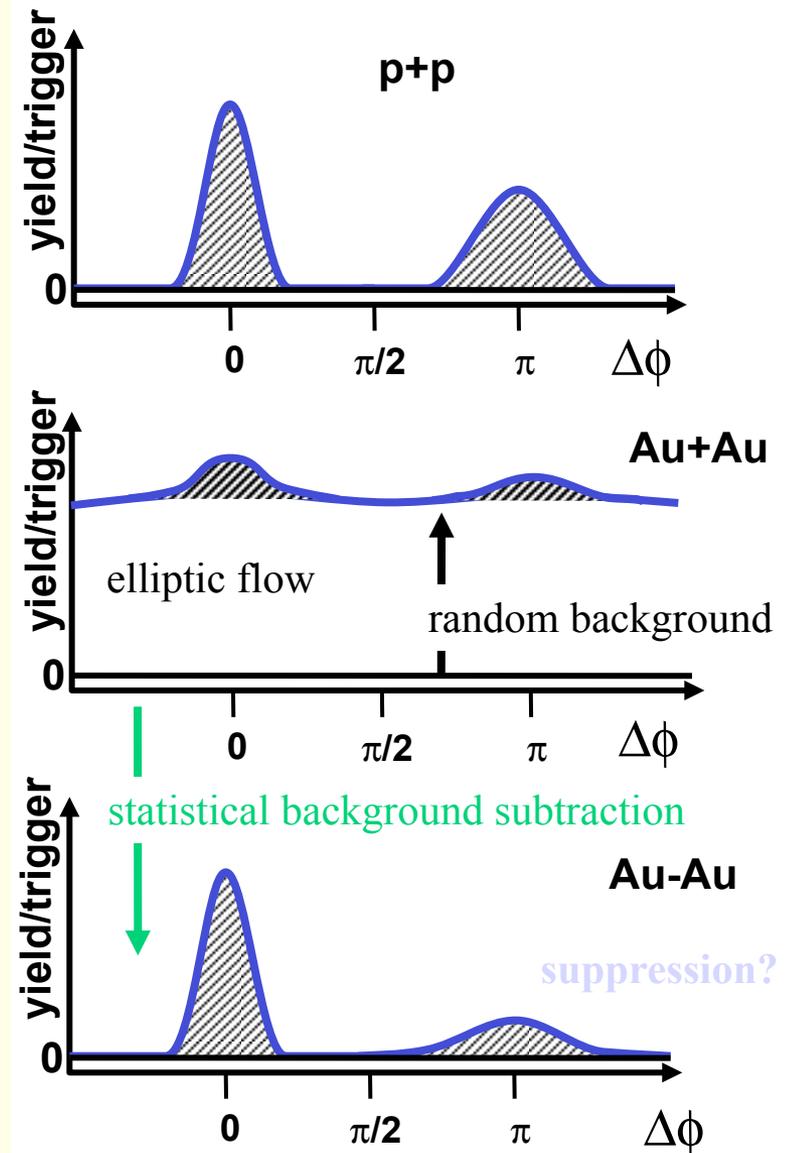
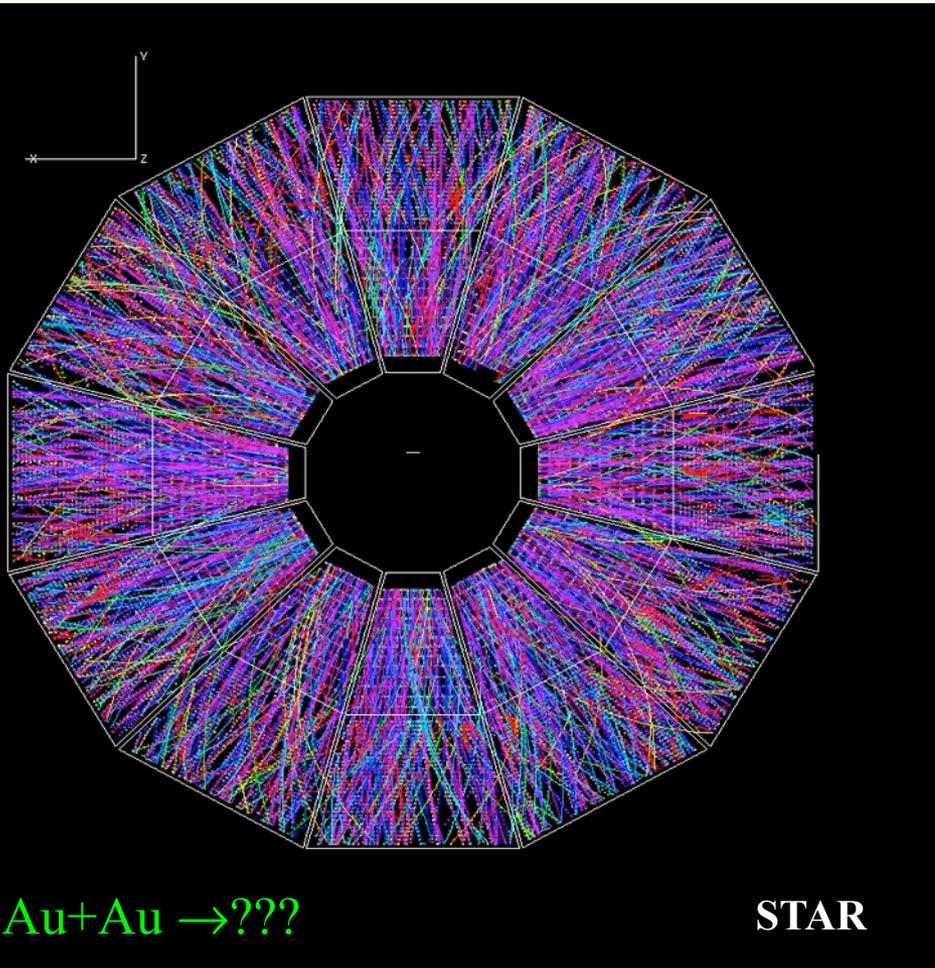
p+p → 2 Jets



- Trigger particle:  $p_T > 4 \text{ GeV}/c$
- Associated particle:  $p_T > 2 \text{ GeV}/c$



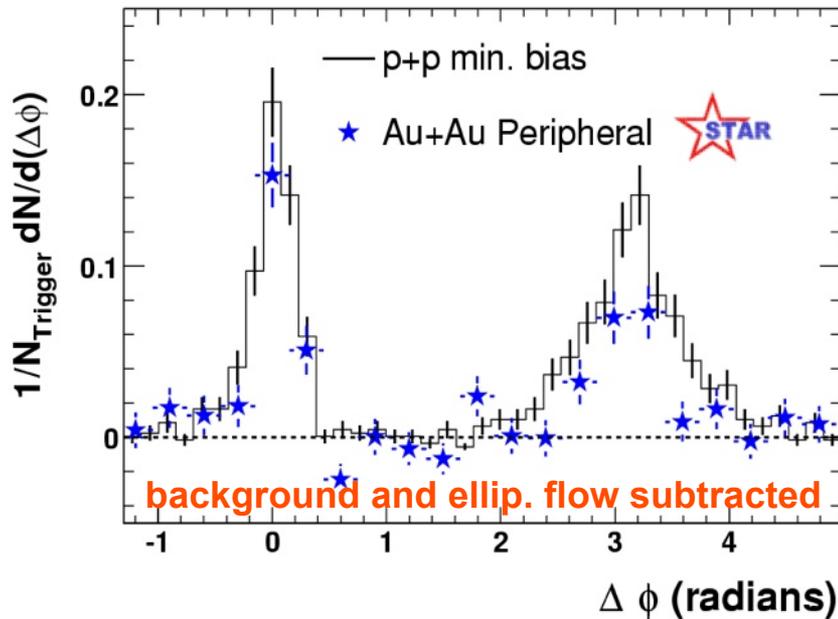
# Two-Particle Correlations in A+A



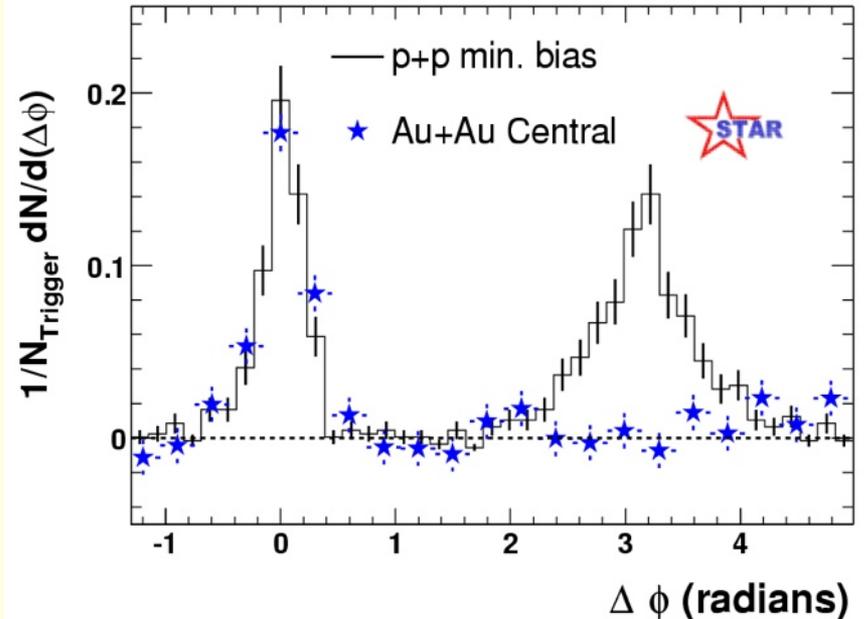
Jet correlations in Au-Au via statistical background subtraction

# Two-Particle Correlations in Au+Au at $\sqrt{s_{NN}} = 200$ GeV

## Au+Au peripheral



## Au+Au central



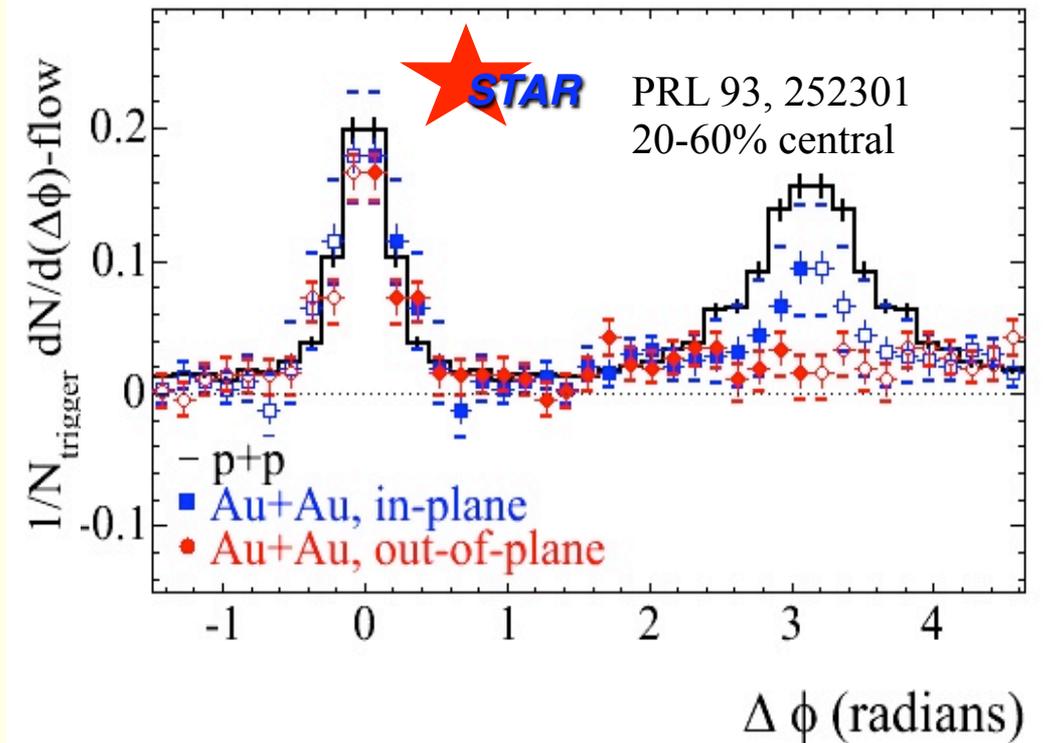
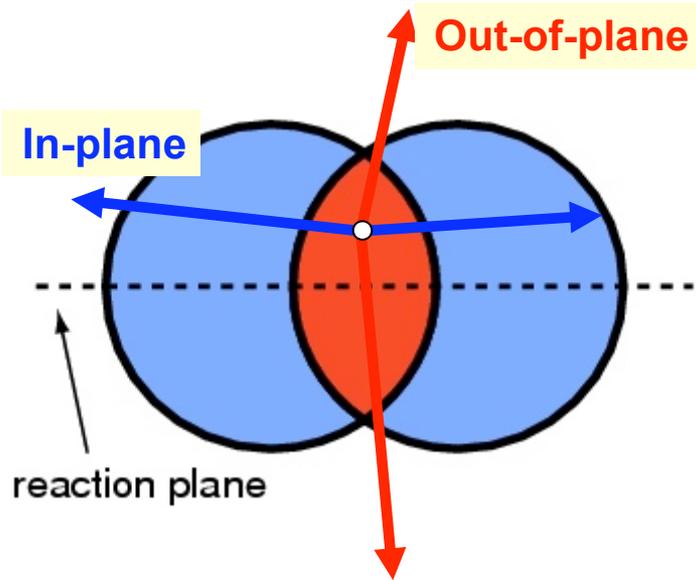
Trigger particle:  $p_T > 4$  GeV/c

Associated particle:  $p_T > 2$  GeV/c

PRL 90, 082302 (2003)

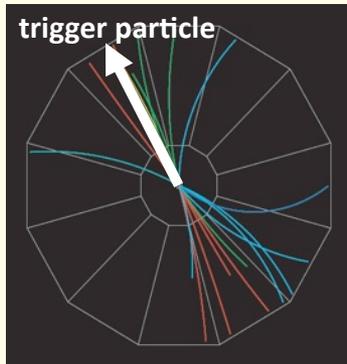
- No jet correlation around  $180^\circ$  in central Au+Au
- Consistent with jet quenching picture

# Dependence of the Away-side Peak on Angle w.r.t. the Reaction Plane

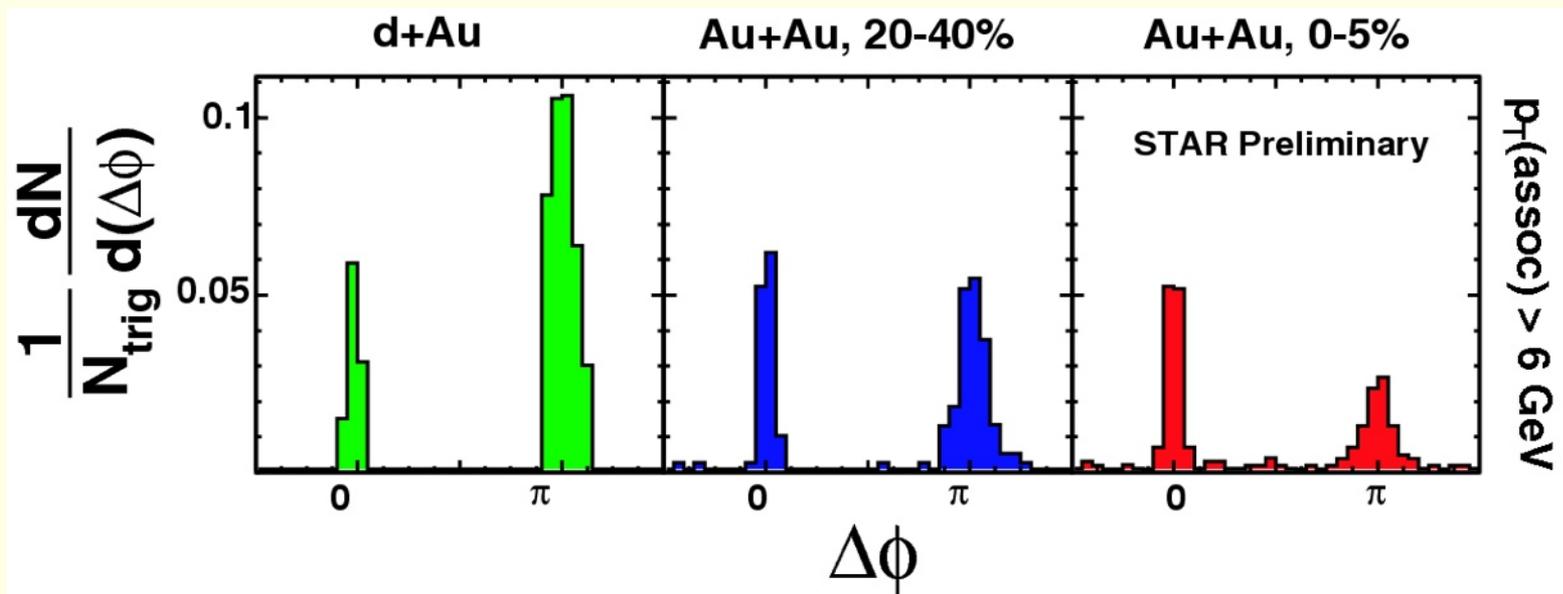


**Stronger suppression at  $\Delta\phi = 180^\circ$  if jet axis is perpendicular to reaction plane, in line with jet quenching scenario.**

# Two-Particle Correlations: Towards higher $p_T$

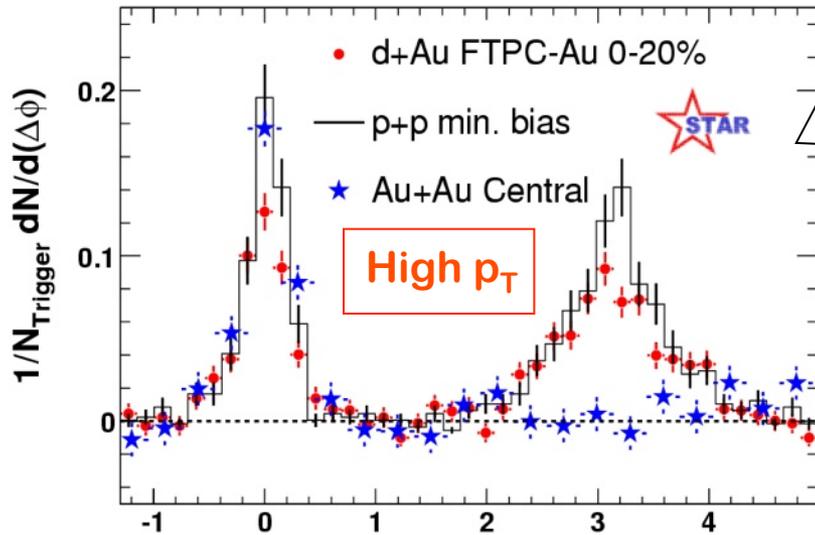


- Trigger particle:  $p_T > 8 \text{ GeV}/c$
- Associated particle:  $p_T > 6 \text{ GeV}/c$

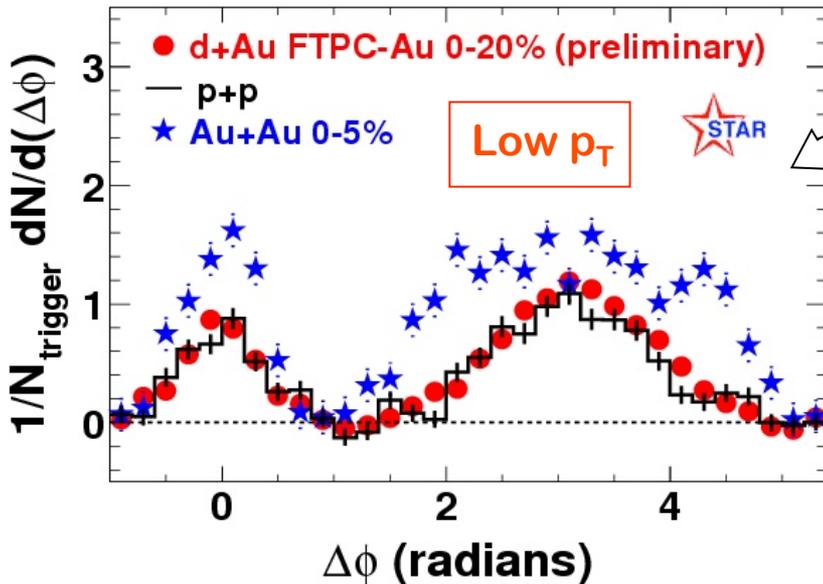


For higher jet energies the correlation at  $\Delta\phi = 180^\circ$  in central Au+Au is not fully suppressed anymore

# What happens to the jet energy ?



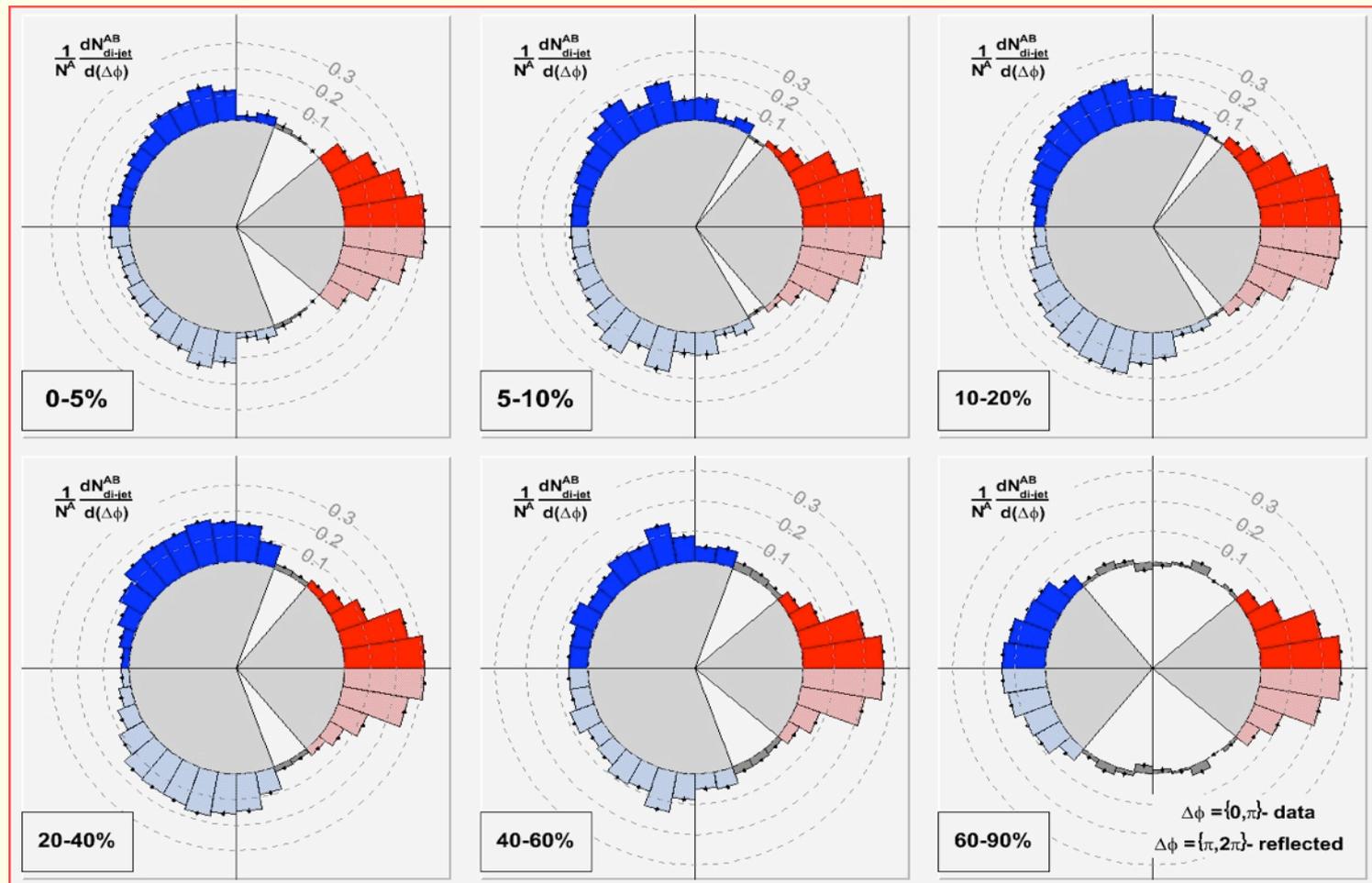
$$4 < p_T^{trig} < 6 \text{ GeV}/c, \quad 2 < p_T^{assoc} < 4 \text{ GeV}/c$$



$$4 < p_T^{trig} < 6 \text{ GeV}/c, \quad 0.15 < p_T^{assoc} < 4 \text{ GeV}/c$$

**Jet suppression at high  $p_T$   
 accompanied by multiplicity  
 enhancement at lower  $p_T$**

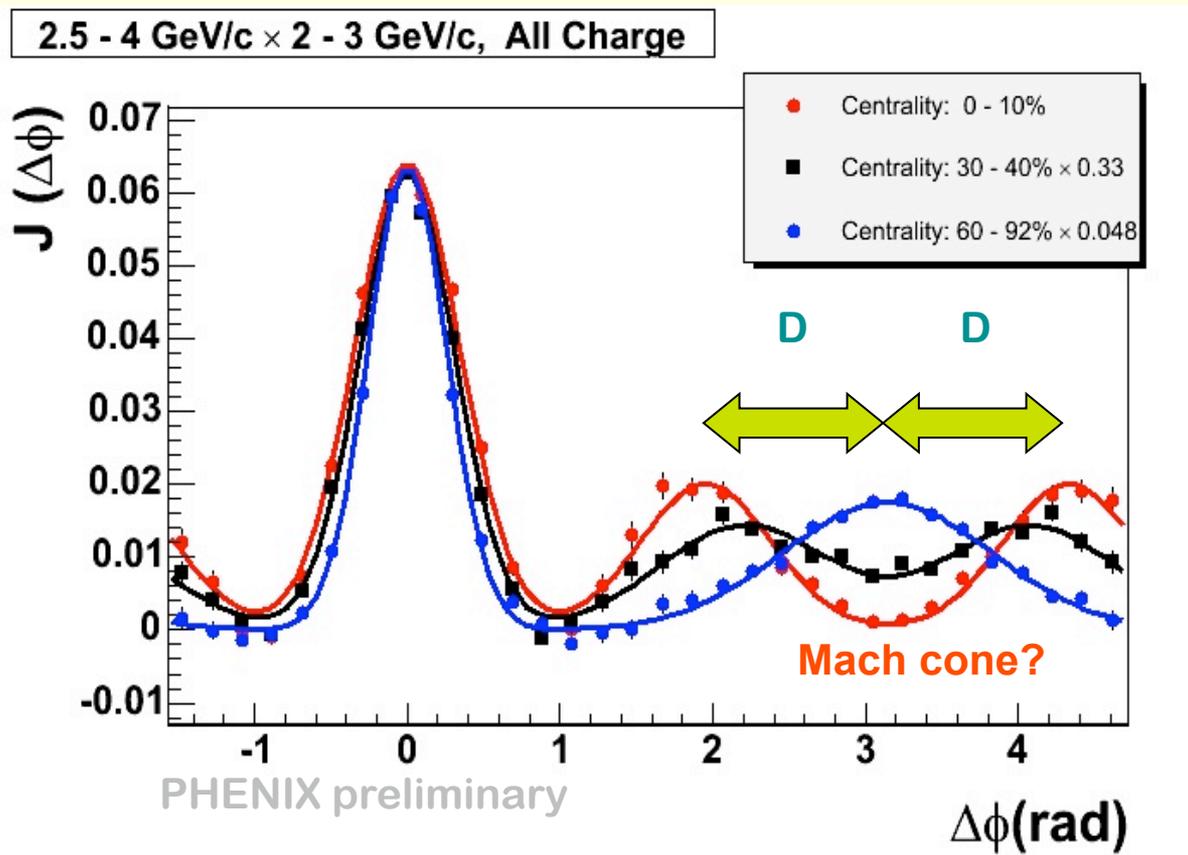
# What's going on on the Away Side? (I)



*partner* > 1 GeV

*Trigger* > 2.5 GeV

# What's going on on the Away Side? (II)



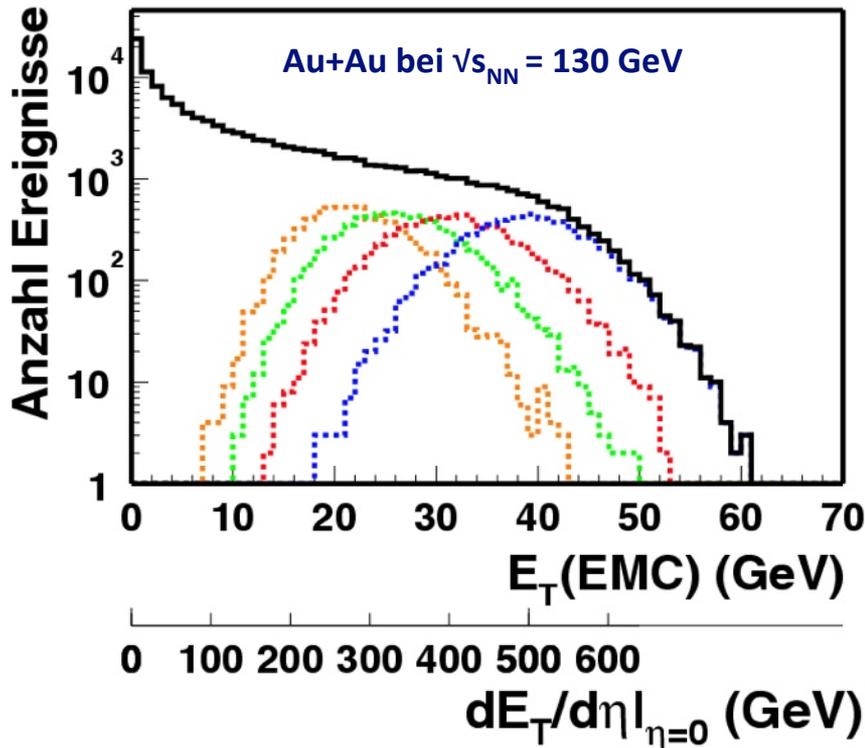
Possible explanations of the splitting of the away-side peak include

- Mach cones
- flow induced jet deflection
- and many more ....

## 4.6 Jets in Pb+Pb Collisions at the LHC

# Why is Jet Reconstruction Difficult in Central Au+Au Collisions at RHIC ?

$$E_T = \sum_i E_i \sin \vartheta_i, \quad dE_T / d\eta \approx \langle m_T \rangle \cdot dN_{ch} / d\eta$$



Central Au+Au collision  
at  $\sqrt{s_{NN}} = 130$  GeV:

$$\left. \frac{dE_T}{d\eta} \right|_{\eta=0} \approx 500 \text{ GeV}$$

Consider jet cone with radius  $R$ :

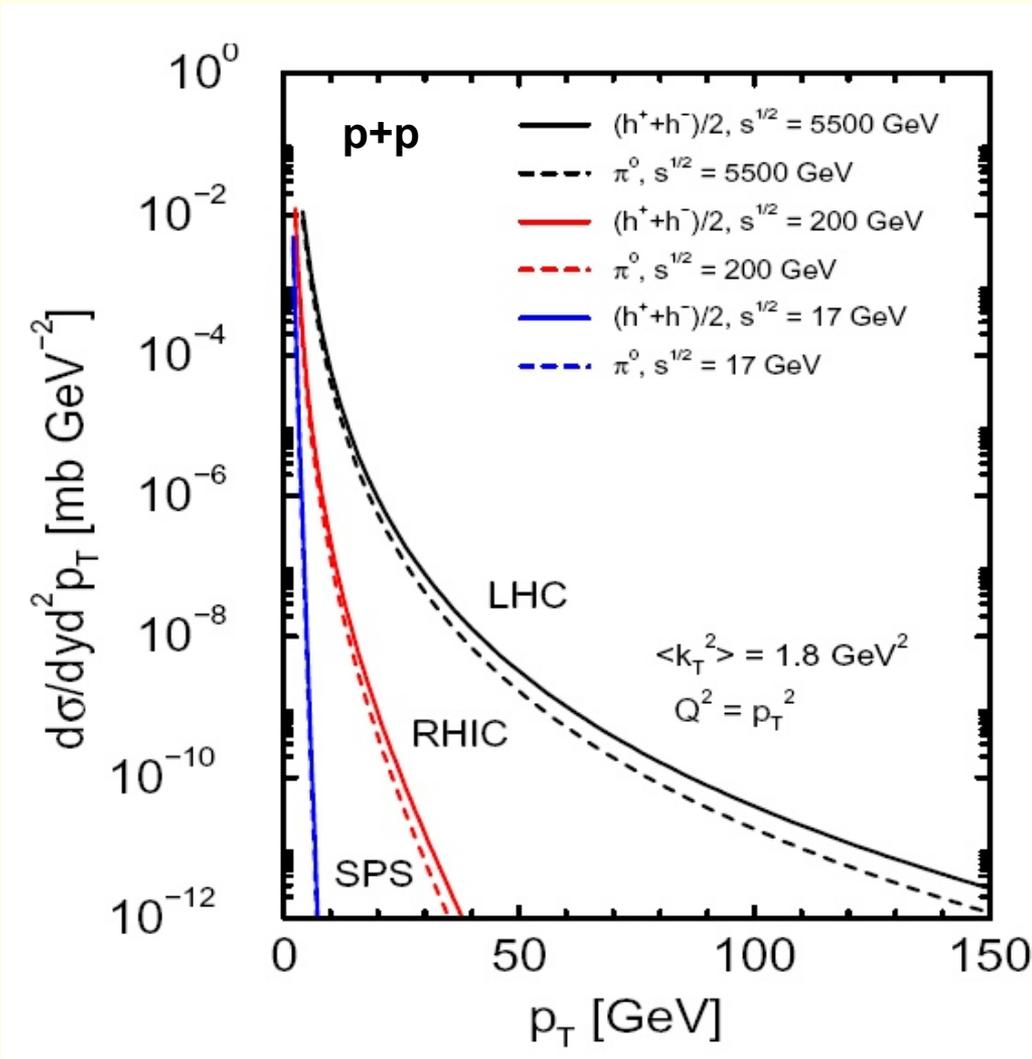
$$R = \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2} = 0.7$$

Total transverse energy in this  
cone

$$\begin{aligned} E_T^{\text{cone}} &= \frac{d^2 E_T}{d\eta d\phi} \cdot \pi R^2 \\ &= \frac{1}{2\pi} \frac{dE_T}{d\eta} \cdot \pi R^2 \approx 120 \text{ GeV} \end{aligned}$$

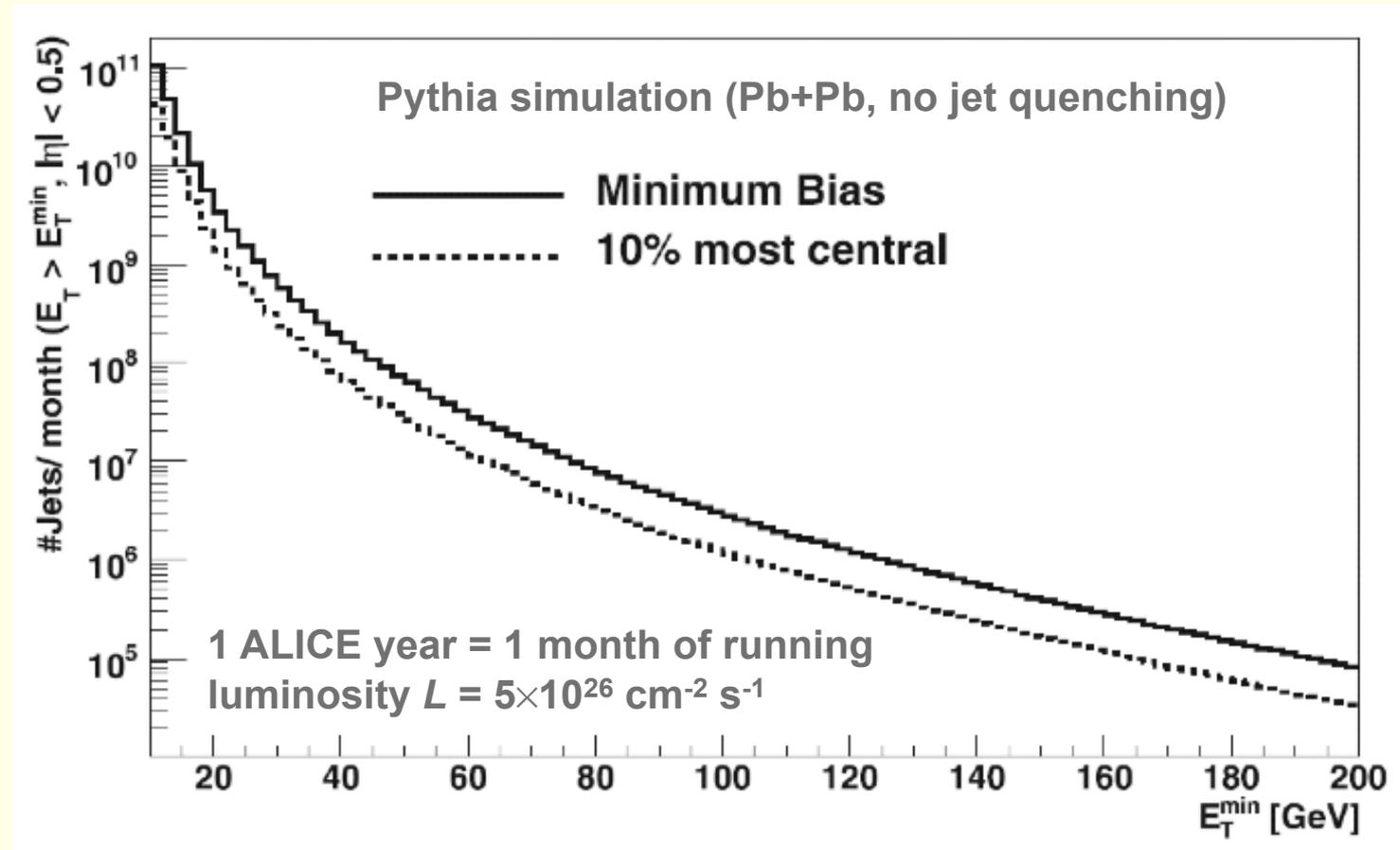
- Background energy large compared to jet energy in A+A at RHIC.
- Nevertheless, attempts are made to reconstruct jets

# Single Particle Cross Section at the LHC



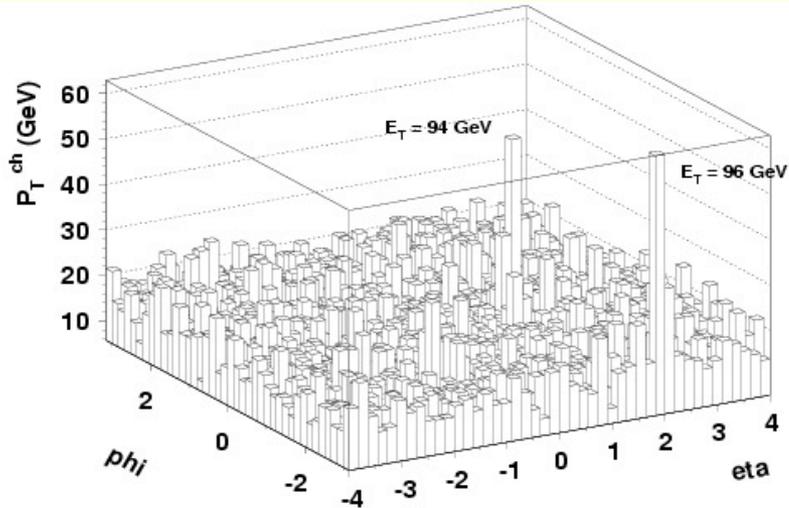
Hard scattering cross sections increase significantly at the LHC

# Annual Jet Yield in ALICE Acceptance

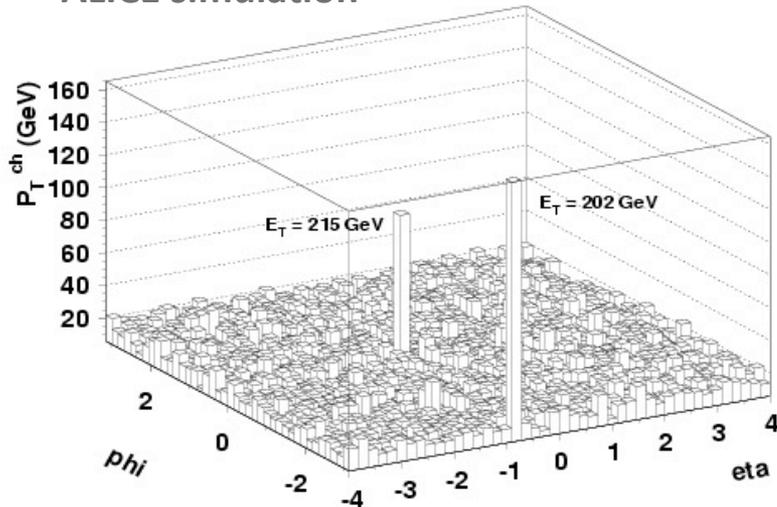


Rate of jets with  $E_T > 100$  GeV is greater than 1 Hz

# Jets in Pb+Pb at the LHC

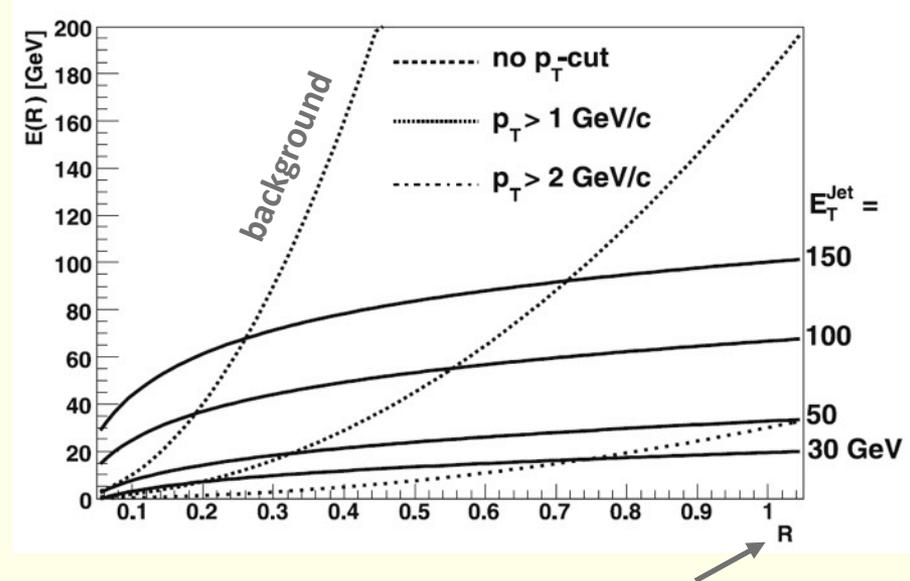


ALICE simulation



Jets with  $E_T > \sim 50$  GeV in Pb+Pb at  $\sqrt{s} = 5500$  GeV at the LHC can be identified above the background on an event-by-event basis

Influence of background from the underlying event minimized with cone size  $R \sim 0.3 - 0.4$



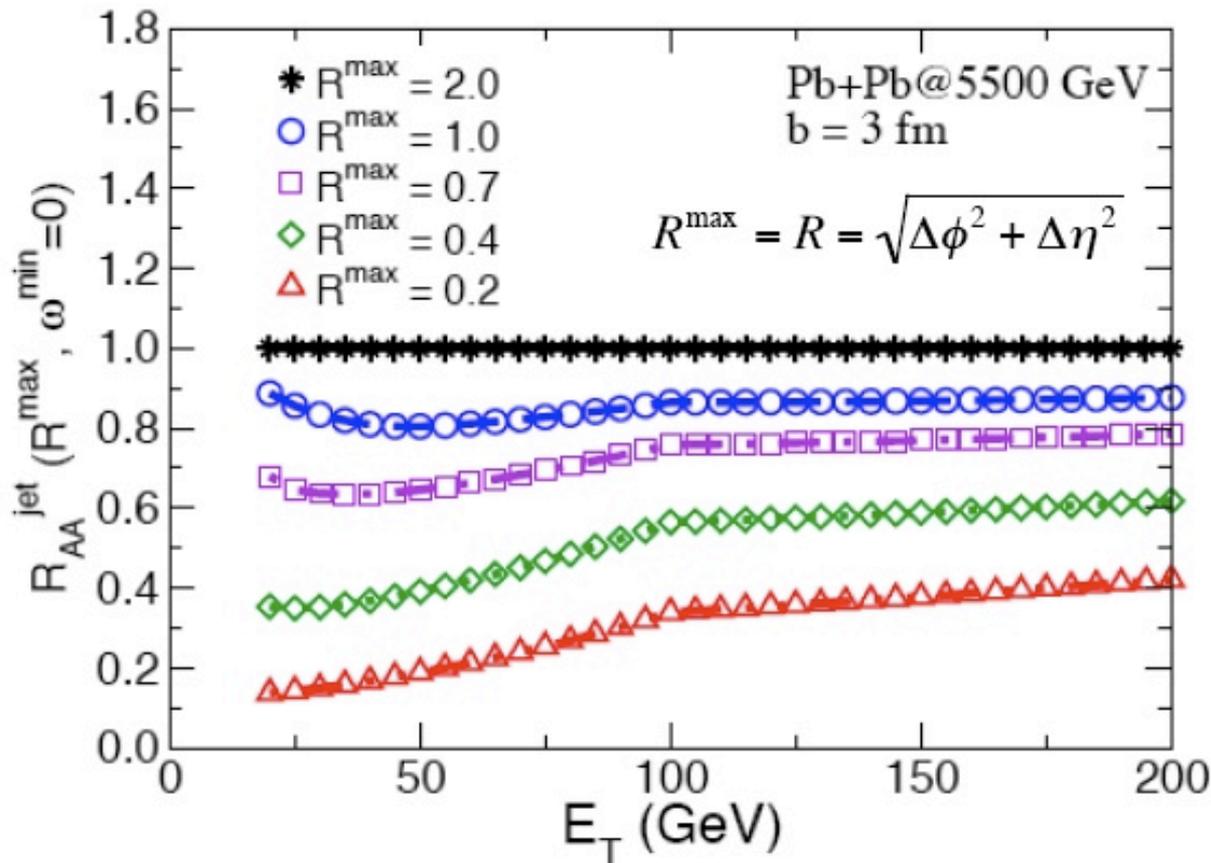
Cone size for jet reconstruction

# How Can One Study Parton Energy Loss with Reconstructed Jets at the LHC?

- **Measure Jet  $R_{AA}$  for different cone radii  $R$**
- **Study medium induced modification of lateral jet profile  $\Psi(r)$**
- **Study modification of fragmentation function**

# Jet $R_{AA}$ for Different Cone Radii $R$

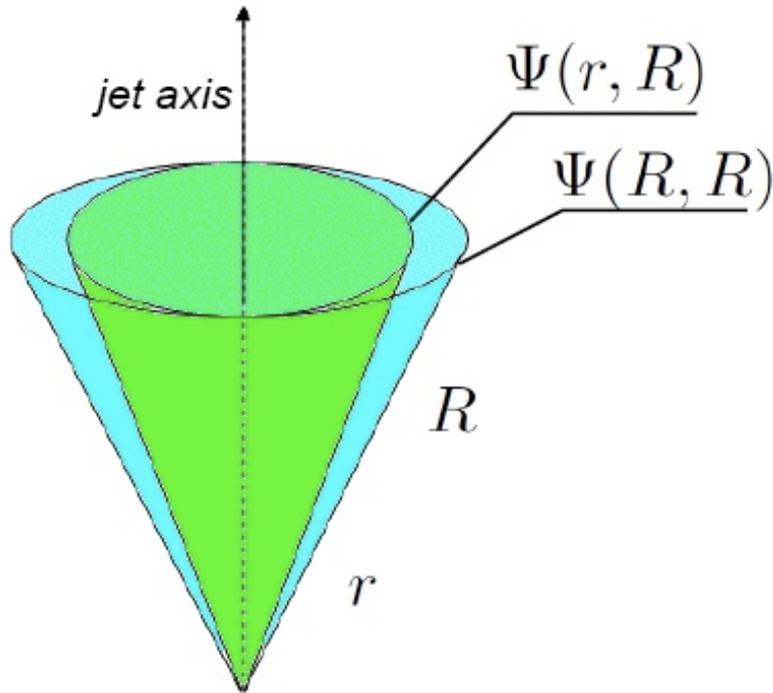
Vitev, Wicks, and Zhang JHEP 11 (2008) 093



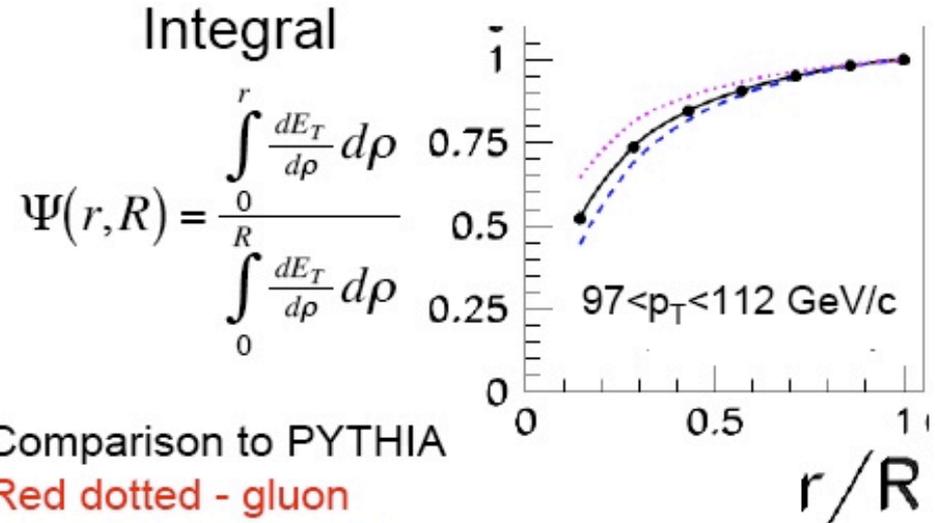
$$R_{AA}^{\text{jet}} = \frac{Pb + Pb \text{ Jet Yield}}{\langle N_{\text{coll}} \rangle p + p \text{ Jet Yield}}$$

- **Large cone radius  $R$ :**  
**All energy lost will be recovered:**  
 $R_{AA}^{\text{jet}} = 1$
- **Out of cone radiation will reduce  $R_{AA}$**
- **Study energy loss by reconstructing jets with different  $R$**

# Lateral Jet Profile

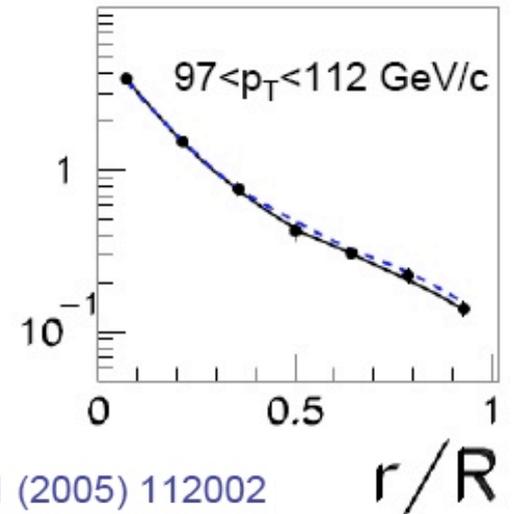


**Broadening of the energy distribution expected in Pb+Pb**



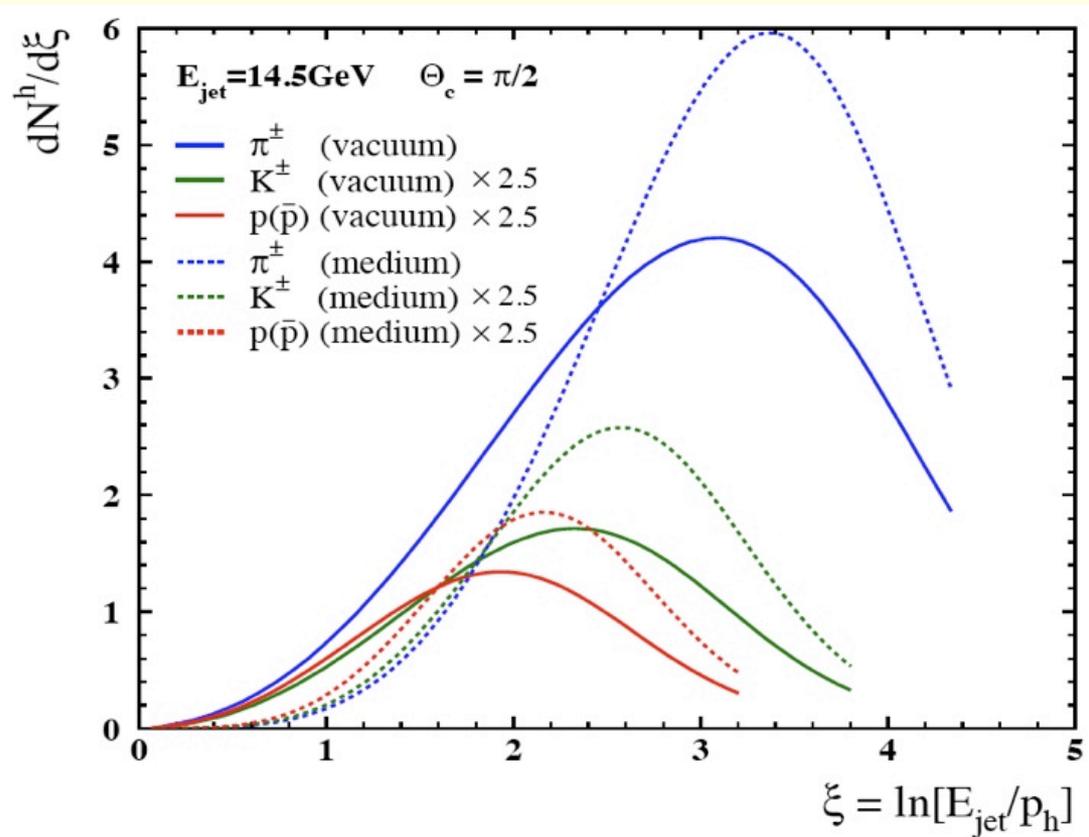
Differential

$$\psi(r, R) = \frac{d\Psi}{dr}$$



CDF Collaboration PRD 71 (2005) 112002

# Modified Fragmentation Functions



Sapeta, Wiedemann,  
Eur.Phys.J.C55:293-302,2008.

- Reconstruction of the full jet energy allows to measure fragmentation function
- Parton energy loss will shift particles to low  $z$  (and thus higher  $\xi$ )
- Moreover, the medium is expected to change the particle composition of the jet, e.g., the  $K/\pi$  ratio
- Good low  $p_T$  particle ID makes this a promising measurement for Alice

# Extra Slides

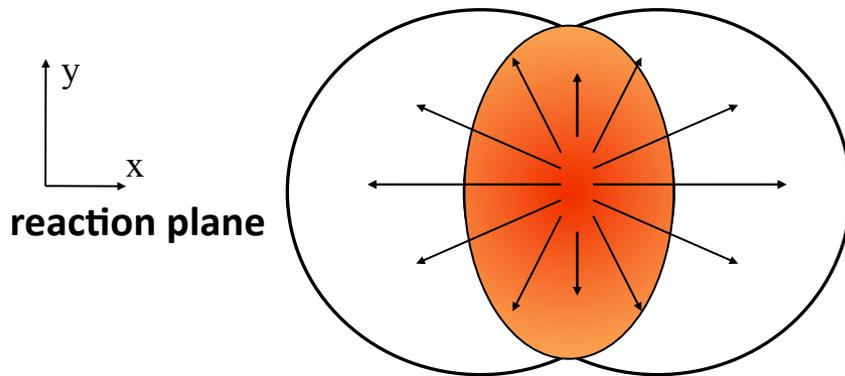
# Jet Quenching and Angular Anisotropy (I)

A. Drees

## Anisotropy in particle production related to collision geometry

Common wisdom: low  $p_T$

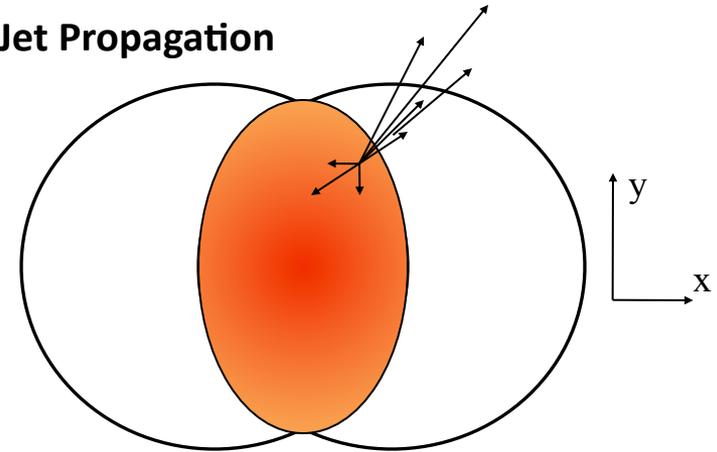
Bulk (Hydrodynamic) Matter



Pressure gradient converts position space anisotropy to momentum space anisotropy

high  $p_T$

Jet Propagation



Energy loss results anisotropy based on location of hard scattering in collision volume

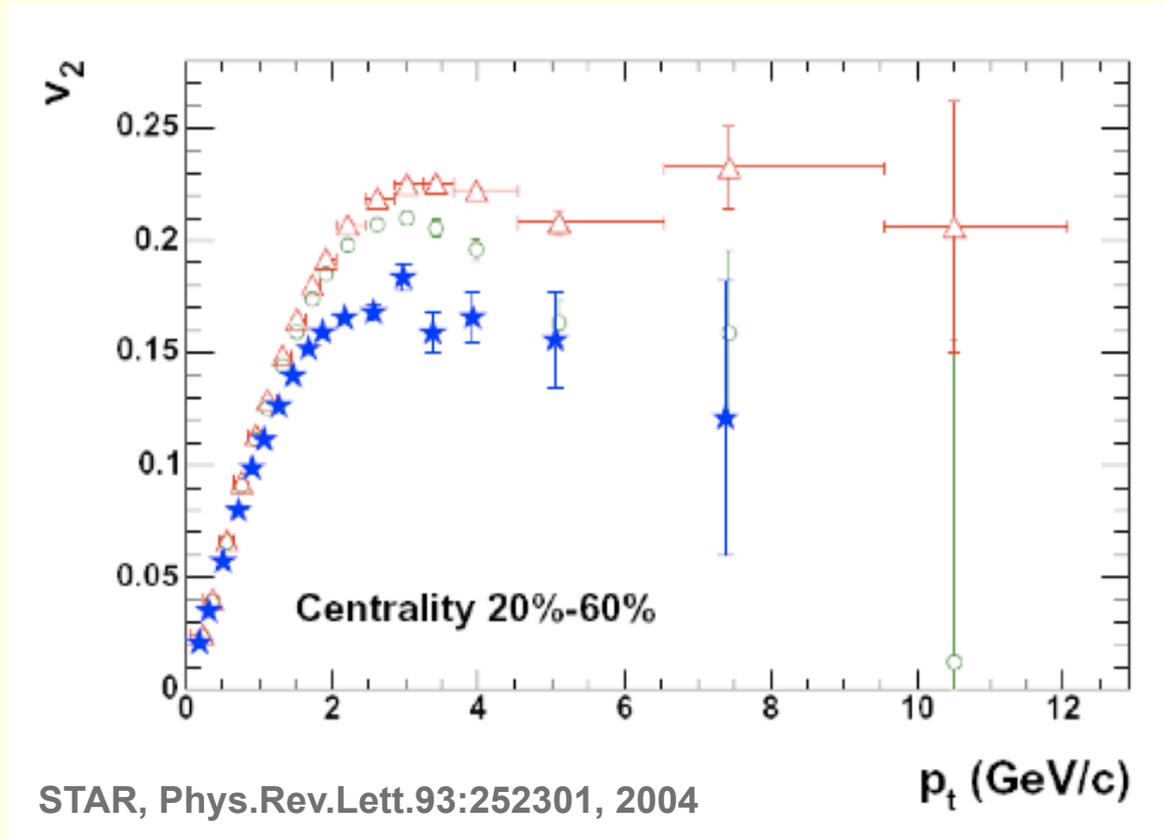
$v_2$ : 2<sup>nd</sup> harmonic Fourier coefficient in  $dN/d\phi$  with respect to the reaction plane

$$E \frac{d^3 N}{d^3 p} = \frac{1}{2\pi} \frac{d^2 N}{p_t dp_t dy} \left( 1 + \sum_{n=1}^{\infty} 2v_n \cos(n(\varphi - \Psi_r)) \right) \quad v_2 = \langle \cos 2\phi \rangle \quad \phi = \text{atan} \frac{p_y}{p_x}$$

$v_2$  at high  $p_T$  should result from jet quenching

# Jet Quenching and Angular Anisotropy (II)

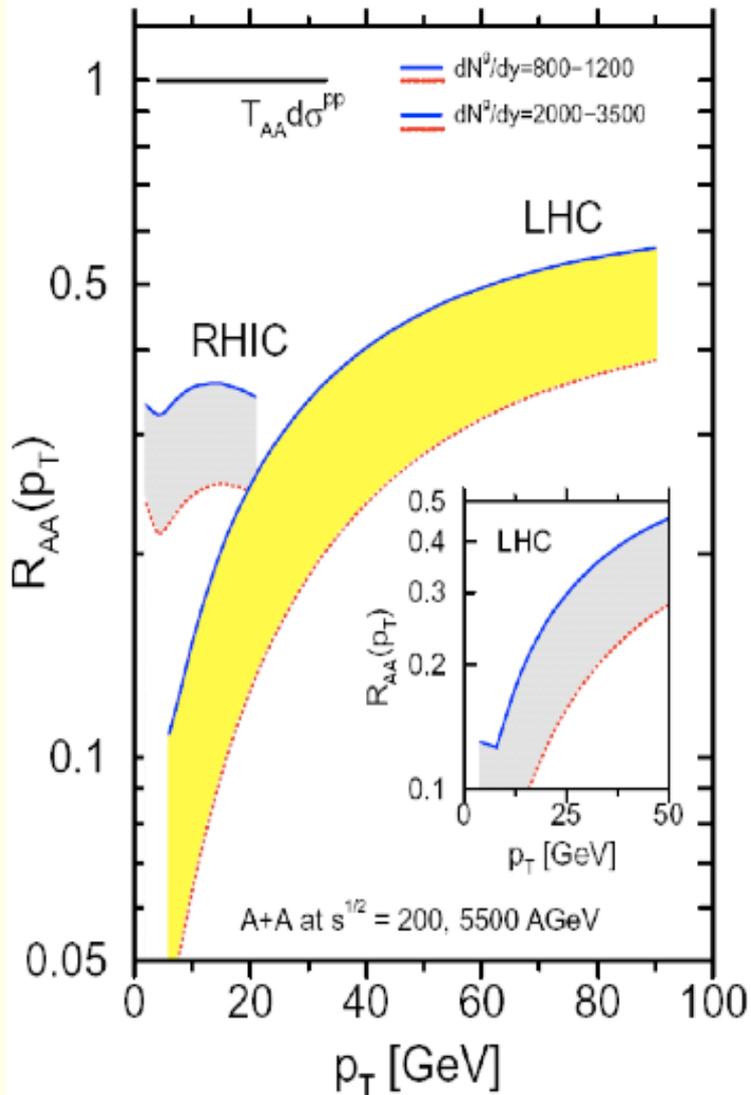
## Charged hadron $v_2$ :



$v_2$  {2-particle}  
 $v_2$  {AuAu - pp}  
 $v_2$  {4-particle}

- $v_2$  remains large at high  $p_T$  – too large to be explained by geometry of jet quenching?
- Origin of  $v_2$  at high  $p_T$  unclear

# A Prediction for $R_{AA}$ in Pb+Pb at the LHC



# Parton Energy Loss

- Energy loss due to gluon radiation dominant:

$$dE_{\text{rad}} / dx \gg dE_{\text{coll}} / dx$$

- Parton energy loss in a finite, *static medium* consisting of color charge carriers

$$\Delta E = -C \frac{\alpha_s}{4} \frac{\mu^2}{\lambda} L^2 \ln \left( \frac{2E}{\mu^2 L} \right) + \dots$$

$L$ : Path length of the parton in the medium

$\mu^2$ : Typical momentum transfer from medium to parton

$\lambda$ : Mean free path of the radiated gluons in the medium

- Energy loss for gluon jets larger than for quark jets:

$$C = \begin{cases} 3 & \text{for gluon jets} \\ 4/3 & \text{for quark jets} \end{cases}$$

- Total energy loss in the medium:

$$\Delta E \sim L^2 \quad (\text{effect of quantum mech. interference})$$

- Detailed numerical calculation shows:

$$\Delta E / E \approx \text{const.}$$

$$\text{for } E < 20 \text{ GeV}$$

# Averaging $T_{AB}(b)$ over an Impact Parameter Distribution

Observable: Hard process *per inelastic A+A collisions*, i.e.

$$N_{\text{hard}}^{\text{A+B}}(b) = \frac{T_{AB}(b)}{p_{\text{inel}}^{\text{A+B}}(b)} \cdot \sigma_{\text{hard}}$$

Typical example:  $p_T$  dependent pion yield per inelastic event:

$$\frac{1}{N_{\text{inel}}^{\text{A+B}}} \frac{dN^\pi}{dp_T}(b) = \frac{T_{AB}(b)}{p_{\text{inel}}^{\text{A+B}}(b)} \cdot \frac{d\sigma^{p+p}}{dp_T}$$

Averaging over an impact parameter range  $f$  (say  $b_1 \leq b \leq b_2$ ):

weighting factor:

$$p_{\text{inel}}^{\text{A+B}}(b) \quad \longrightarrow \quad \frac{1}{N_{\text{inel}}^{\text{A+B}}} \frac{dN^\pi}{dp_T} \Big|_f = \frac{\int_{b_1}^{b_2} 2\pi b T_{AB}(b) db}{\int_{b_1}^{b_2} 2\pi b p_{\text{inel}}^{\text{A+B}}(b) db} \cdot \frac{d\sigma}{dp_T} \equiv \langle T_{AB} \rangle_f$$

Note that  $\int_f d^2b = \int_{b_1}^{b_2} 2\pi b db$

# Nuclear Modification Factor (I)

Consider special case  $b_1 = 0, b_2 = \infty$ :

$$\frac{1}{N_{\text{inel}}^{A+B}} \left. \frac{dN^\pi}{dp_T} \right|_f = \frac{\int_0^\infty 2\pi b T_{AB}(b) db}{\int_0^\infty 2\pi b p_{\text{inel}}^{A+B}(b) db} \cdot \frac{d\sigma}{dp_T} = \frac{AB}{\sigma_{\text{inel}}^{A+B}} \cdot \frac{d\sigma}{dp_T} \rightarrow \frac{d\sigma^{A+B}}{dp_T} = AB \cdot \frac{d\sigma^{p+p}}{dp_T}$$

(holds for hard scattering in the absence of nuclear effects)

Definition of nuclear modification factor:

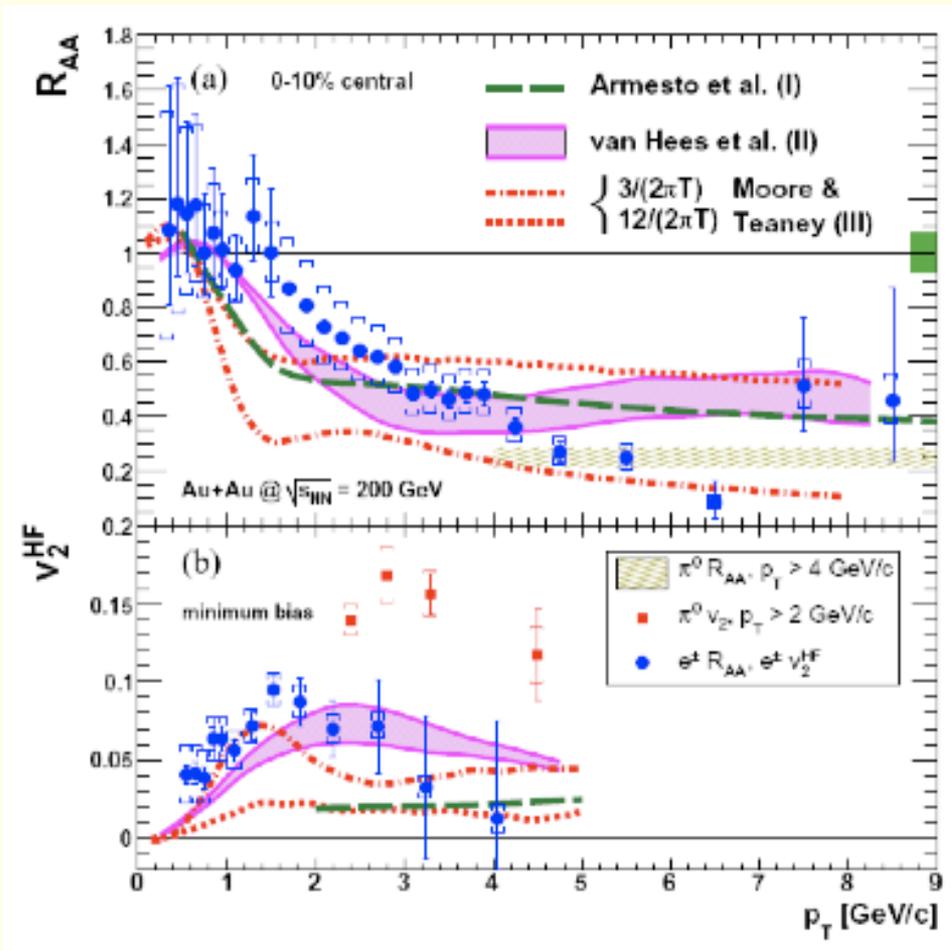
$$R_{AB}(p_T) = \frac{d\sigma^{A+B} / dp_T}{\left[ \int_f d^2b T_{AB}(b) \right] \cdot d\sigma^{p+p} / dp_T} = \frac{\frac{1}{N_{\text{inel}}^{A+B}} \left. \frac{dN^\pi}{dp_T} \right|_f}{\langle T_{AB} \rangle_f \cdot d\sigma^{p+p} / dp_T} = 1 \leftarrow \text{(in the absence of nuclear effects)}$$

In practice:

$$\langle T_{AB} \rangle_f = \langle N_{\text{coll}} \rangle_f / \sigma_{\text{NN}}^{\text{inel}}$$

where  $\langle N_{\text{coll}} \rangle_f$  is determined with a Glauber Monte Carlo code

# Excess Electrons in Au+Au at $\sqrt{s_{NN}} = 200$ GeV (II)



PHENIX, Phys.Rev.Lett.98:172301,2007

- Models based on radiative parton energy loss predict

$$\langle E \rangle_{\text{gluon}} \quad \langle E \rangle_{\text{quark}, m} \quad \langle E \rangle_{\text{quark}, m}$$

- Thus, electrons from charm and bottom quarks should be less suppressed than pions
- Experimental observation: Electrons from charm (and bottom) decays as strongly suppressed as pions
- Simultaneous measurement of electron flow further constrains energy loss models

# Simple Estimate of the Relative Energy Loss

$p_T$  independence of  $R_{AA}$  implies constant fractional energy loss:

$\pi^0$  spectrum without energy loss:

$$\frac{dN}{dp_T} \propto p_T^{-n+1}$$

Constant fractional energy loss:

$$S_{\text{Loss}} := \frac{-\Delta p_T}{p_T}, \text{ i.e., } p'_T = (1 - S_{\text{Loss}}) p_T$$

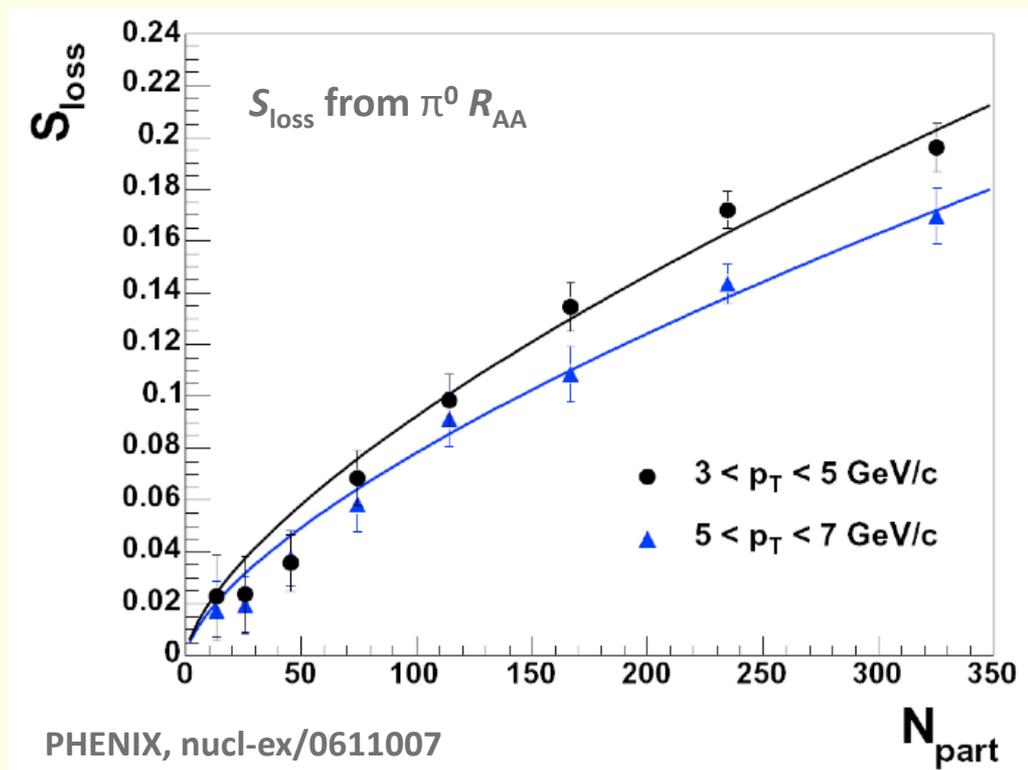
This leads to:

$$R_{AA} = (1 - S_{\text{Loss}})^{n-2}$$

$$\Rightarrow S_{\text{Loss}} = 1 - R_{AA}^{1/(n-2)}$$

$\pi^0$  spectra at RHIC energy

( $\sqrt{s_{NN}} = 200 \text{ GeV}$ ) described with  $n \approx 8$

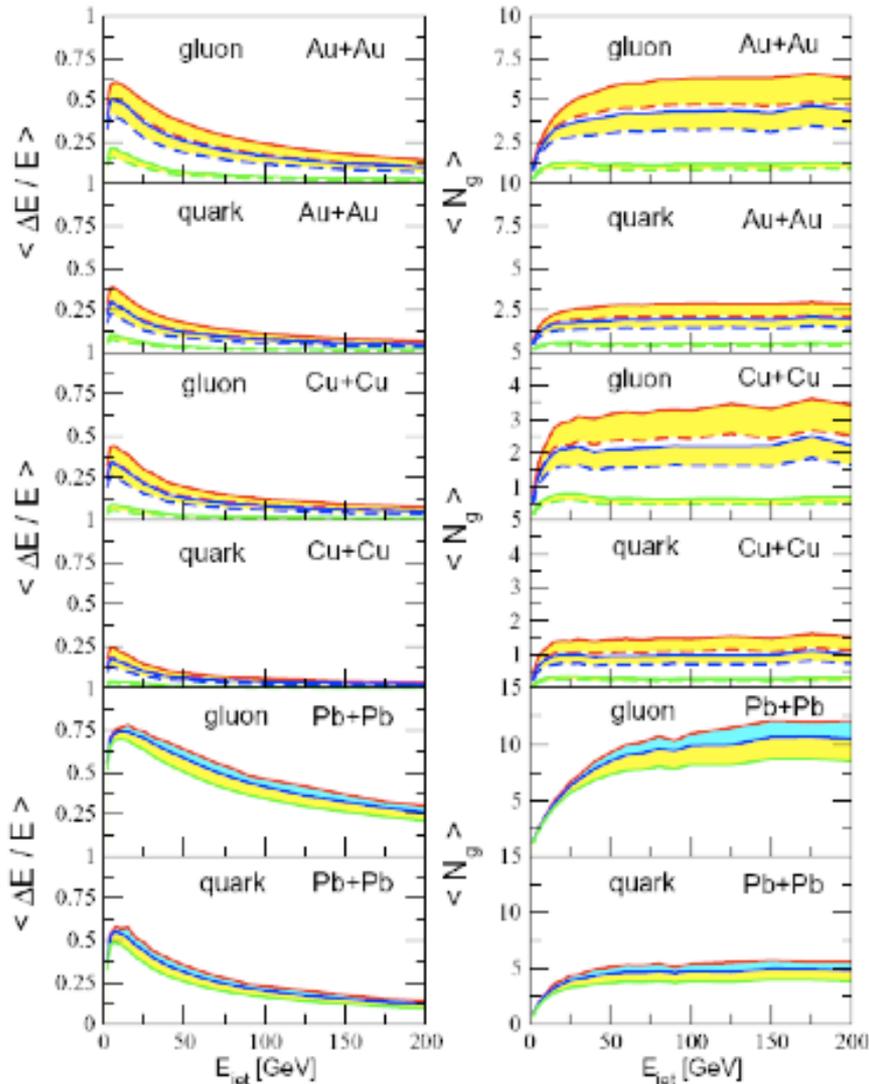


# Energy loss in the GLV Formalism for Cu+Cu, Au+Au, and Pb+Pb

I. Vitev, Phys.Lett.B639:38-45,2006

energy loss

# radiated gluons



Calculated fractional energy loss and number of radiated gluons shown for three centralities in each figure:

**Au+Au at  $\sqrt{s_{NN}} = 200$  GeV:**

Centrality	0 – 10%	20 – 30%	60 – 80%
$N_{\text{part}}$	328	167	21
$dN^g/dy$	800 - 1175	410 - 600	50 - 75
$L$ [fm]	6	4.8	2.4
$A_{\text{eff}}$	197	99	12

**Cu+Cu at  $\sqrt{s_{NN}} = 200$  GeV:**

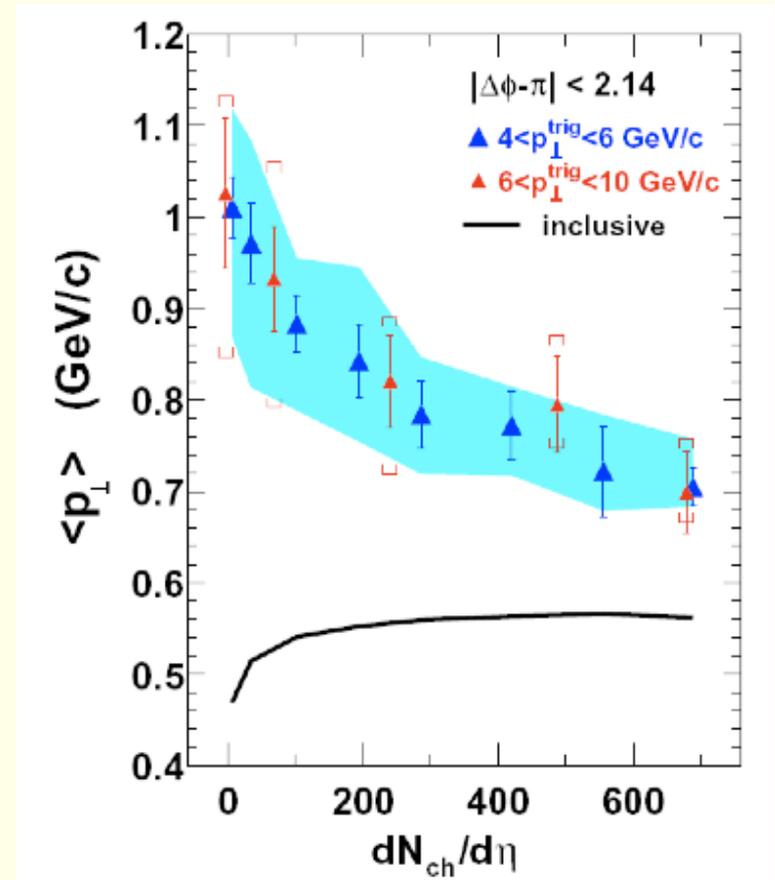
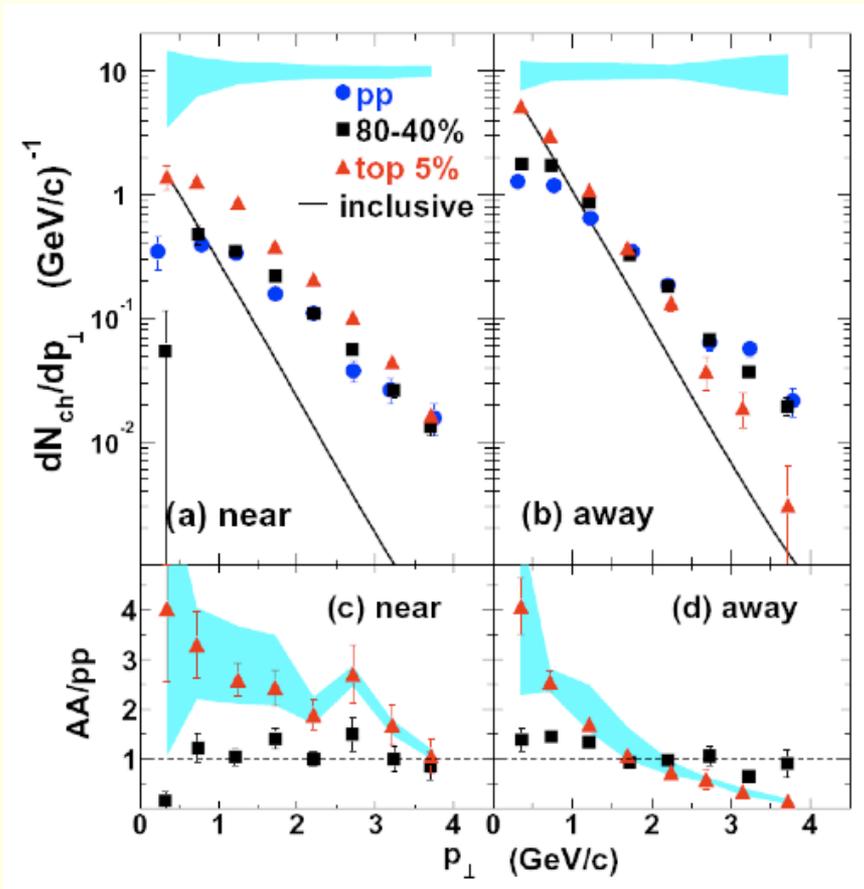
Centrality	0 – 10%	20 – 30%	60 – 80%
$N_{\text{part}}$	103	55	9
$dN^g/dy$	255 - 370	135 - 195	20 - 30
$L$ [fm]	4.1	3.3	1.8
$A_{\text{eff}}$	64	34	6

**Pb+Pb at  $\sqrt{s_{NN}} = 5500$  GeV:**

$dN^g/dy = 2000, 3000, 4000$

# $p_T$ Distributions of Associated Particles

Associated charged hadron  $p_T$  distribution  
 ( $4 < p_{T,trigger} < 6 \text{ GeV}/c$ )

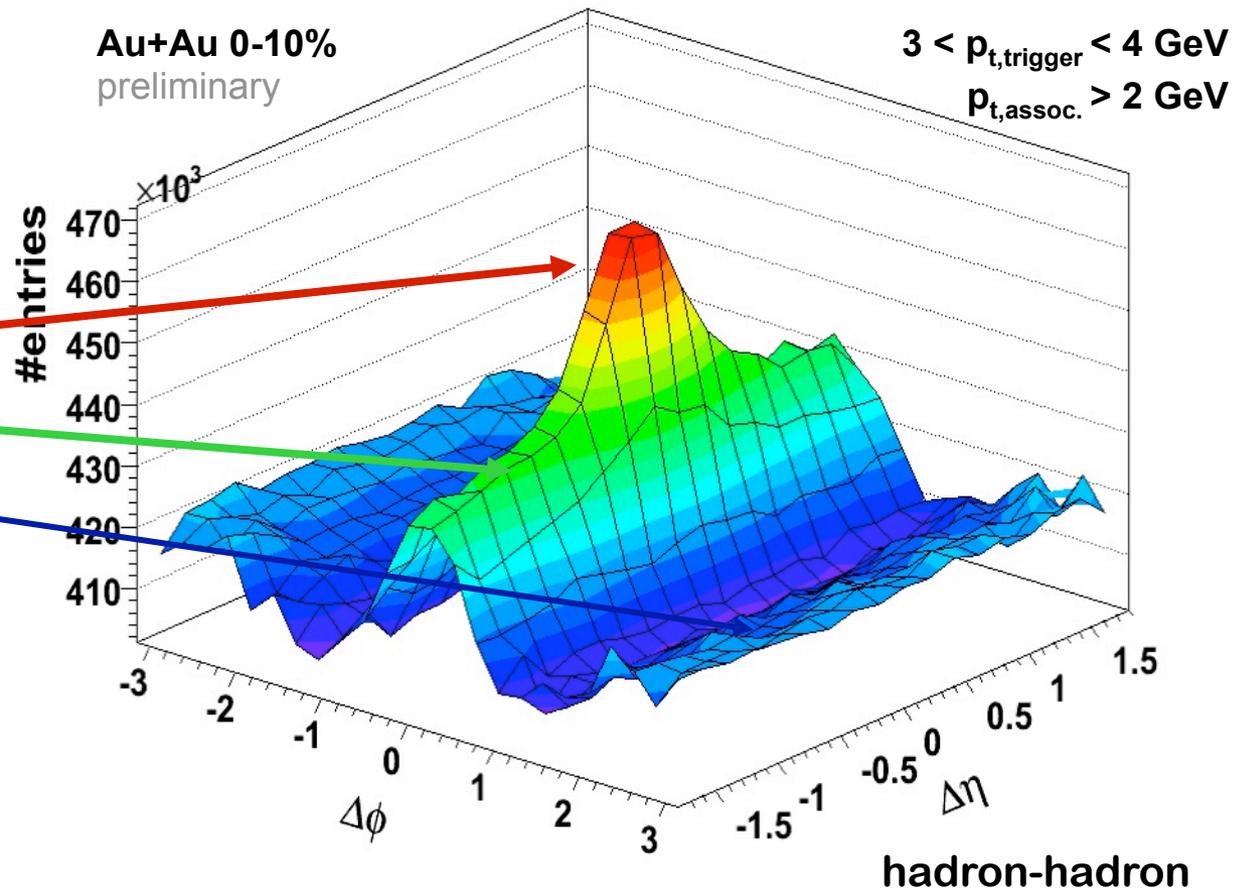


$p_T$  distribution on away side in central Au+Au similar to inclusive distribution:  
 hint of thermalization of hadrons on away side

# A so-far Unexplained Phenomenon: The Ridge

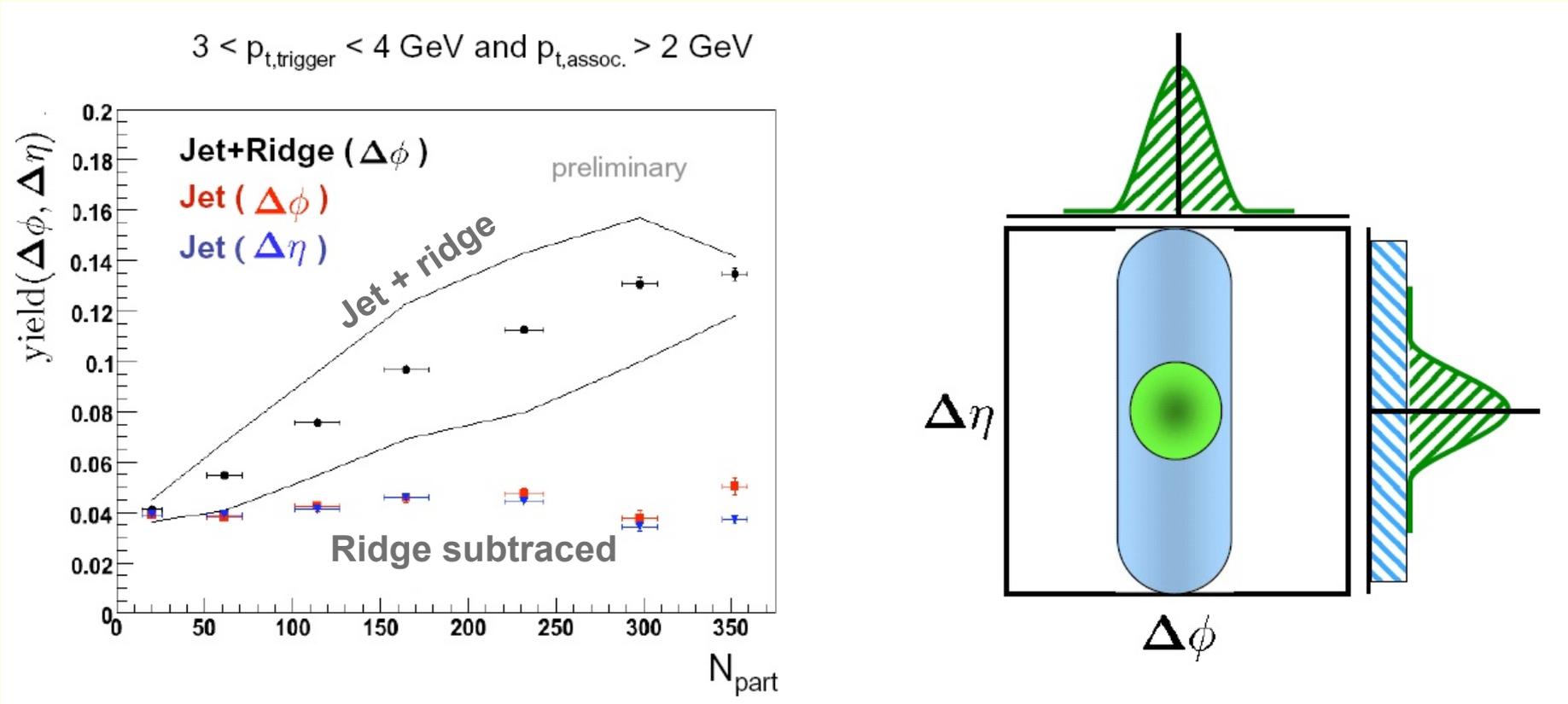
## Components

- Near-side jet peak
- Near-side ridge
- Away-side (and  $v_2$ )



“ridge” = broad correlation in  $\Delta\eta$  on the near side

# Near Side Yields per Trigger Particle



**After subtraction of the “ridge”:  
jet-yield per trigger independent of centrality**